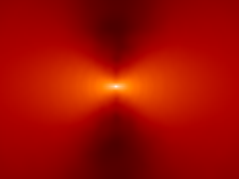


# The effect of partial ionisation in star formation



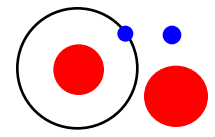
James Wurster

with Matthew Bate & Daniel Price

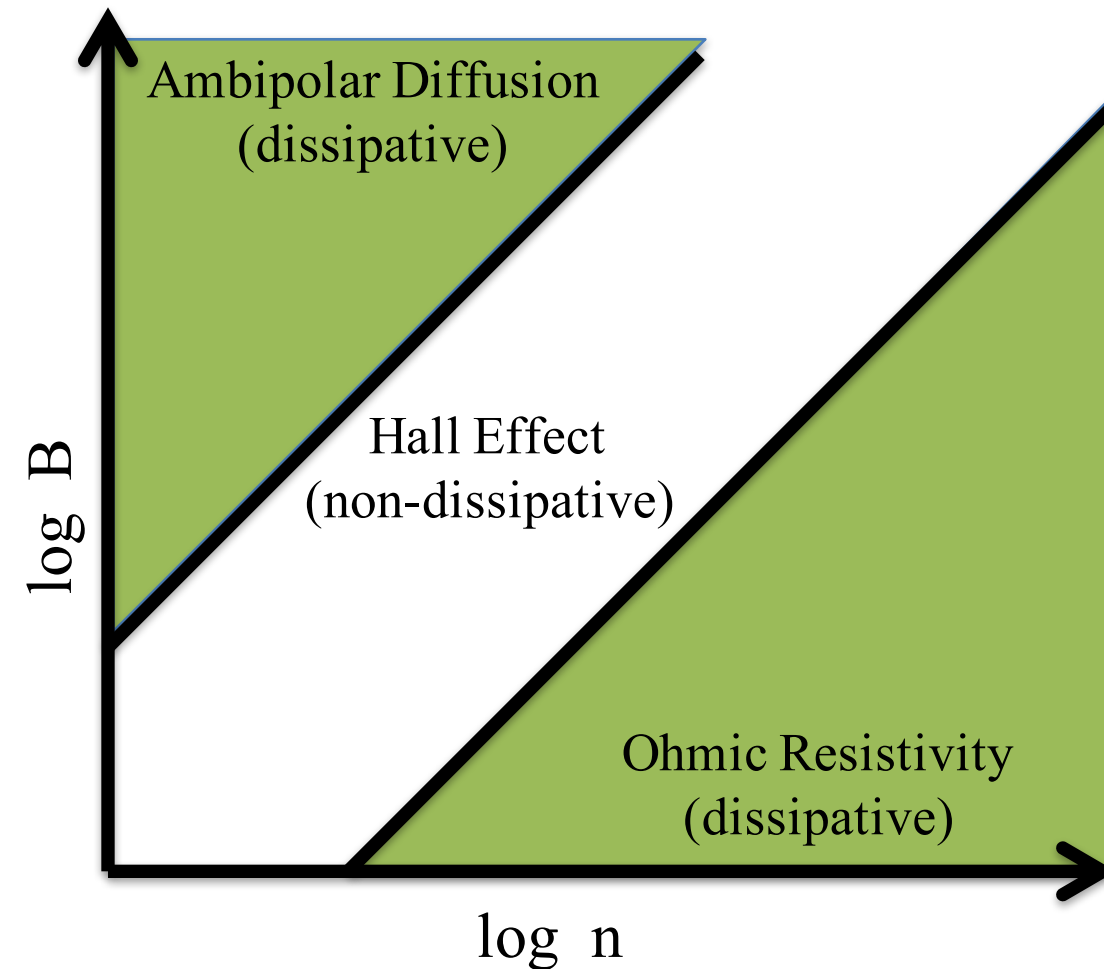
1<sup>st</sup> Phantom Users Workshop

Monash University, 23 February 2018





# Non-ideal magnetohydrodynamics



$$\left. \frac{dB}{dt} \right|_{\text{OR}} = -\nabla \times \eta_{\text{OR}} (\nabla \times B),$$

$$\left. \frac{dB}{dt} \right|_{\text{HE}} = -\nabla \times \eta_{\text{HE}} [(\nabla \times B) \times \hat{B}],$$

$$\left. \frac{dB}{dt} \right|_{\text{AD}} = \nabla \times \eta_{\text{AD}} \left\{ [(\nabla \times B) \times \hat{B}] \times \hat{B} \right\}.$$

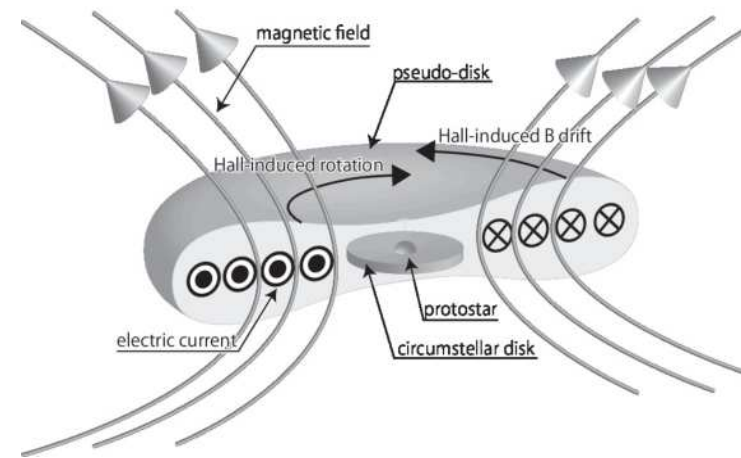
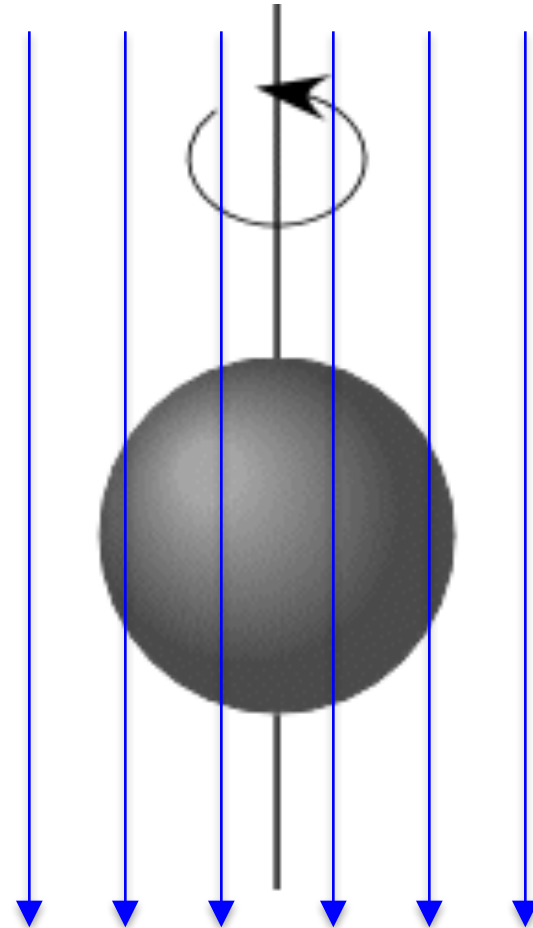
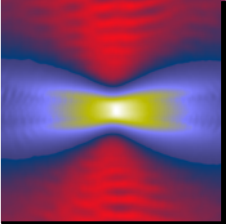


Image credit: Tsukamoto et al (2017);  
see also: Braiding & Wardle (2012a,b)

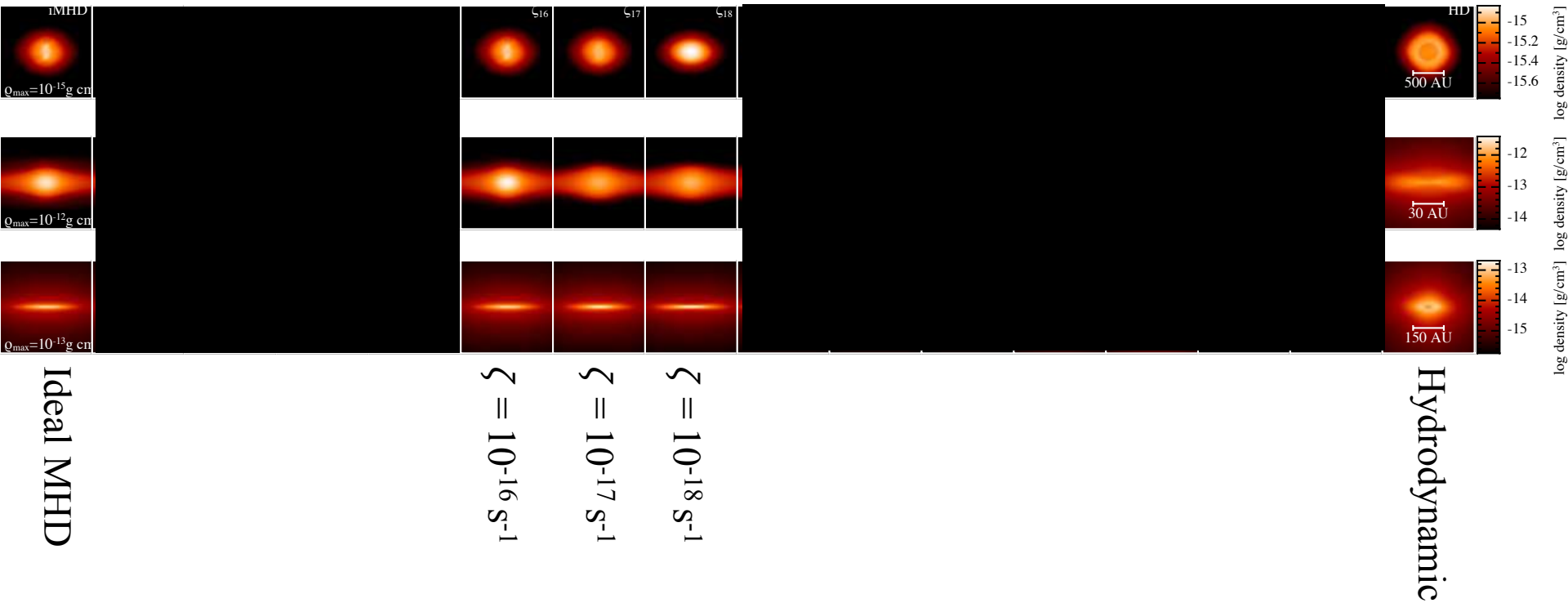
# Initial Conditions

- Initial conditions:
  - $1 M_{\text{sun}}$  of gas
  - Uniform density
  - Strong magnetic fields ( $\mu_0 = 5$ )
  - $\Omega \cdot \mathbf{B} < 0$  (primary suite)
  - $\Omega \cdot \mathbf{B} > 0$  (secondary suite)
- Processes included:
  - Non-ideal MHD
    - Ohmic resistivity
    - Hall Effect
    - Ambipolar diffusion



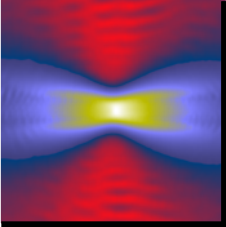


# Extreme Regimes: Ionisation Algorithms

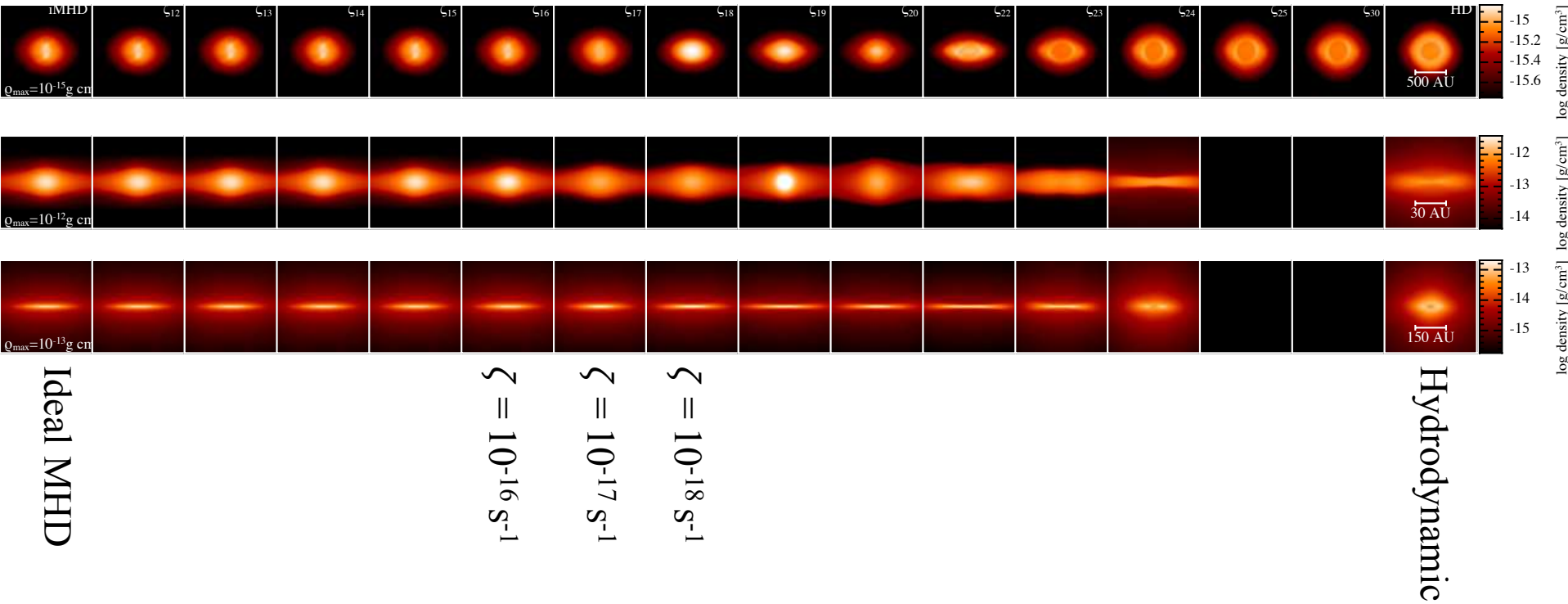


- Images are  $\log(\text{density})$ .
- Rows are  $\rho = 10^{-15} \text{ g cm}^{-3}$ ,  $\rho = 10^{-13} \text{ g cm}^{-3}$ ,  $\rho = 10^{-12} \text{ g cm}^{-3}$





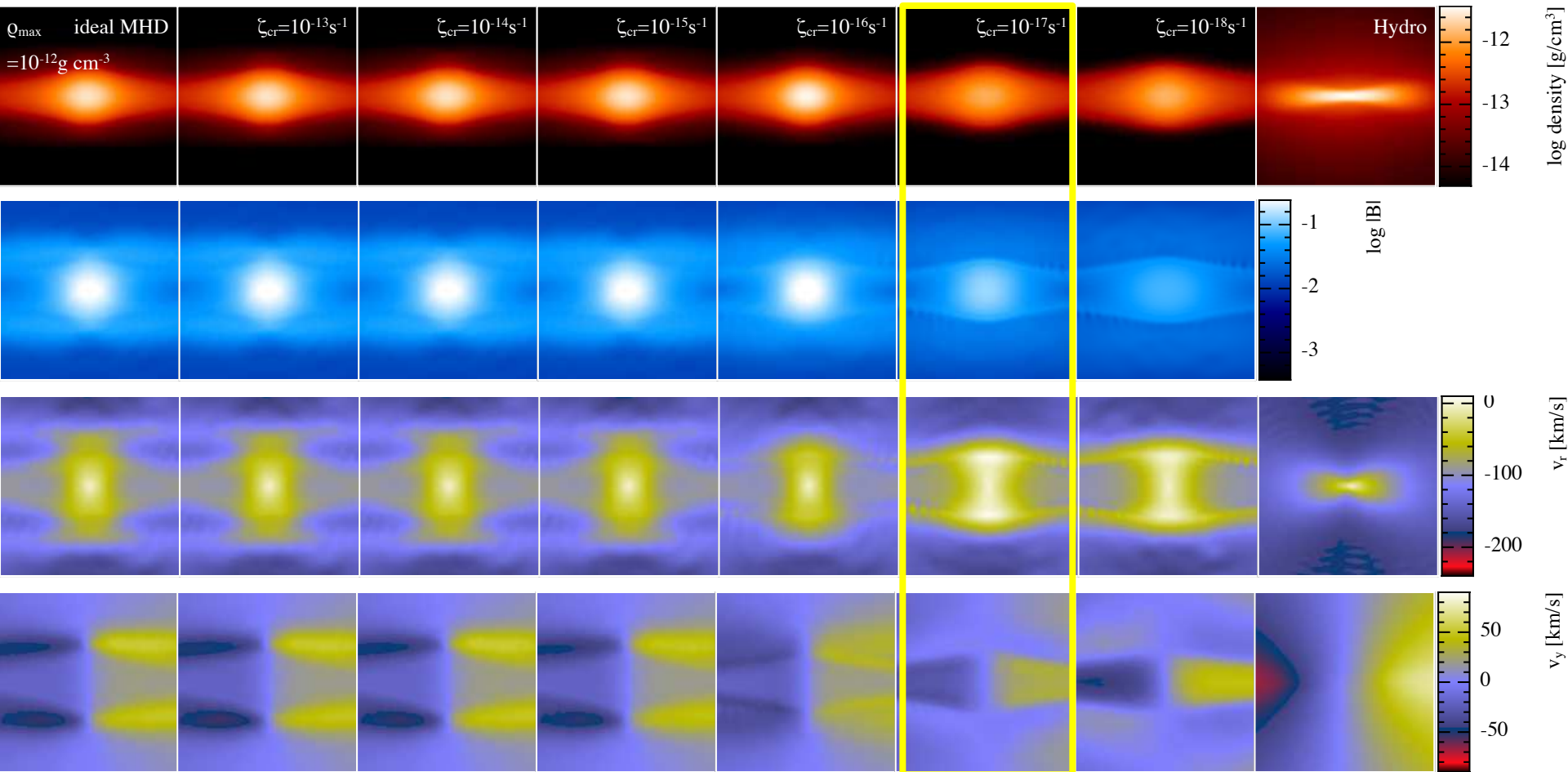
# Extreme Regimes: Ionisation Algorithms



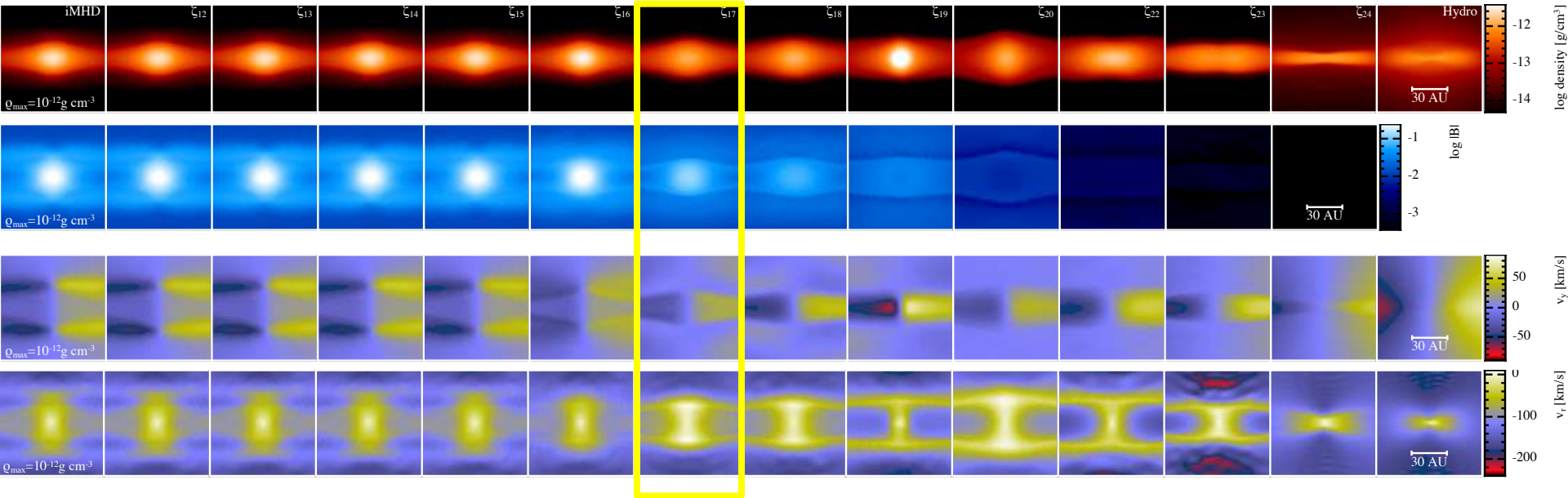
- Images are  $\log(\text{density})$ .
- Rows are  $\rho = 10^{-15} \text{ g cm}^{-3}$ ,  $\rho = 10^{-13} \text{ g cm}^{-3}$ ,  $\rho = 10^{-12} \text{ g cm}^{-3}$

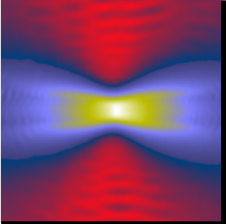


# Extreme Regimes: Ionisation Algorithms

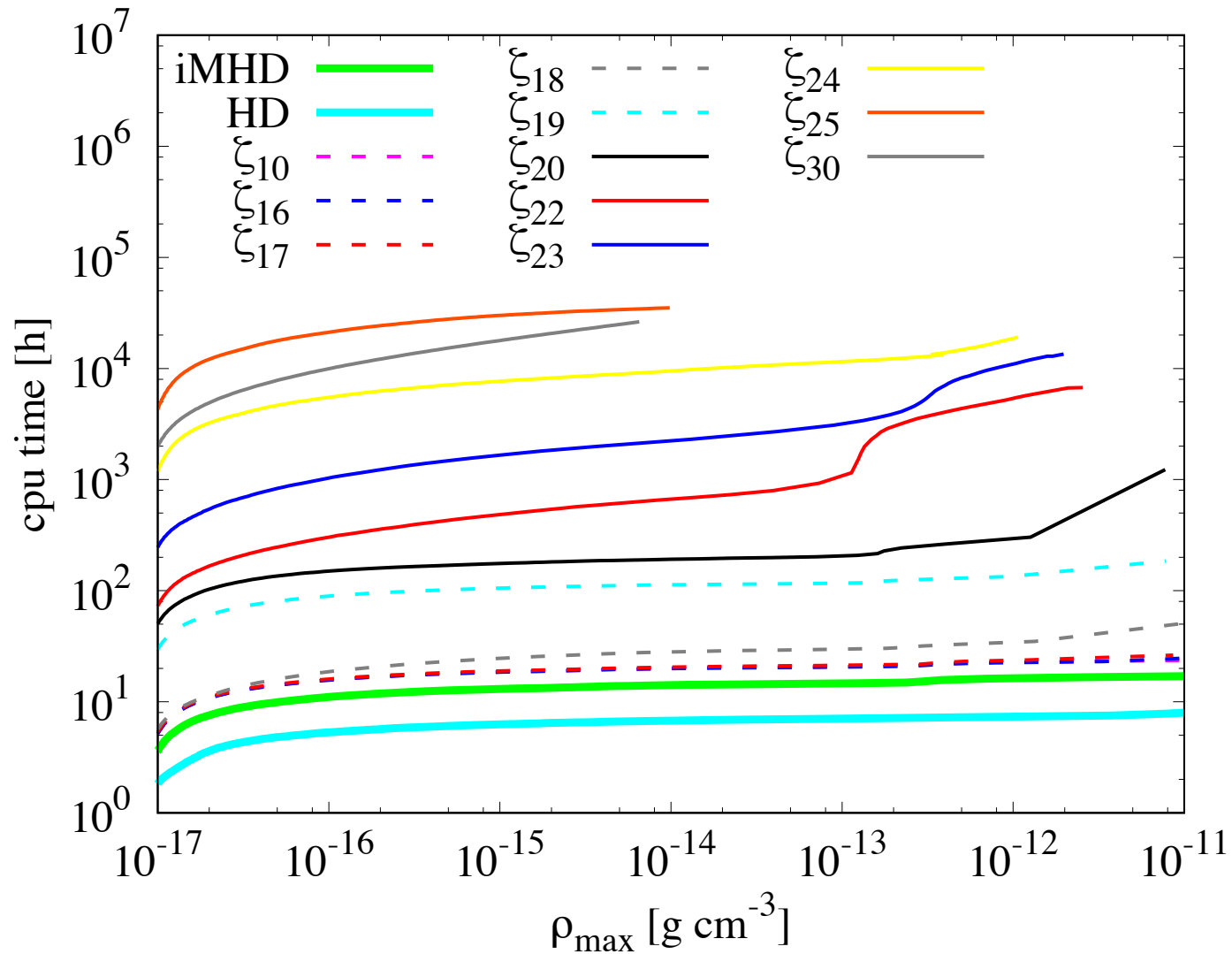


# Extreme Regimes: Ionisation Algorithms



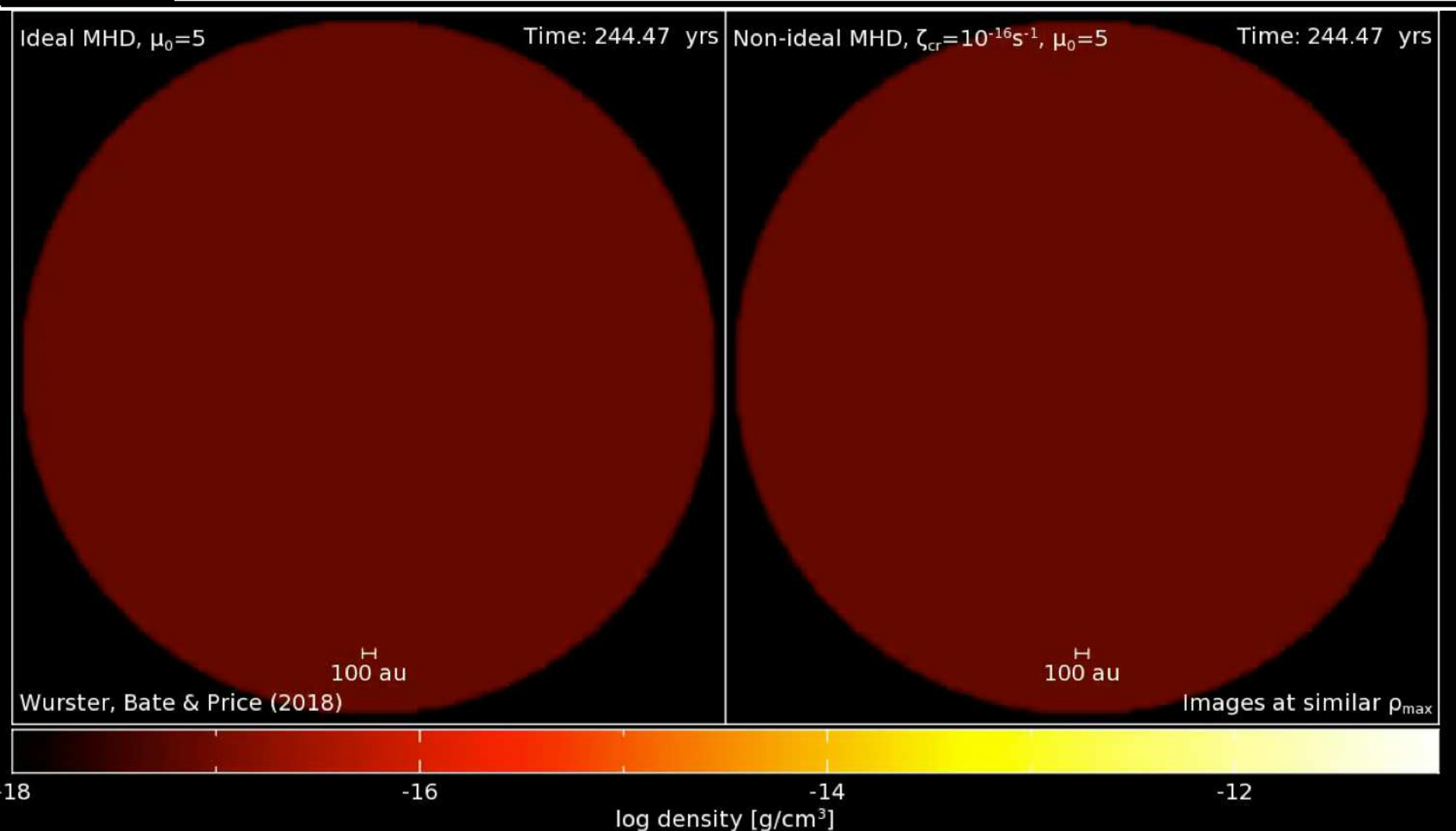


# Extreme Regimes: Ionisation Algorithms

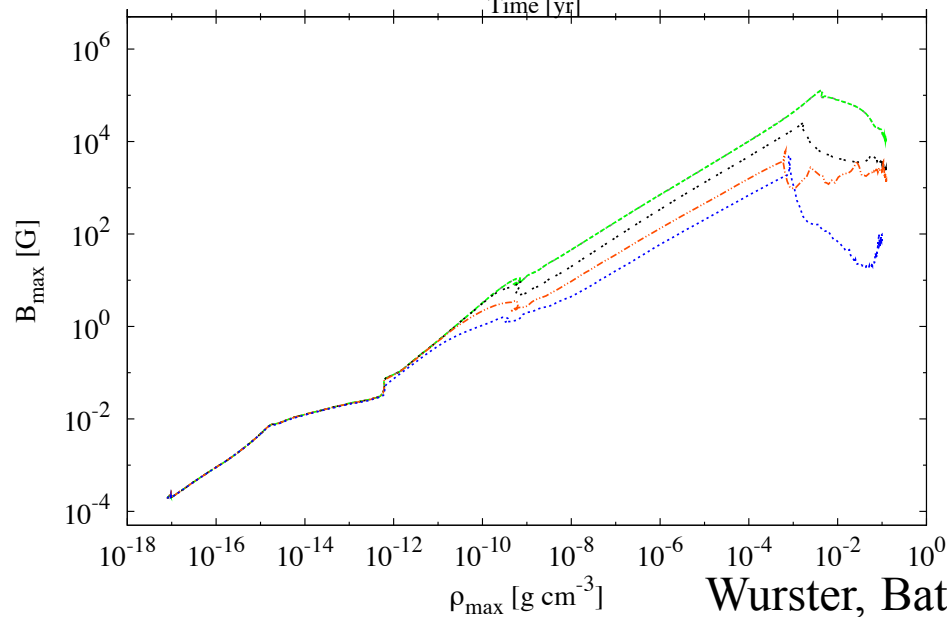
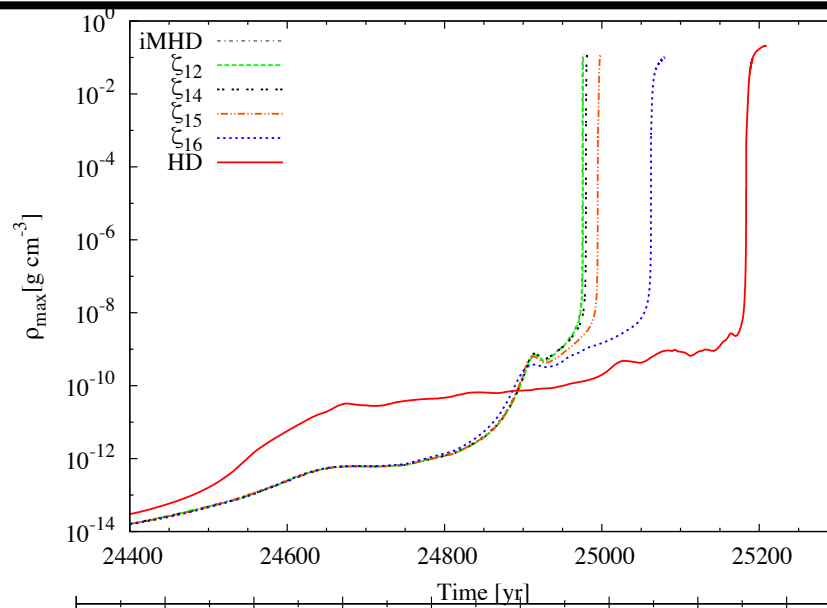
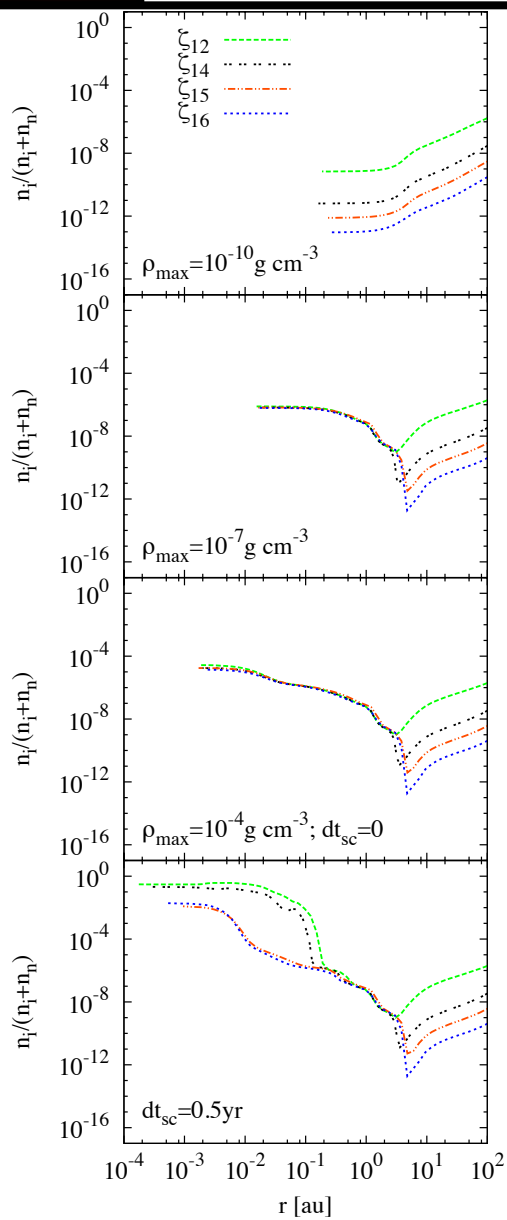




# *Collapse to stellar densities: Evolution of the density*

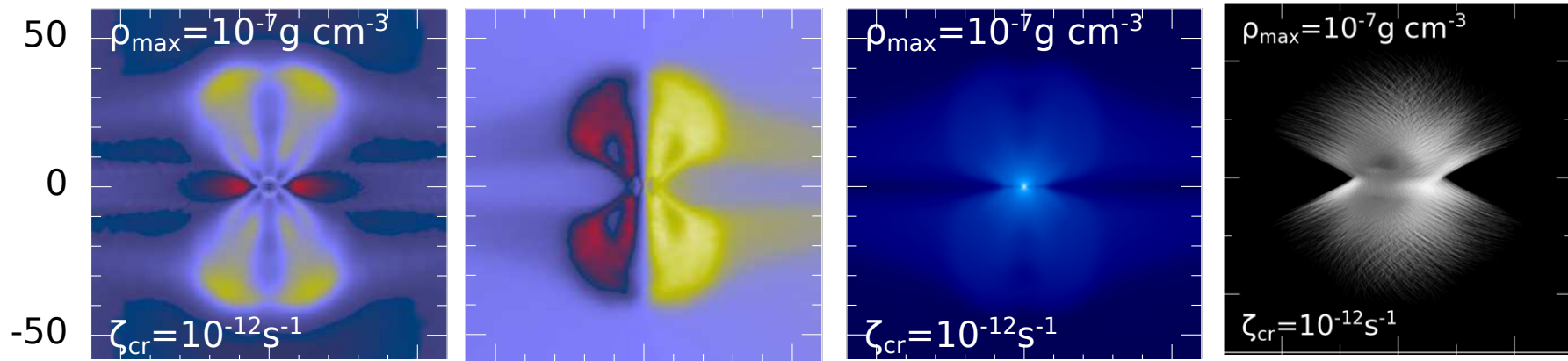


# Collapse to stellar densities

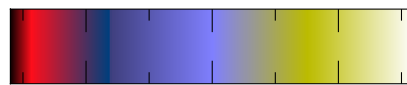
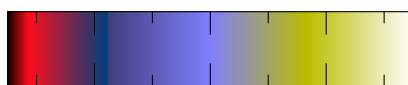
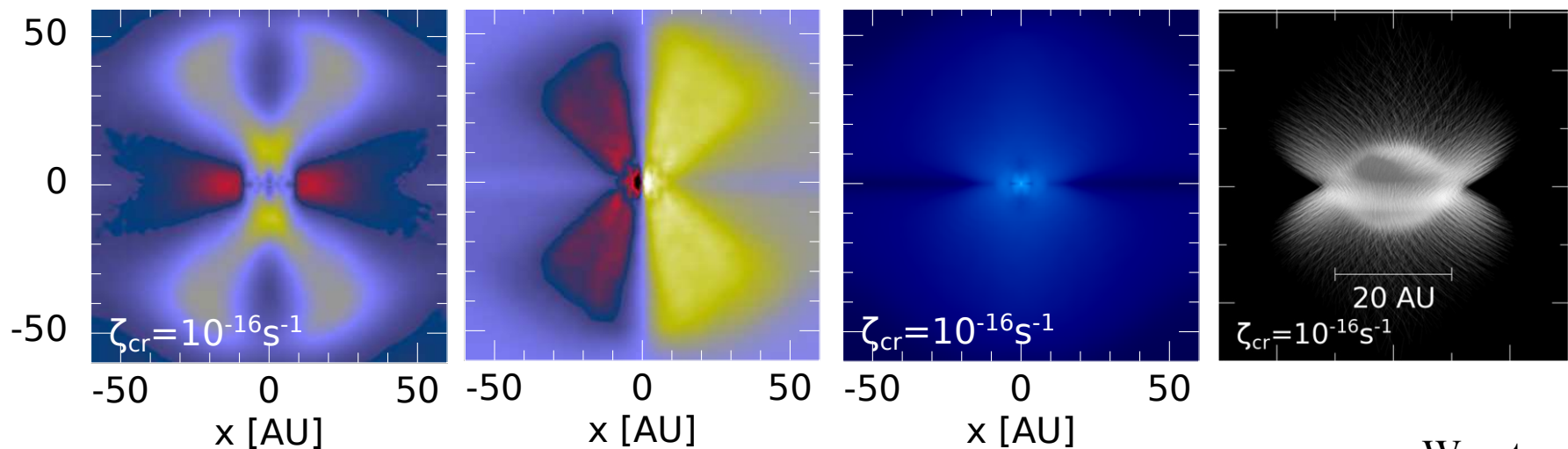


# *Collapse to stellar densities: First hydrostatic core*

z [AU]

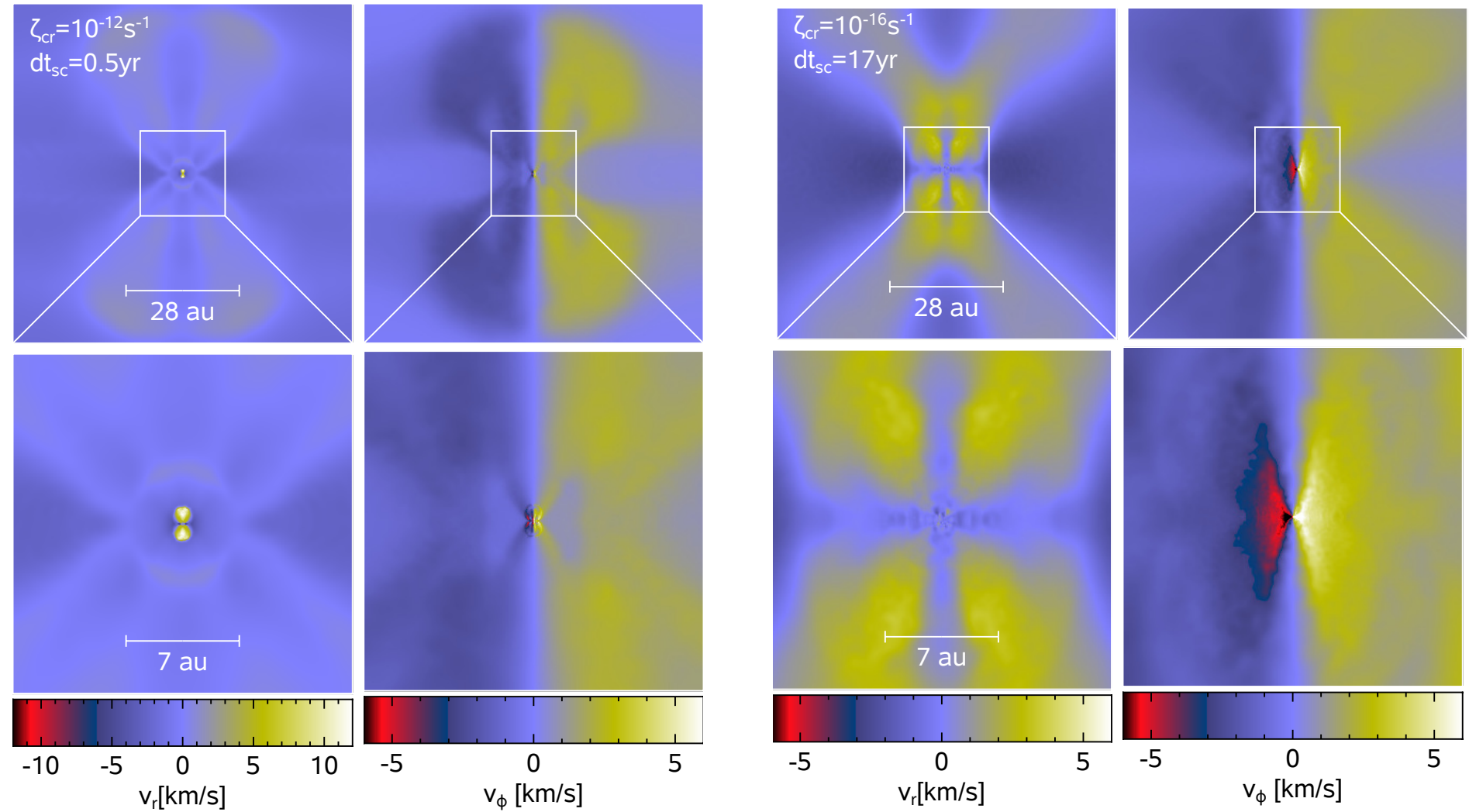


z [AU]

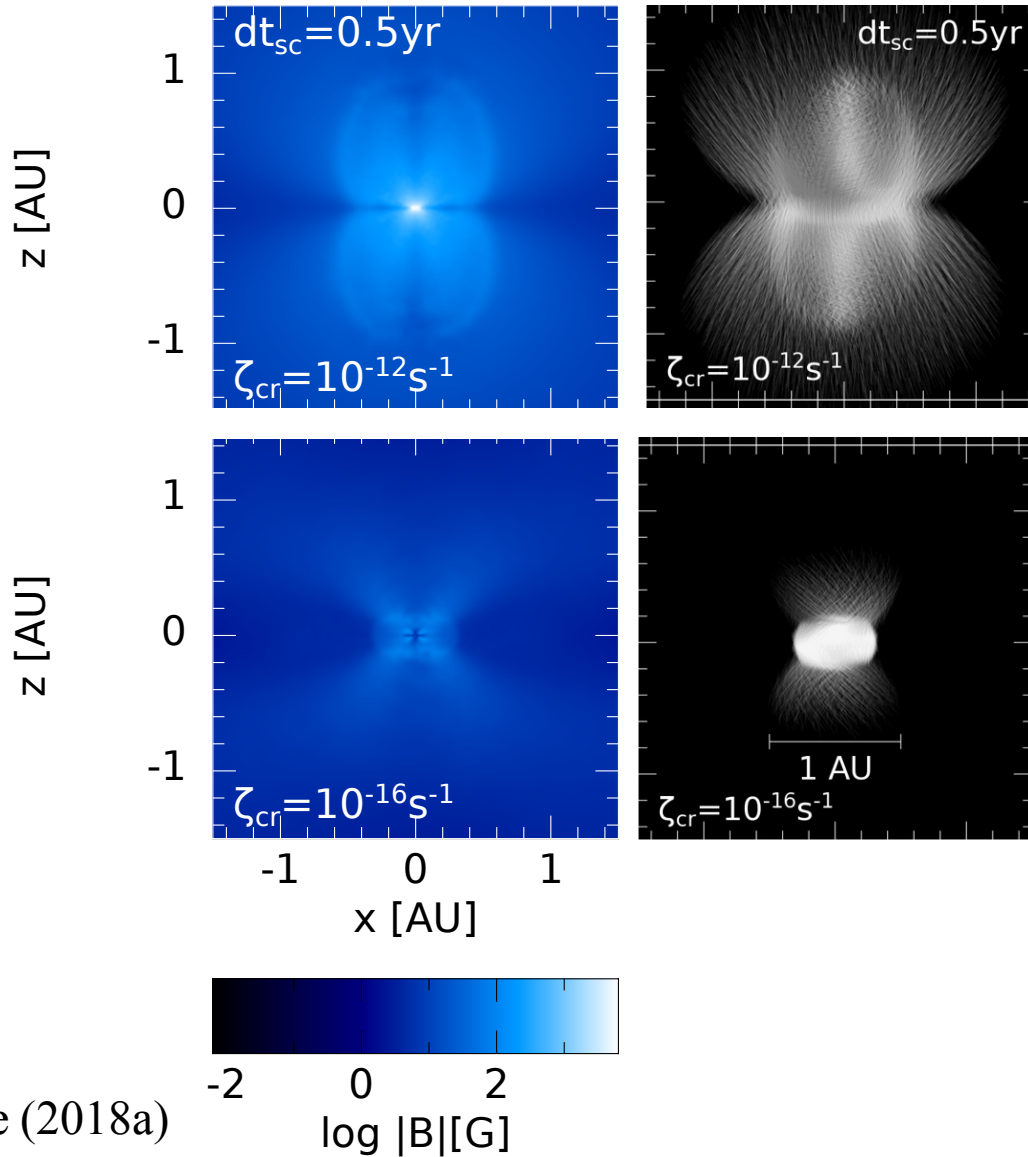


Wurster,  
Bate &  
Price  
(2018a)

# *Collapse to stellar densities: Stellar core*



# *Collapse to stellar densities:* *Stellar core*





# Conclusions

- Modelled the collapse of a molecular cloud core through the first core to stellar densities; included Ohmic resistivity, ambipolar diffusion, the Hall effect
- The coefficient of the Hall effect is similar to the ambipolar diffusion in the medium surrounding the core
- High cosmic ray ionisation rates can reproduce ideal MHD collapses
- Low cosmic ray ionisation rates can approximate hydrodynamical collapses, but cannot reproduce them
- Decreasing the cosmic ionisation rate increases the lifetime of the first hydrostatic core
- The first and second hydrostatic cores become thermally ionised, but the accreting material is still only ionised by cosmic rays
- The second core outflow is suppressed at low cosmic ray ionisation rates