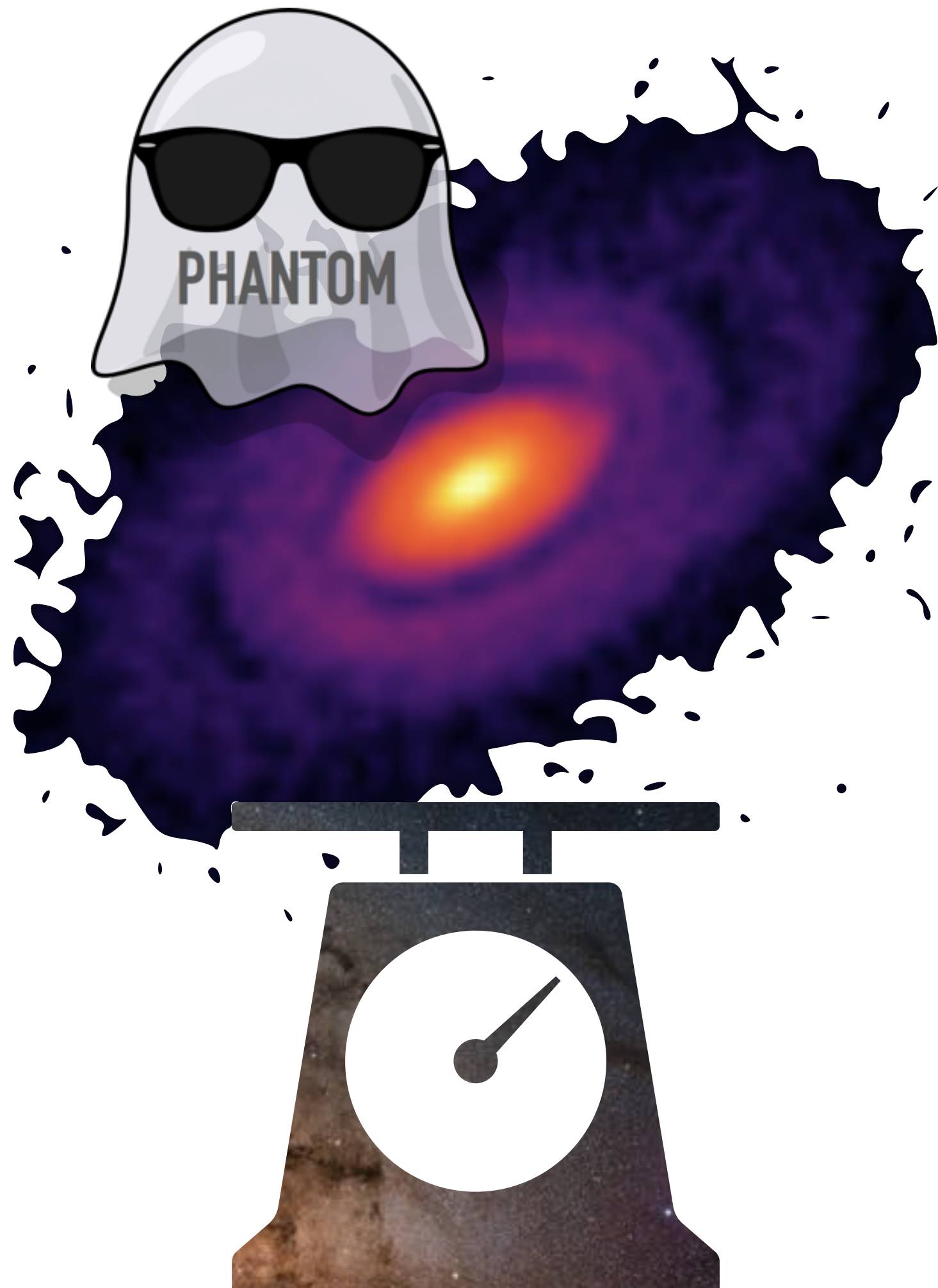


# A DYNAMICAL SCALE FOR PROTOPLANETARY DISCS (BENCHMARKING WITH PHANTOM AND OTHERS STORIES)

Benedetta Veronesi — CRAL, ENS de Lyon



## COLLABORATORS:

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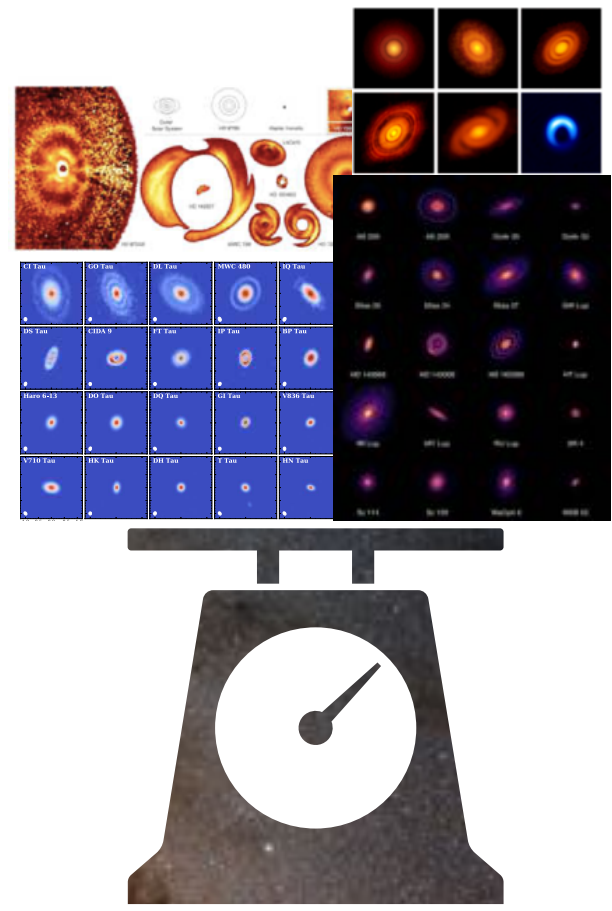
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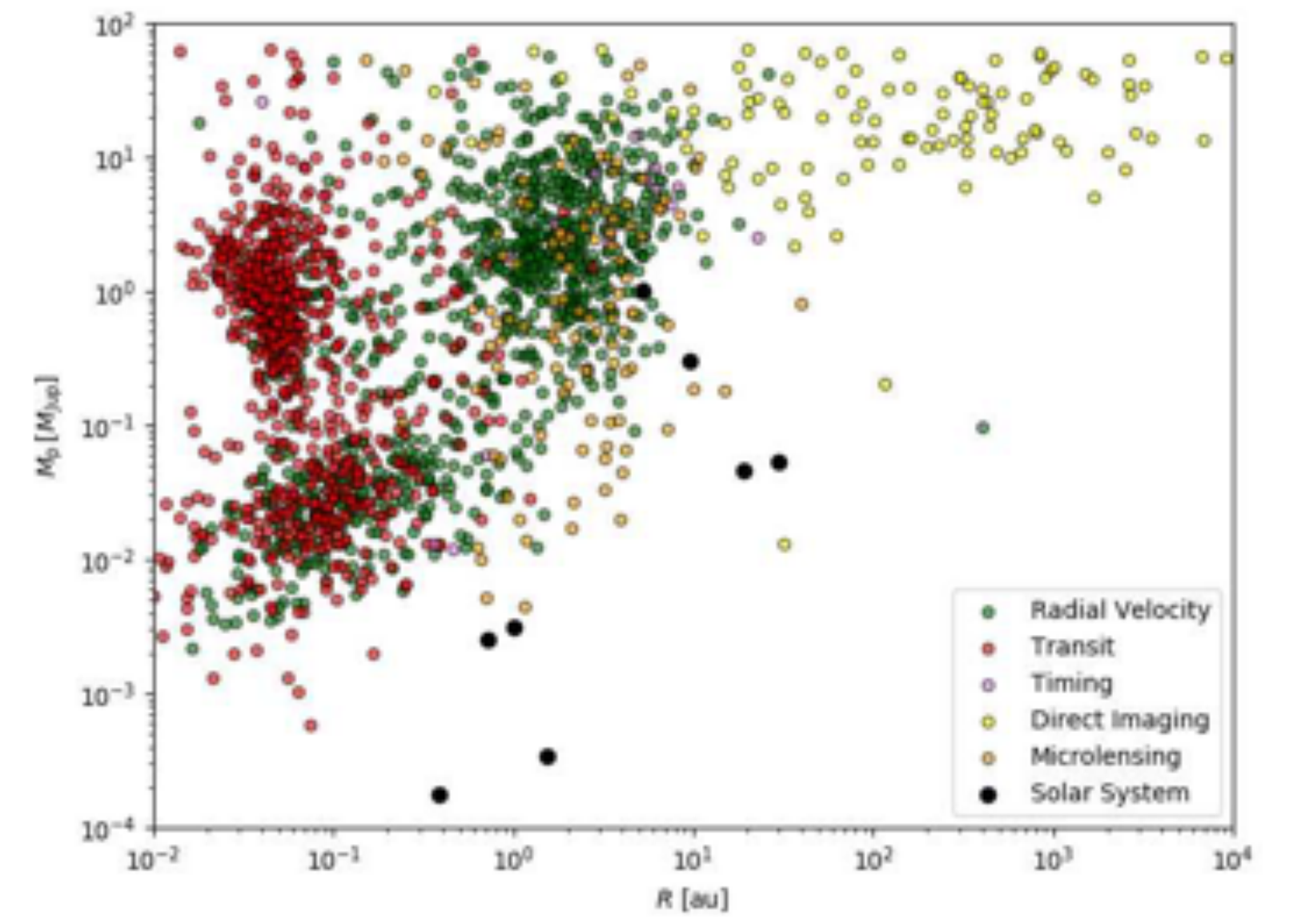
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February 15th, 2022 - PHANTOM and MCFOST users workshop - Monash Uni

# DISC MASS: WHY DO WE CARE?



Reservoir for planets: exoplanets distribution

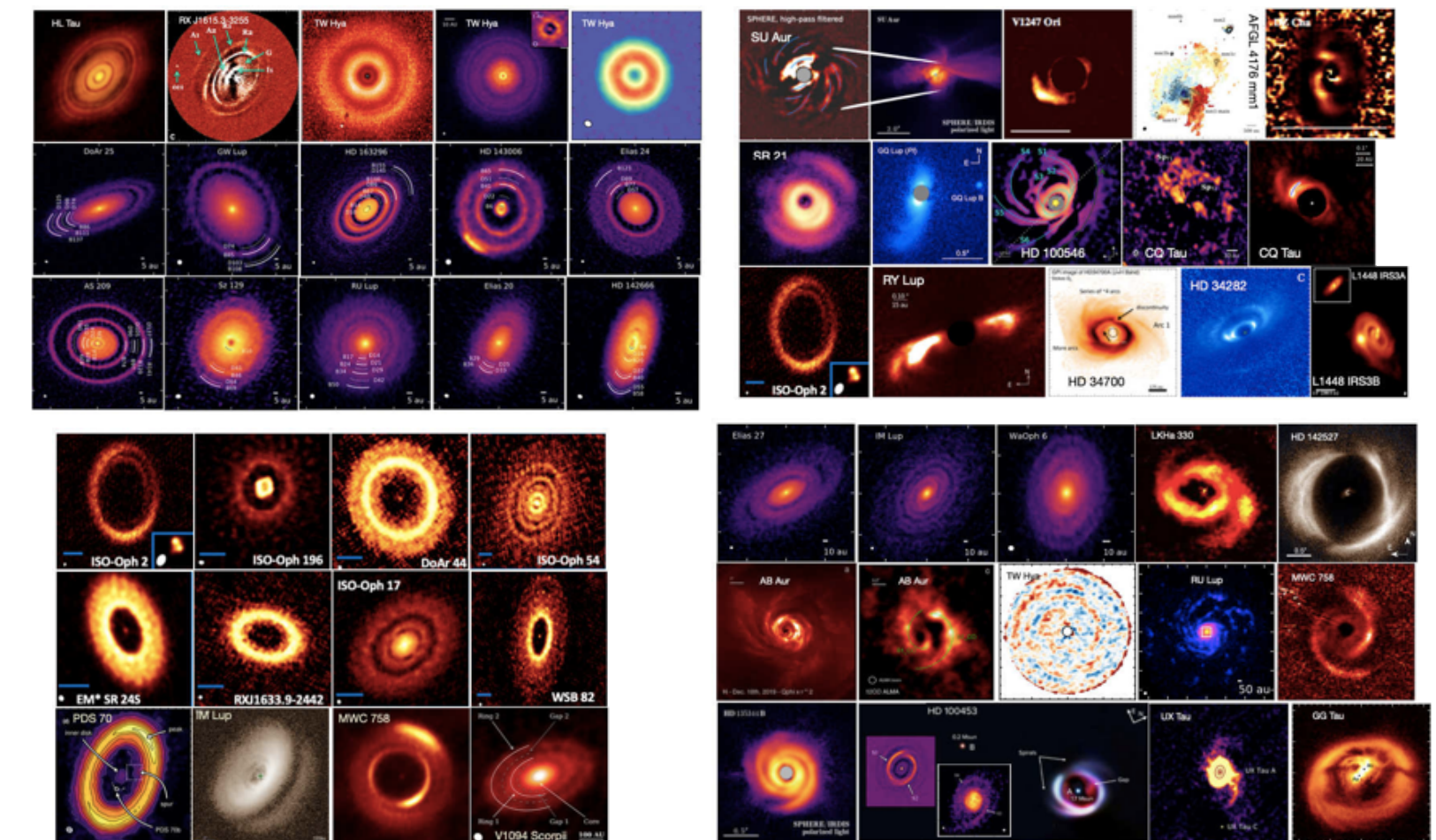


$$M_{\text{disc}} = ? M_{\odot}$$

$St \propto \Sigma^{-1}$ : dust and gas evolution (also, substructures...)

Planet evolution: migration, accretion...

...The entire disc evolution

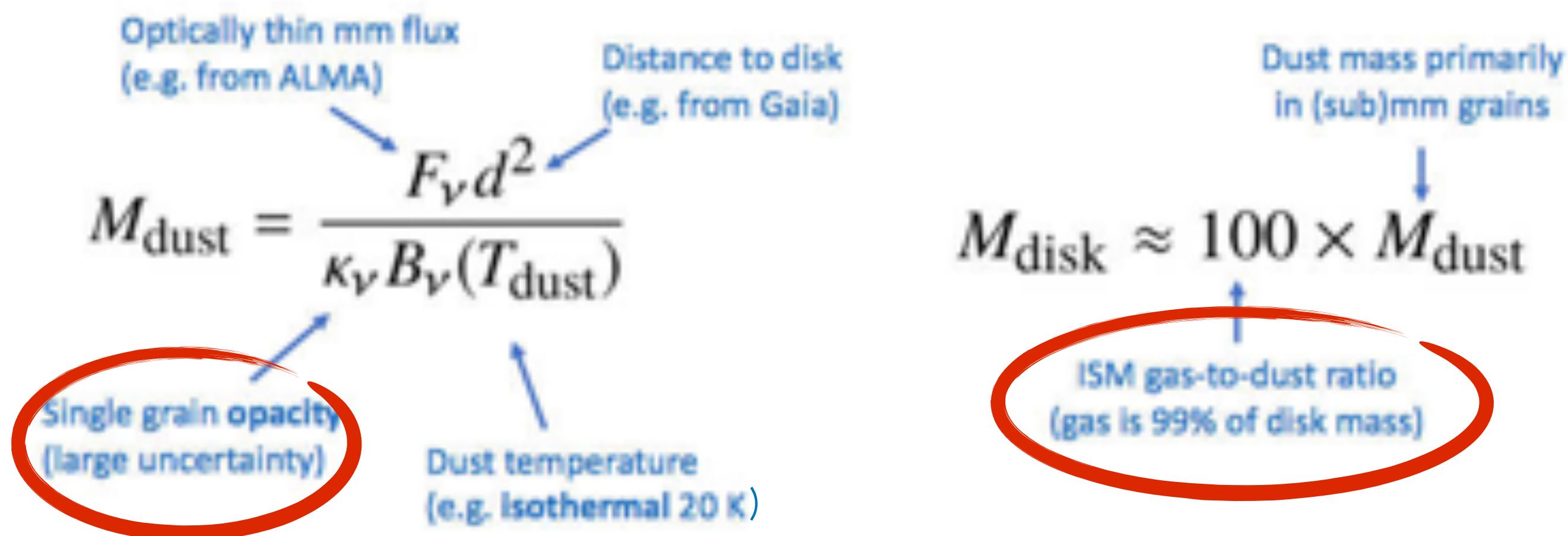


# HOW TO WEIGH PROTOPLANETARY DISCS?

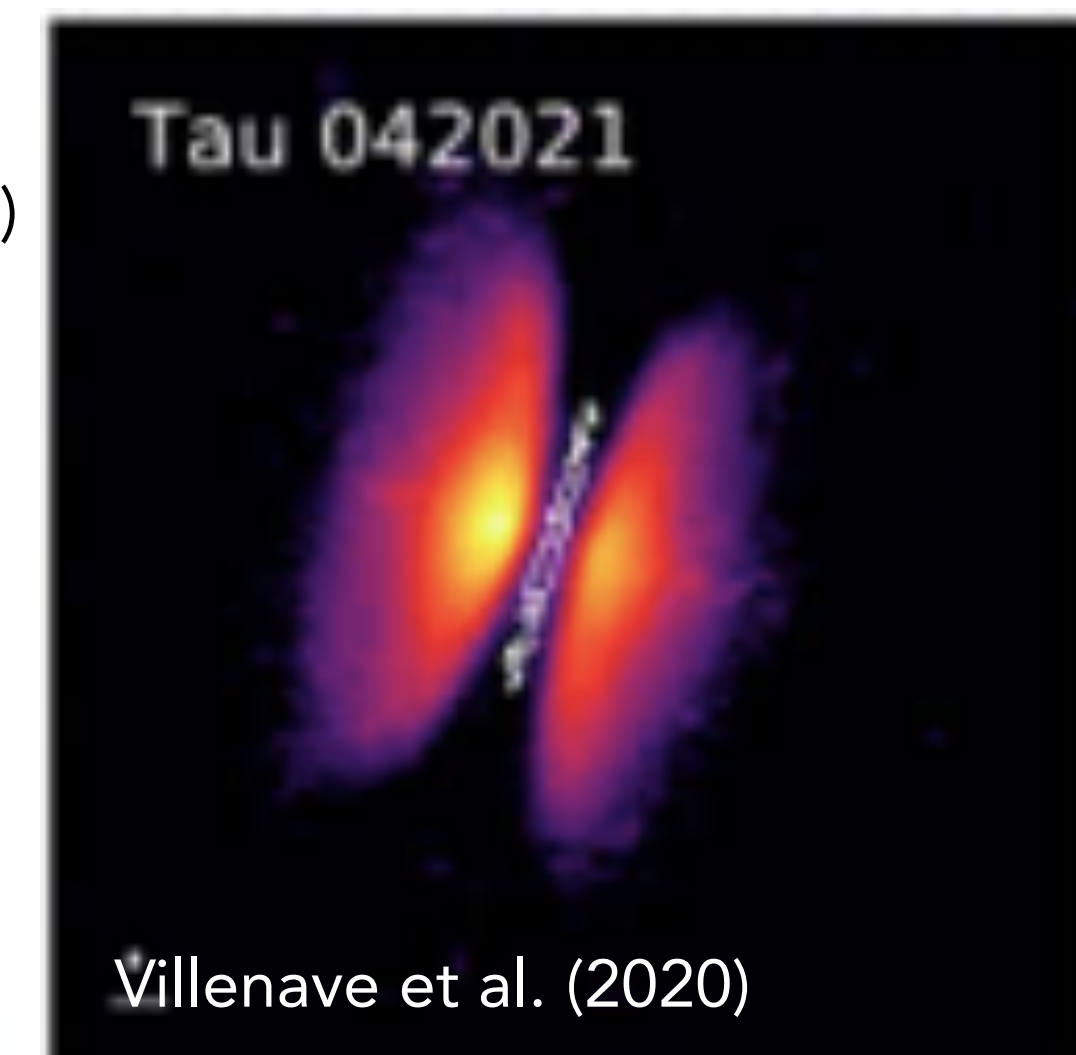
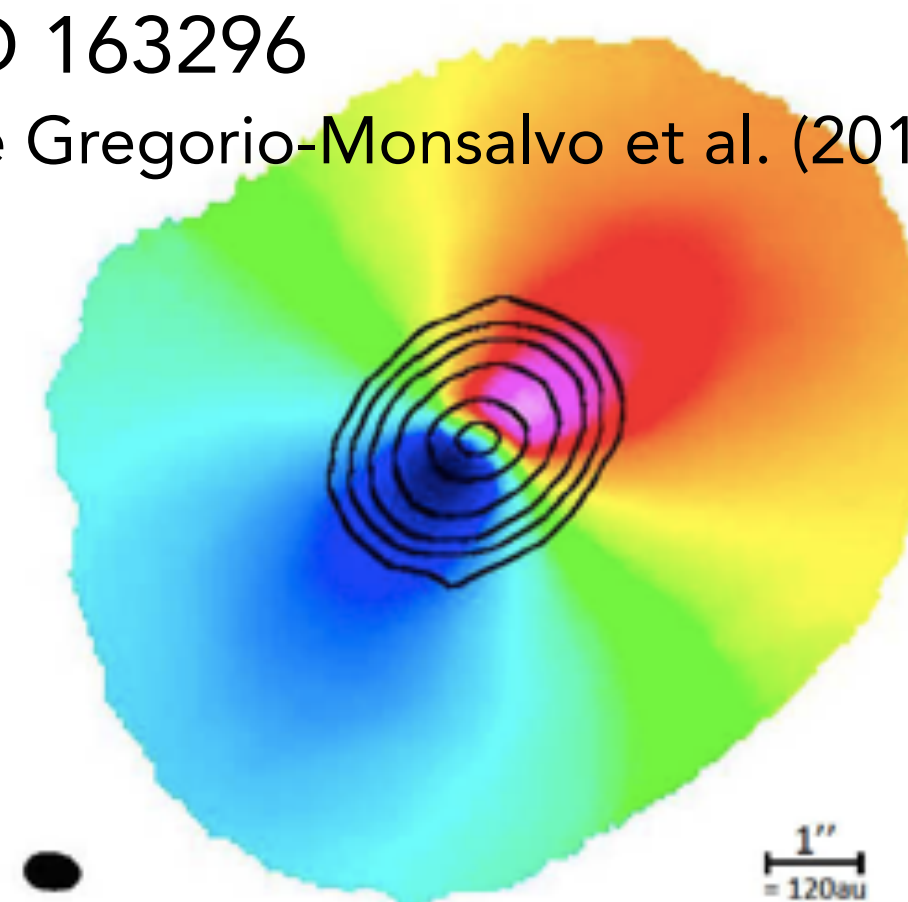


(more in detail, PPVII review: Miotello et al. 2022)

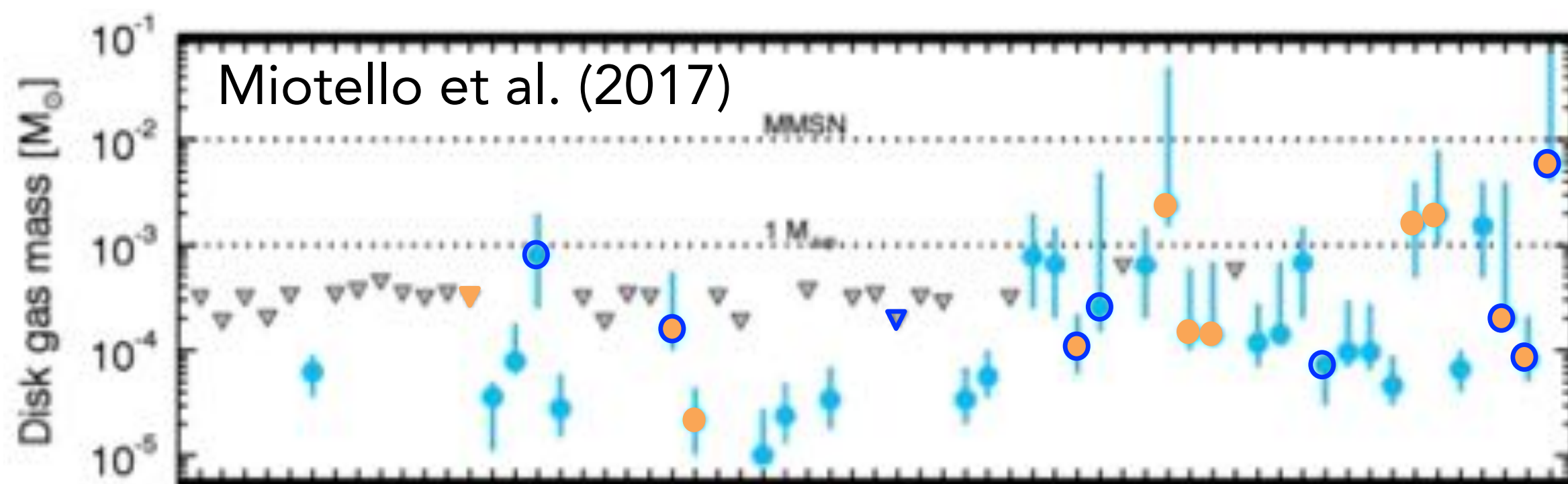
From the dust...



HD 163296  
de Gregorio-Monsalvo et al. (2013)



or gas mass.... CO-isotopologues



## Uncertainties:

- Gas-to-dust value = 100 ?? (Draine 2003)
- $R_{\text{gas}} \neq R_{\text{dust}}$ ,  $H_{\text{gas}} \neq H_{\text{dust}}$  (drift, settling, viscous evolution of the gas, initial conditions?...)
- Conversion factor CO-to-H<sub>2</sub> ??
- CO depletion?



# ALTERNATIVE DISC SCALE

Is there a method to estimate the disc mass which is independent of the conversion factor CO/dust-H<sub>2</sub>?

HD measurements



HD does not freeze-out! T vertical structure needed (Trapman et al. 2017) e.g., TW Hya (Bergin et al. 2013), DM Tau and GM Aur (McClure et al. 2016)

Disc dust lines at different  $\lambda$ ,  $R_{mm}$



Total gas surface density estimate

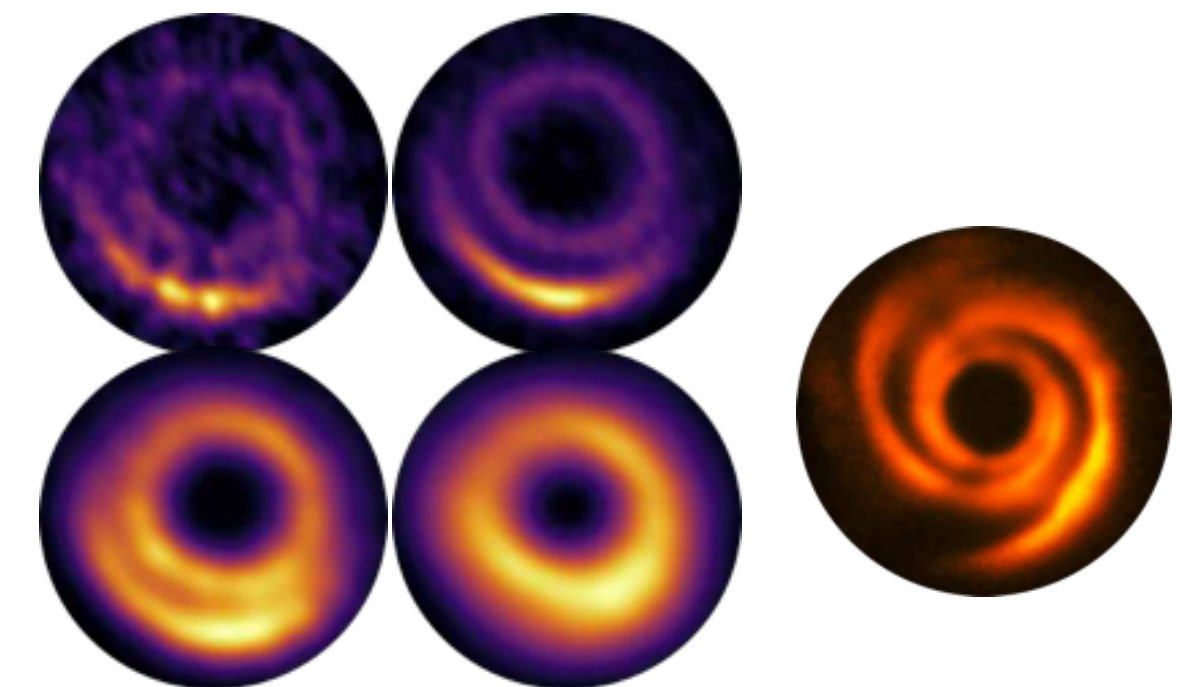
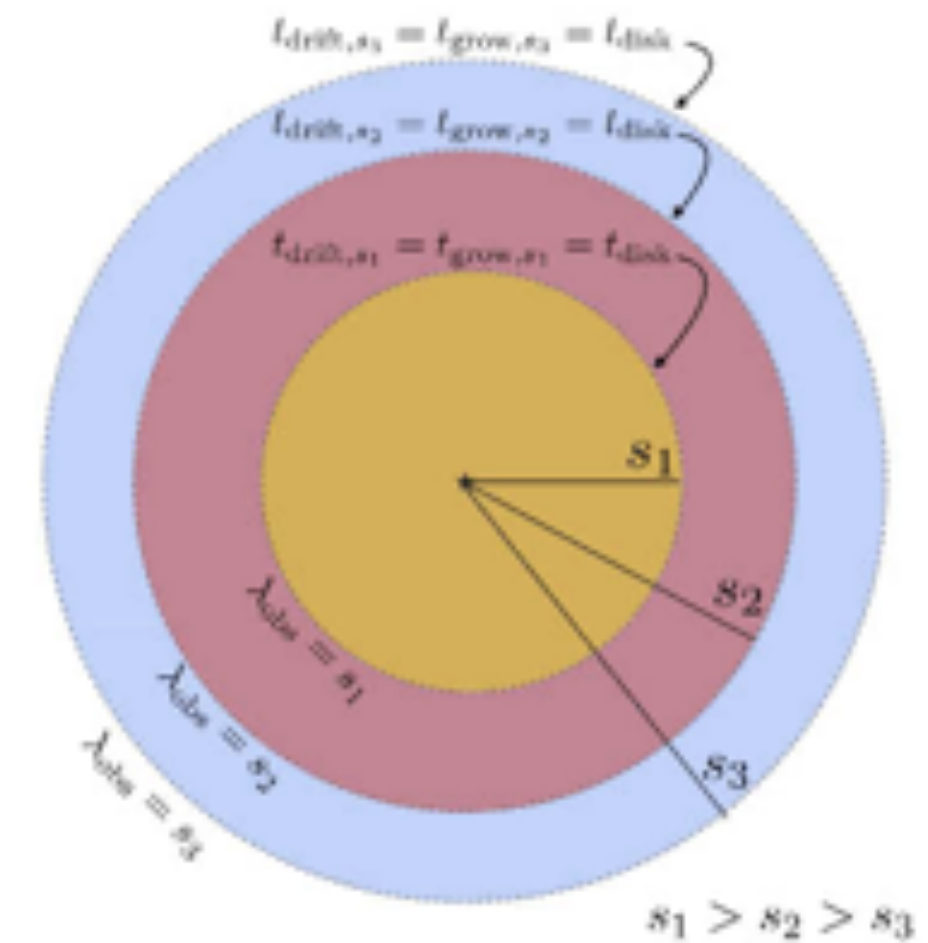
(Powell et al. 2017, 2019)

Scattered light vs continuum features



Dust/gas interaction as disc scale (local surface density estimate)

Veronesi et al. (2019)



Dynamically, searching for **SG** deviation from Keplerianity in the disc rotation curve!

DISC SELF-GRAVITY  
IN A NUTSHELL



# DISC SELF-GRAVITY IN A NUTSHELL



$$(\omega - m\Omega(r))^2 = c_s^2 k^2 - 2\pi G \Sigma |k| + \kappa^2 \quad \text{Lin \& Shu (1964)}$$

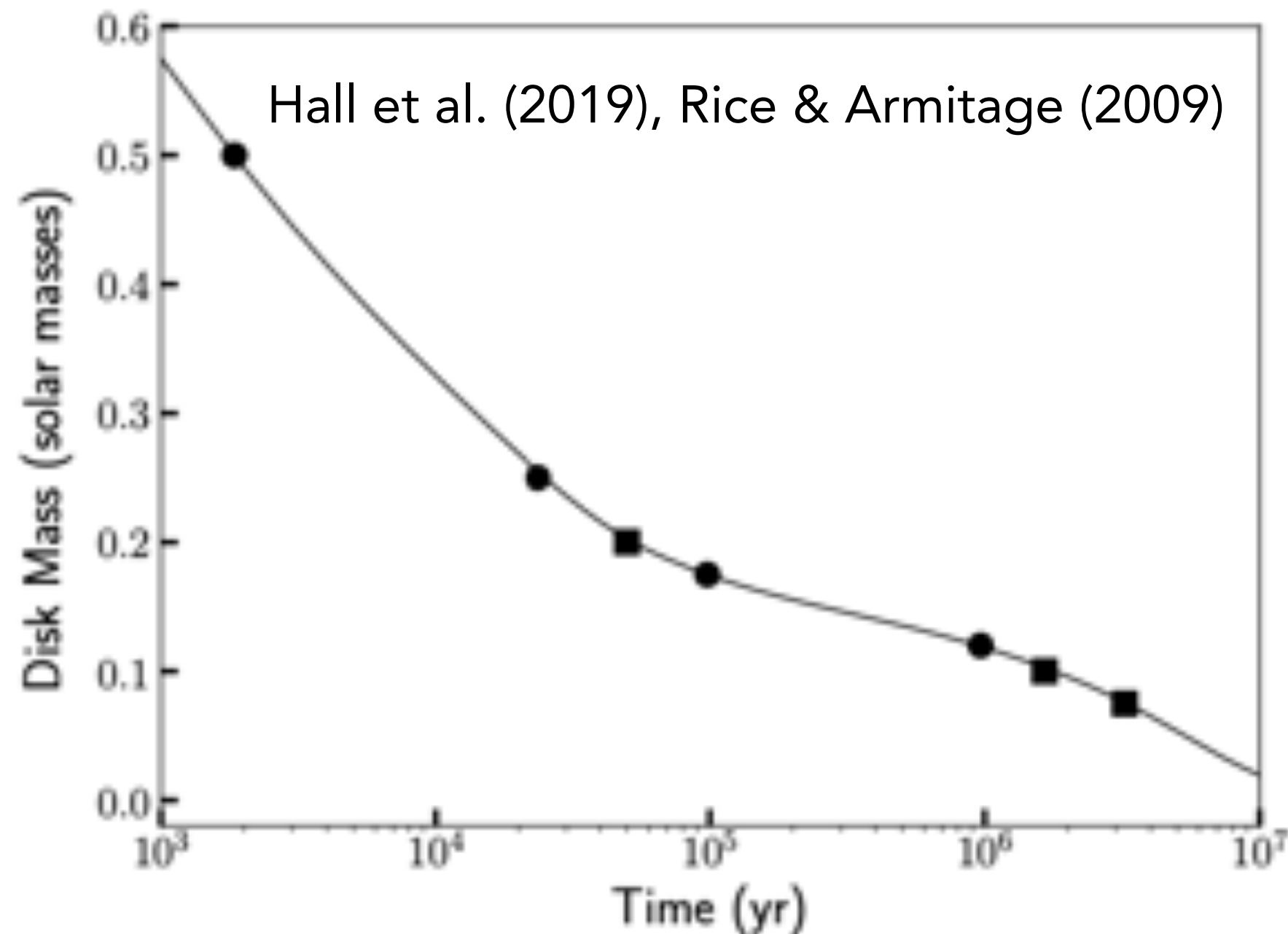
$$Q = \frac{c_s \kappa}{\pi G \Sigma} \approx \frac{M_* H}{M_d r} \leq 1 \quad \longrightarrow \quad \frac{M_d}{M_*} \approx \frac{H}{R} \geq 0.06 - 0.1$$

DISC IS SELF-GRAVITATING UNSTABLE!

Disc self gravity  $\gg$  gas pressure (small scale) + rotation (large scale)

Toomre (1964)

SG fundamental to understand the entire planet formation process



## When?

- Initial evolutionary stages, after formation from the parental molecular cloud
- Rapid accretion and/or late episode of infall accretion from the MC (e.g. Elias 2-27?)

# DISC SELF-GRAVITY IN A NUTSHELL



$$(\omega - m\Omega(r))^2 = c_s^2 k^2 - 2\pi G \Sigma |k| + \kappa^2 \quad \text{Lin \& Shu (1964)}$$

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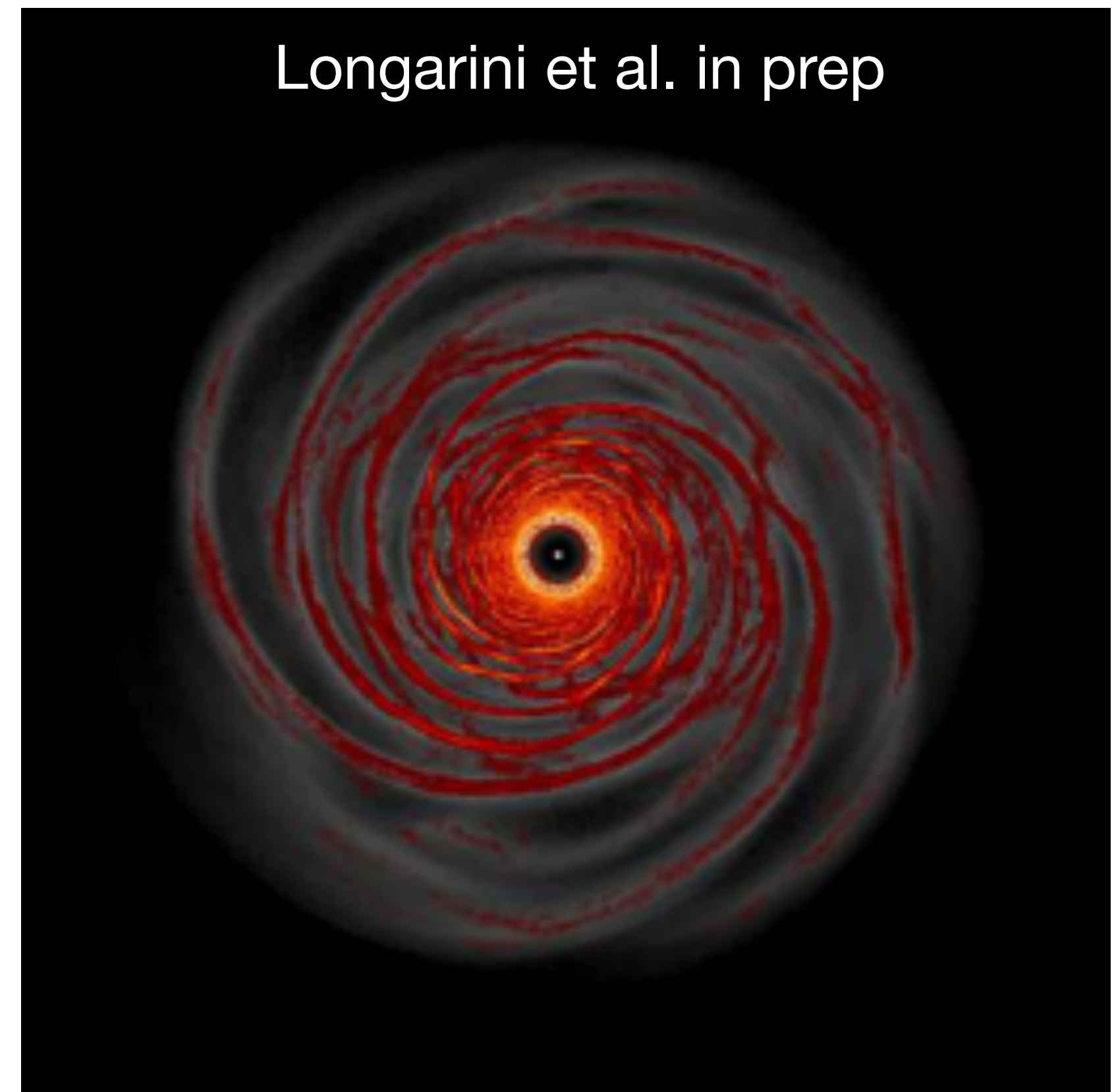
Dust concentration and fragmentation in GI spirals

(Rice et al. 2004,2006; Longarini et al. 2023 + in prep, , Sahl's talk and Cristiano's talk tomorrow!)

Planetesimals survival in a self-gravitating disc?

(unlikely, const  $\beta$ : e.g., Baruteau et al. 2011, Malik et al. 2015; possible,  $\beta(R)$ : e.g., Rowther et al. 2020)

Longarini et al. in prep



# DISC SELF-GRAVITY IN A NUTSHELL



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Disc self gravity >> gas pressure (small scale) + rotation (large scale)

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SG fundamental to understand the entire planet formation process

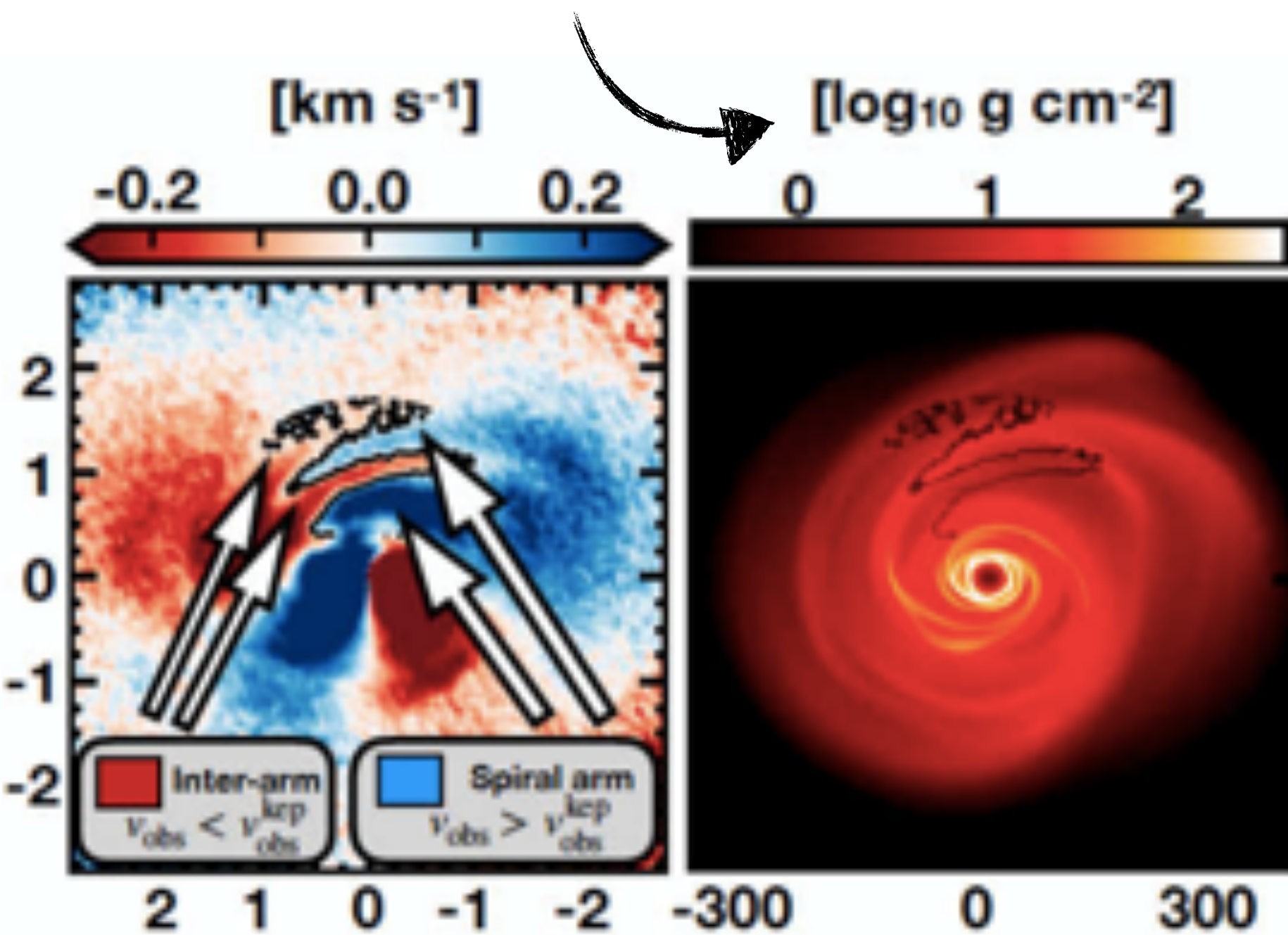
Self-gravity contributes to the gravitational potential:

- **basic state: super-Keplerian rotation curve**

(e.g., Lodato & Bertin 2003; Veronesi et al. 2021; Lodato et al. 2022; Veronesi, Longarini et al. in prep)

- **non axisymmetric perturbation: GI spirals ->**

wiggle (Hall et al. 2020; Terry et al. 2021; Longarini et al. 2021, see Cristiano's talk!)



Hall et al. (2020)



LET'S GO BACK TO THE  
DYNAMICAL SCALE IDEA...

# THE MODEL: WHERE WE STARTED & WHERE WE'RE GOING

Veronesi et al. (2021), Lodato et al. (2023) + work in prep with C. Longarini, G. Lodato, P. Curone, G. Laibe, T. Paneque, C. Hall & others

$$v_{\text{rot}}^2 = v_k^2 + v_{\text{disc}}^2 + v_p^2$$

~~$M_{\text{disc}} \ll M_{\star}$     $v_{\text{rot}}^2 = v_k^2$    Keplerian disc~~

## Star contribution: Keplerian term

$$v_{\star}^2 = \frac{GM_{\star}R^2}{(R^2 + z^2)^{3/2}} = R^2\Omega_k^2 \left[ 1 + \left(\frac{z}{R}\right)^2 \right]^{-3/2} \quad \Omega_k^2 = GM_{\star}/R^3$$

Keplerian term

With:

$$\Sigma(R) = \frac{(2-\gamma)M_d}{2\pi R_c^2} \left(\frac{R}{R_c}\right)^{-\gamma} \exp\left[-\left(\frac{R}{R_c}\right)^{2-\gamma}\right]$$

$$P = c_s^2 \rho \quad c_s \propto R^{-q}$$

## Disc contribution: super-Keplerian term

$$v_d^2 = G \int_0^{\infty} dr' \left[ K(\zeta) - \frac{1}{4} \left( \frac{\zeta^2}{1-\zeta^2} \right) \times \left( \frac{R'}{R} - \frac{R}{R'} + \frac{z^2}{RR'} \right) E(\zeta) \right] \sqrt{\frac{R'}{R}} \zeta \Sigma(R')$$

Bertin & Lodato (1999)

## Pressure contribution (both radial and vertical)

From hydrostatic equilibrium:

$$\rho(R, z) = \rho_0(R) \exp\left[-\frac{R^2}{H^2} \left(1 - \frac{1}{\sqrt{1+z^2/R^2}}\right)\right]$$

(for  $z \ll R \rightarrow$  Gaussian)

$$P(R, z) = P_0(R) \exp\left[-\frac{R^2}{H^2} \left(1 - \frac{1}{\sqrt{1+z^2/R^2}}\right)\right]$$

$$v_p^2 = \frac{R}{\rho} \frac{dP}{dR}$$



Further development of the previous model used in Veronesi et al. (2021):

e.g., **pressure gradient  $z(R)$  dependence**

(Lodato et al. 2023)

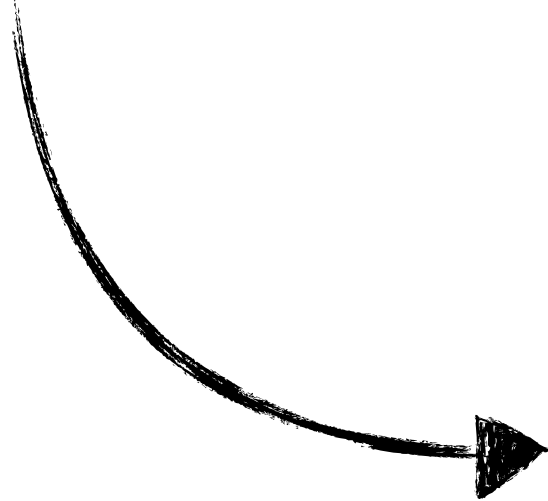
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Vertical pressure gradient + stellar contribution: sub-keplerian



$$v_{\text{rot}}^2 = v_K^2 \left\{ 1 - \left[ \gamma' + (2 - \gamma) \left( \frac{R}{R_c} \right)^{2-\gamma} \right] \left( \frac{H}{R} \right)^2 - q \left( 1 - \frac{1}{\sqrt{1 + (z/R)^2}} \right) \right\} + v_{\text{disc}}^2$$

Radial pressure gradient: sub-keplerian

Disc contribution non negligible when:

- Gravitationally marginally unstable  $M_d/M_{\star} \approx H/R$
- Gravitationally stable  $(H/R)^2 < M_d/M_{\star} < H/R$

# THE MODEL: WHERE WE STARTED & WHERE WE'RE GOING

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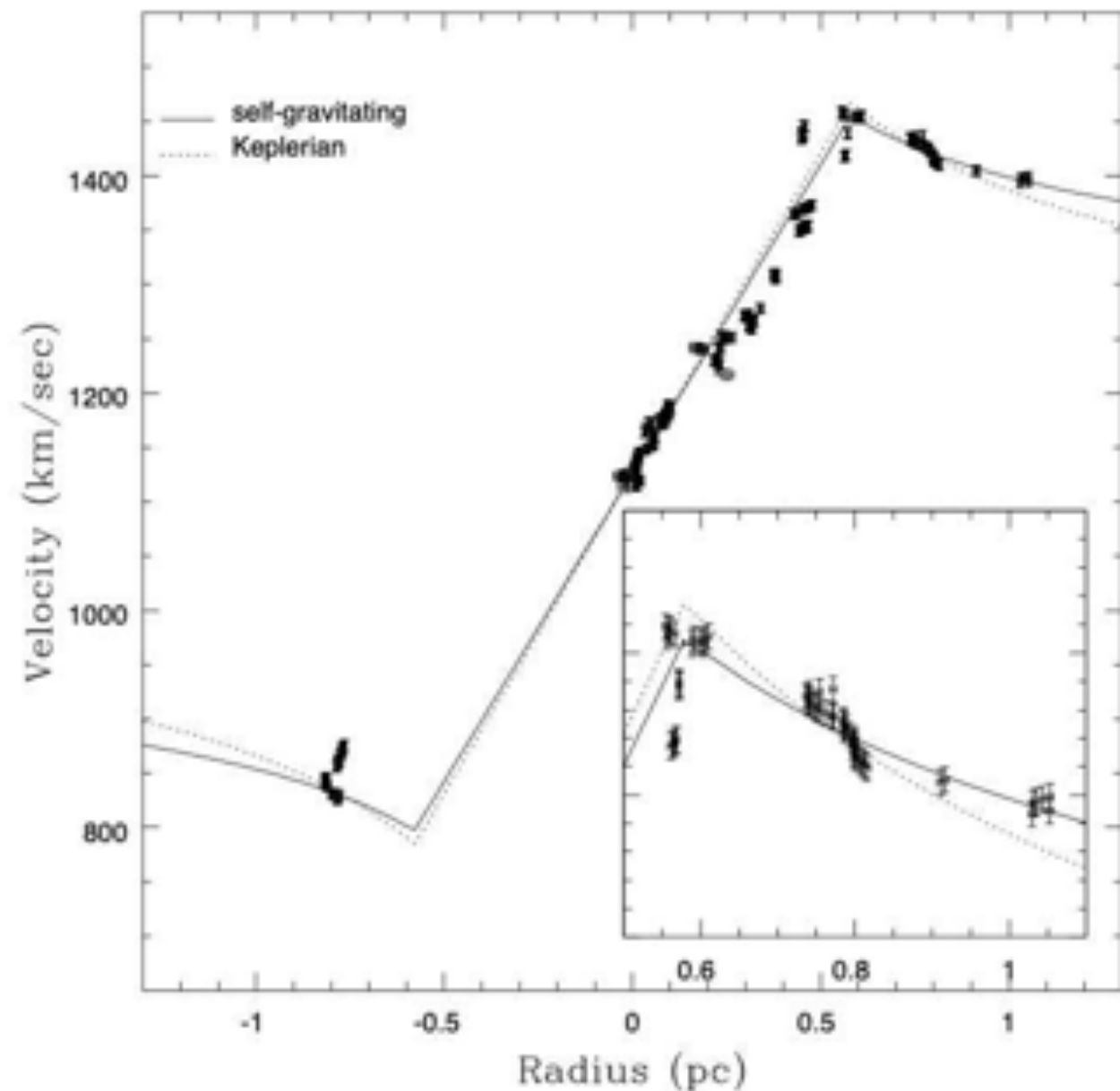
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Radial pressure gradient: sub-keplerian

Deviations from Keplerian rotation in protoplanetary disc with a self-gravitating model

Infer simultaneously the **disc and star mass**, and also the **outer disc radius**

Lodato & Bertin (2003)



# THE FIRST CANDIDATE: ELIAS 2-27

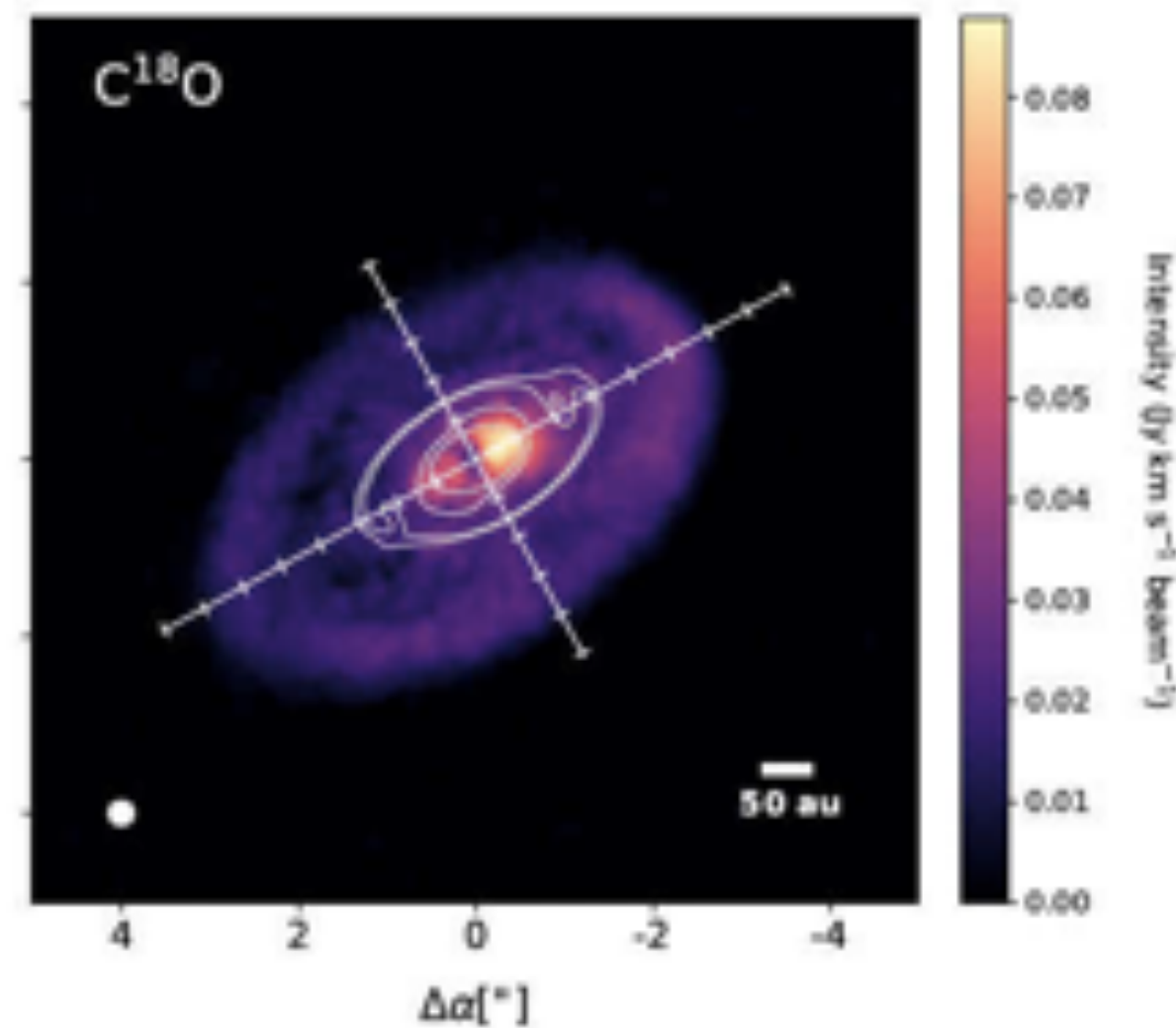
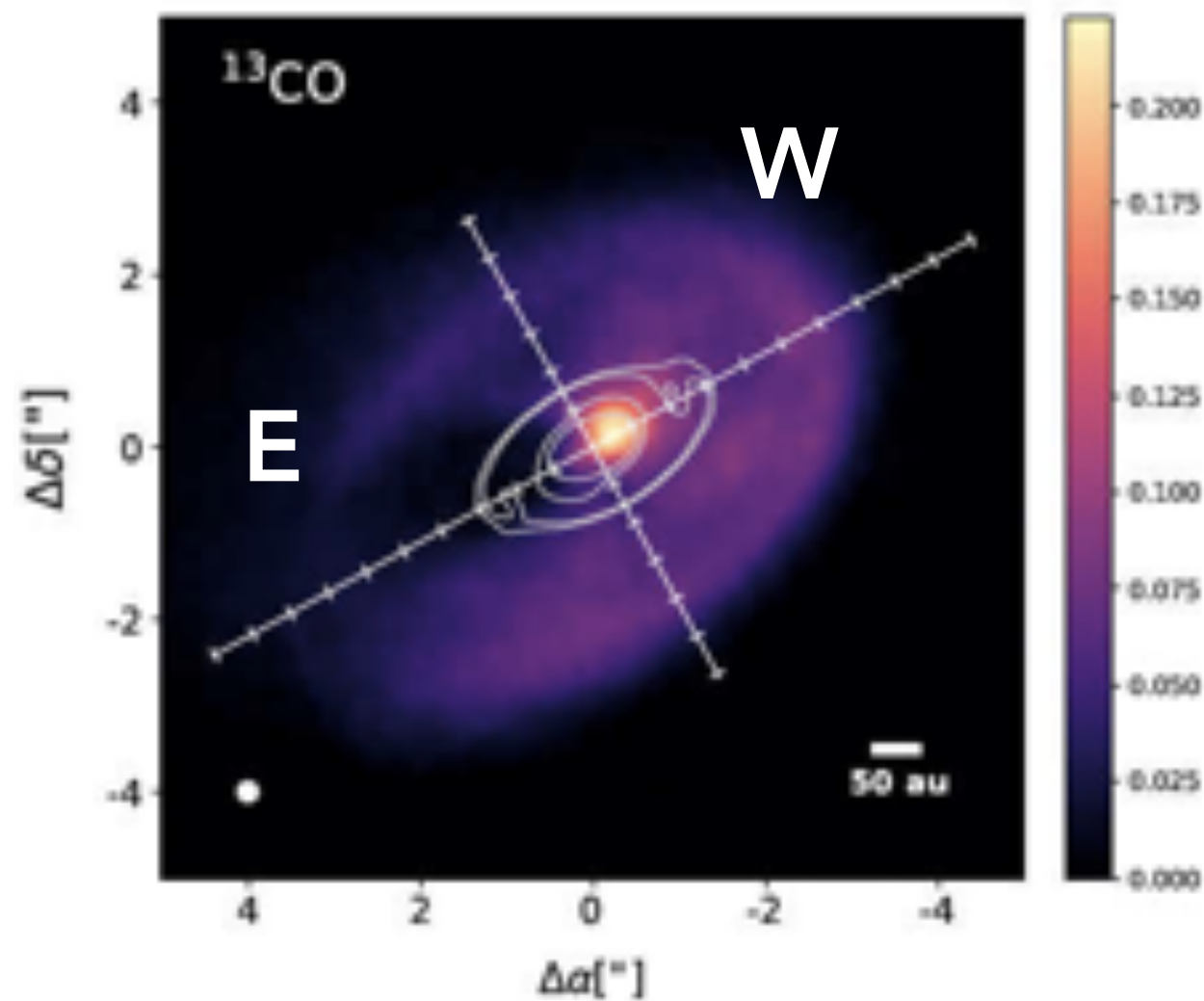
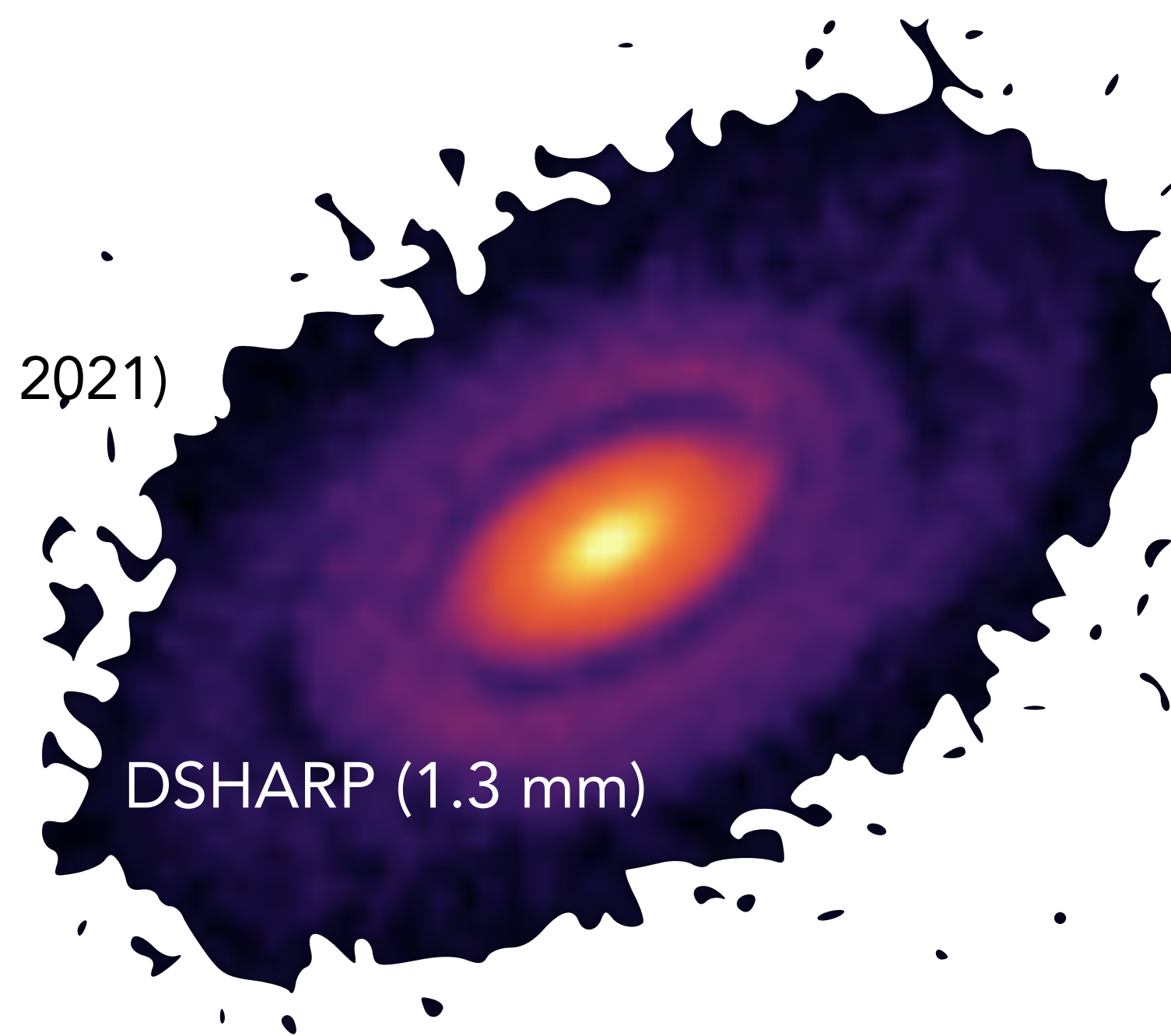
Elias 2-27: 0.8 Myr, M0 star, d=140 pc

Two large-scale spiral arms (Pérez et al. 2016a; Andrews et al. 2018, Paneque-Carreño et al. 2021)

Disc-to-star  $\approx 0.3$ , considering gas/dust=100

(Andrews et al. 2009; Pérez et al. 2016; Meru et al. 2017; Hall et al. 2018; Cadman et al. 2020; Paneque-Carreño et al. 2021)

Possible origin for the spiral arms: GI (Meru et al. 2017, Hall et al. 2018, Paneque-Carreño et al. 2021)



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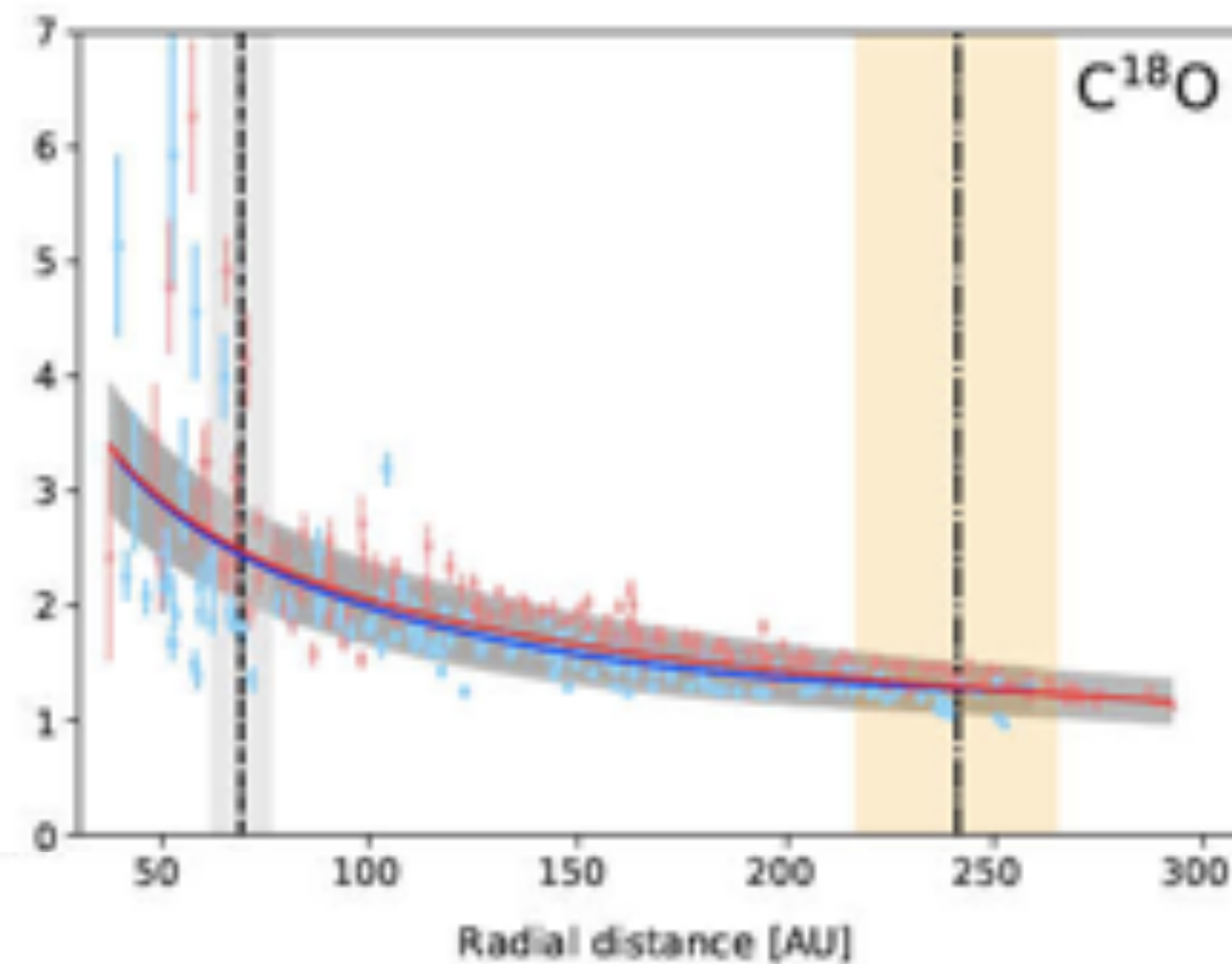
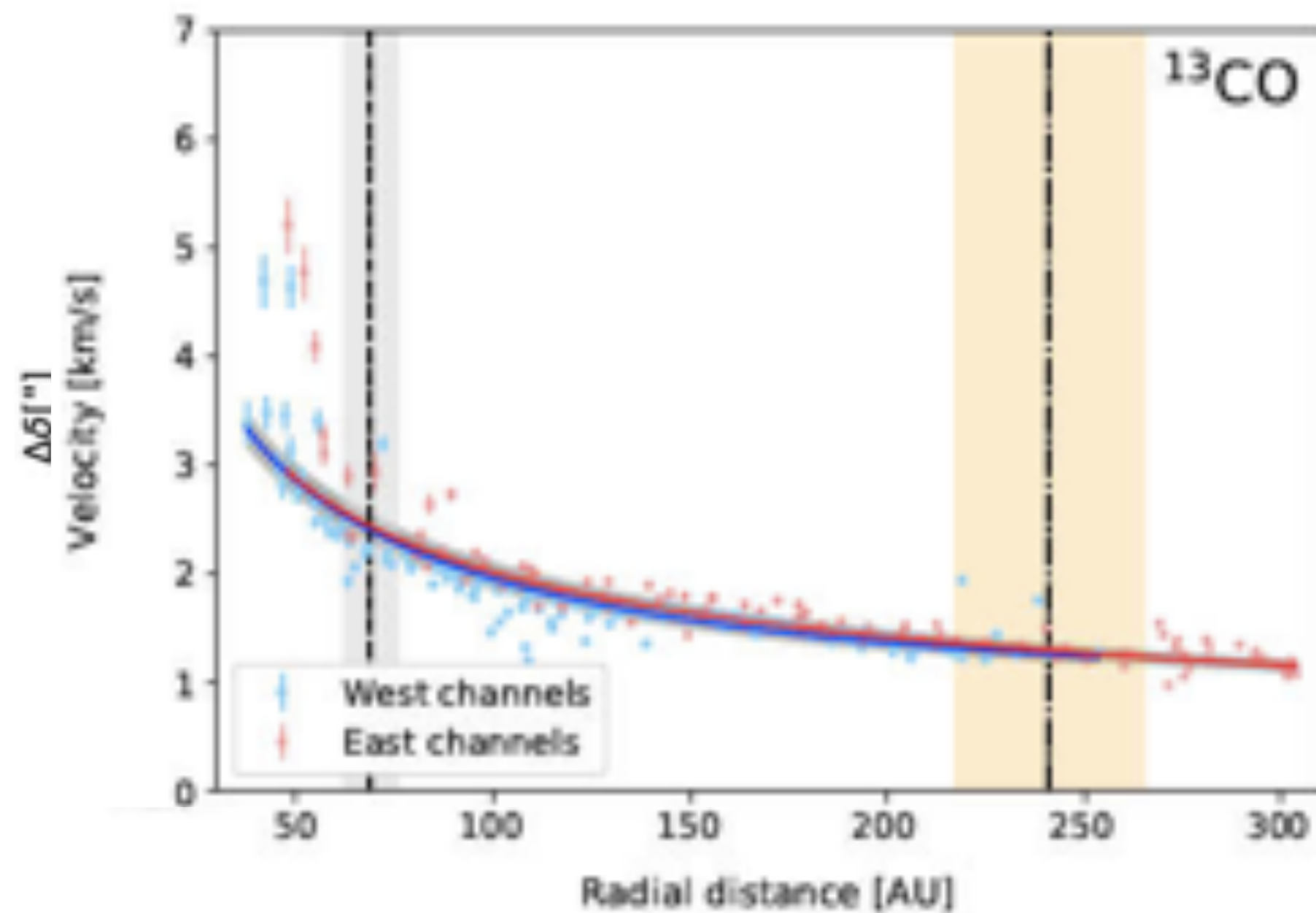
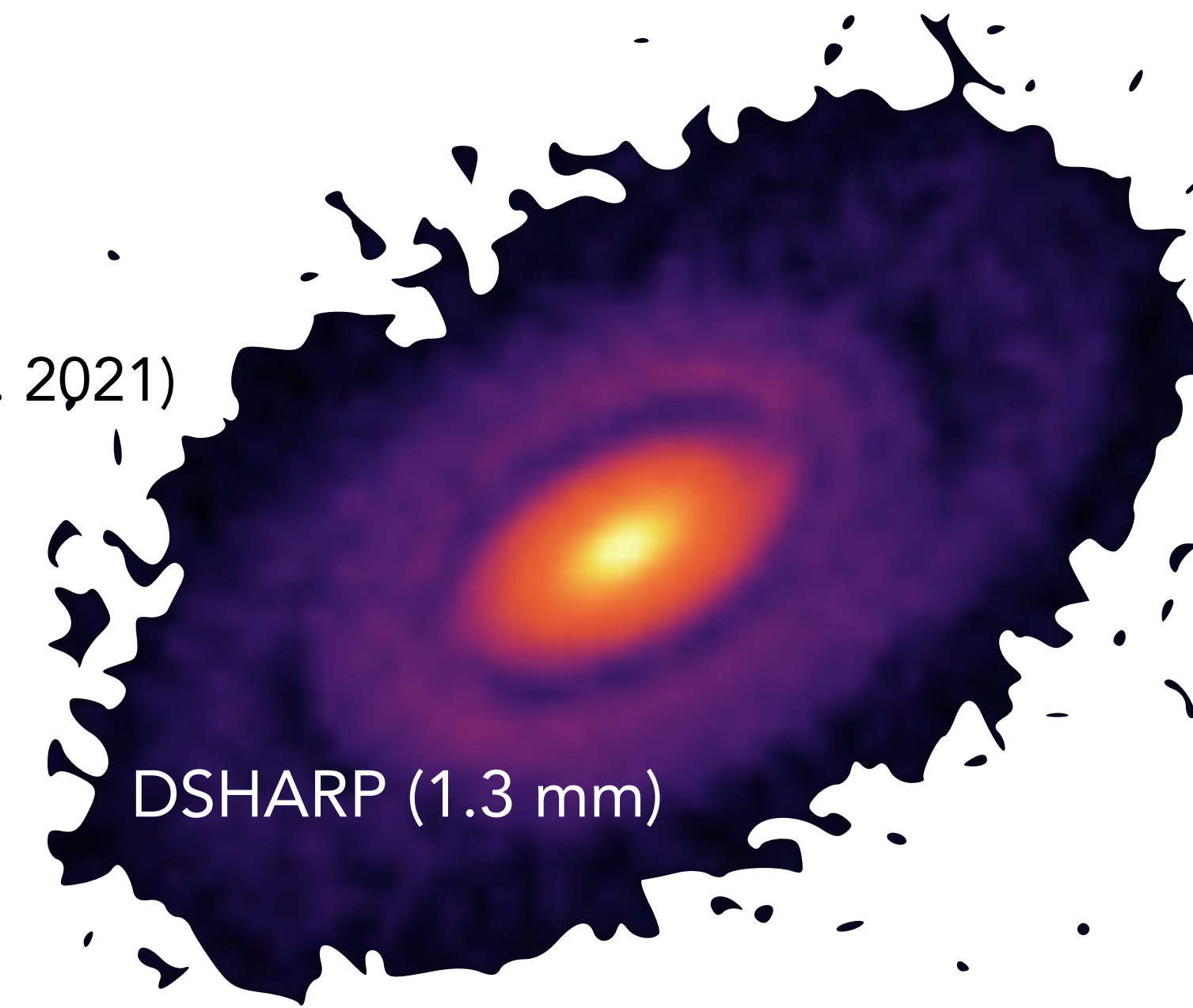
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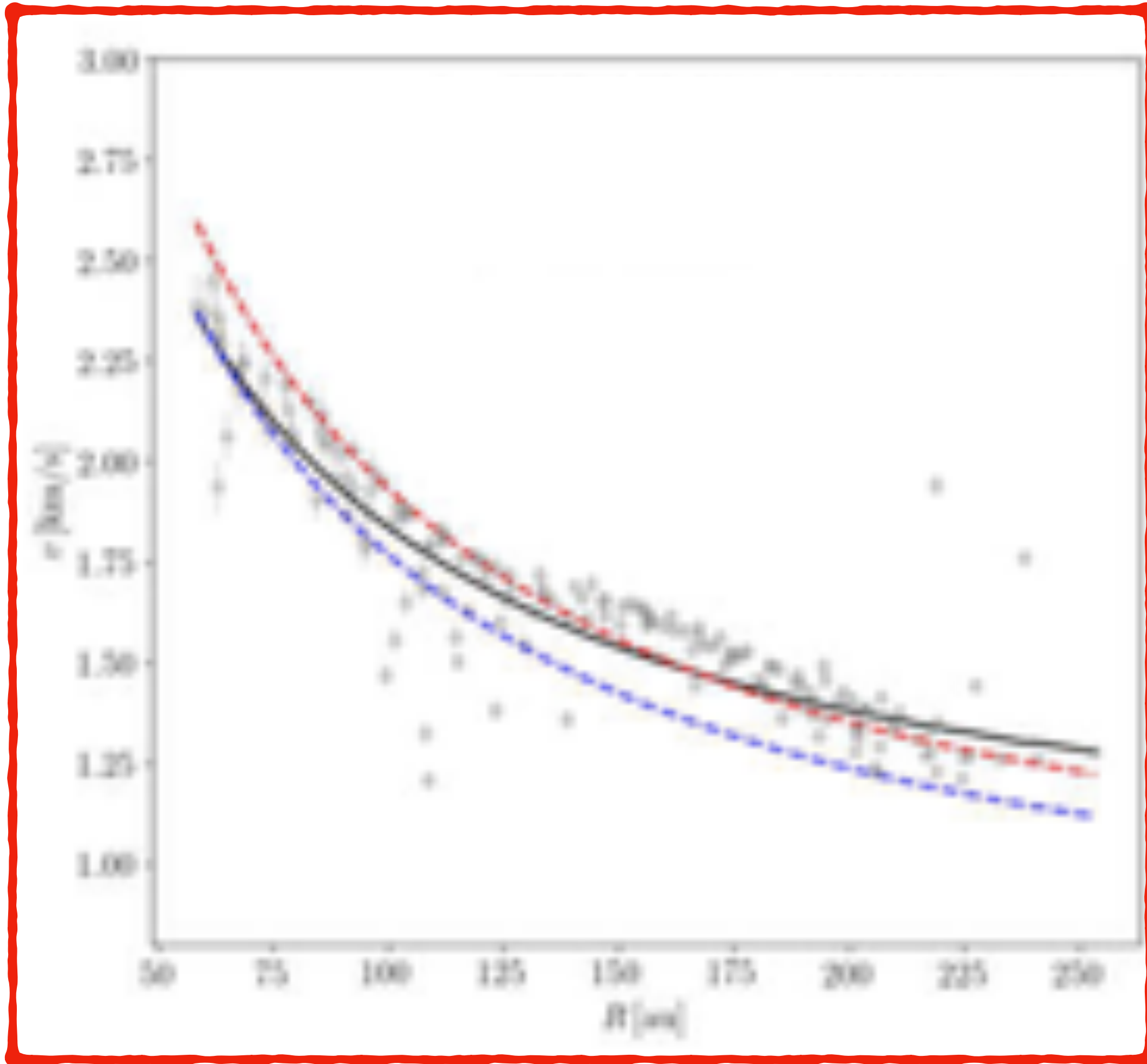
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# A DYNAMICAL SCALE FOR (MASSIVE) DISCS

— SG model    - - - Kep model    - - - Kep model (sg)



## $^{13}\text{CO}$ fit West side

	$^{13}\text{CO}$	$\text{C}^{18}\text{O}$
<b>Keplerian fit</b>		
$M_* [M_\odot]$	$0.49^{+0.01}_{-0.01}$	$0.42^{+0.03}_{-0.03}$
<b>Self-gravitating fit</b>		
$M_* [M_\odot]$	$0.41^{+0.04}_{-0.04}$	$0.38^{+0.06}_{-0.07}$
$M_{\text{disc}} [M_\odot]$	$0.16^{+0.06}_{-0.06}$	$0.08^{+0.08}_{-0.06}$
$\lambda = \Delta(\text{red-}\chi^2)$	4.57	-0.51

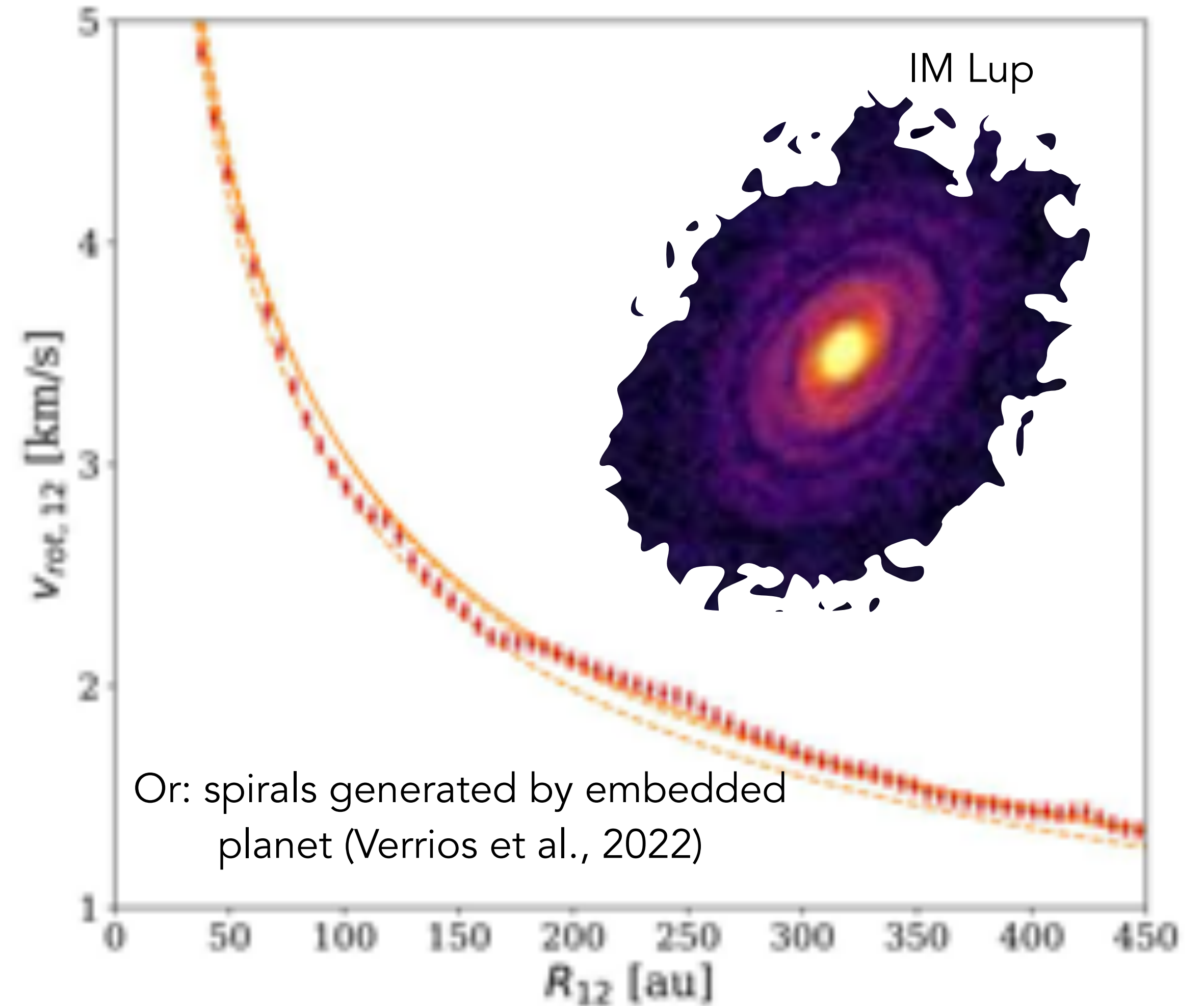
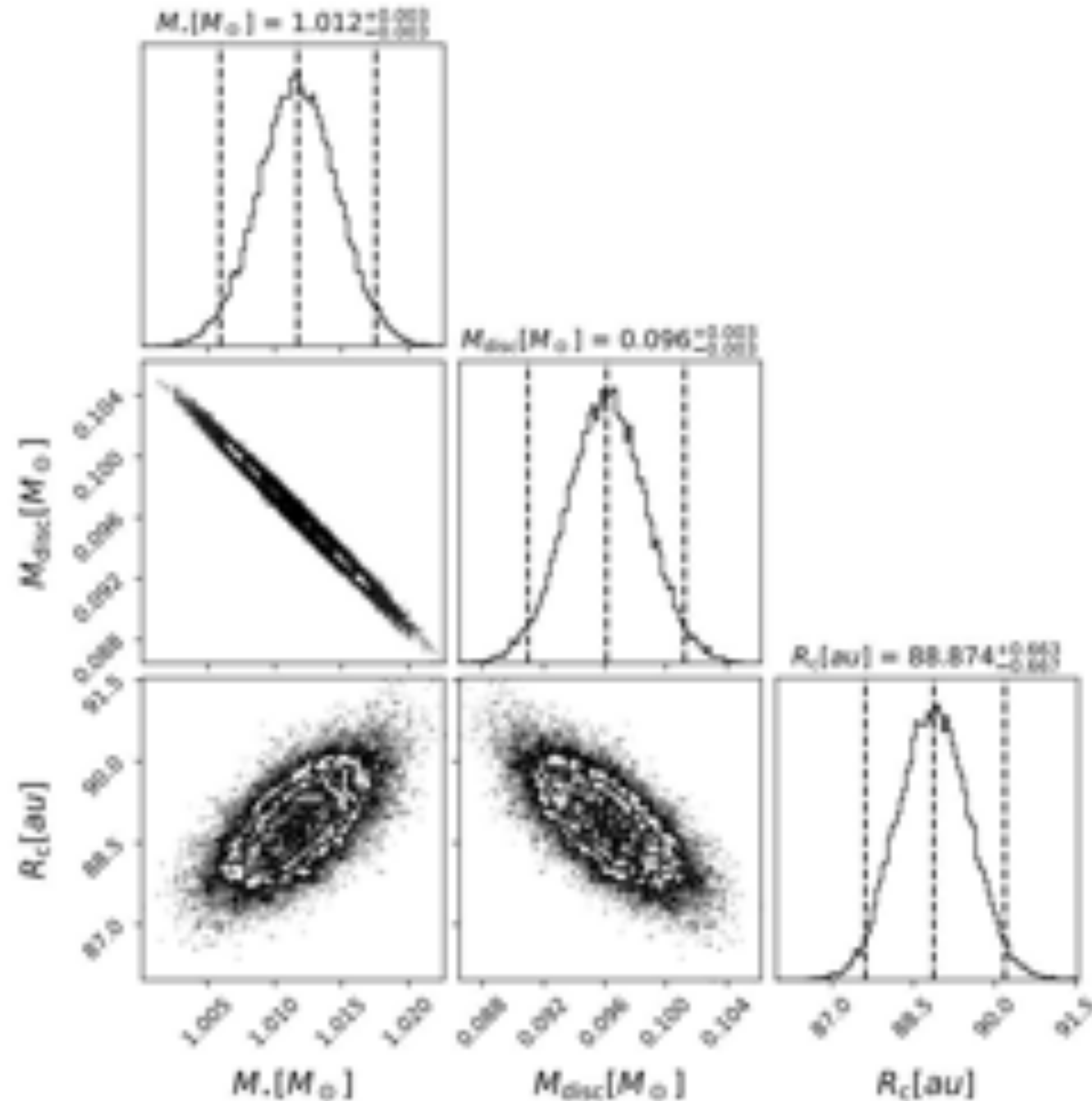
$$\frac{M_{\text{disc}}}{M_\star} \approx 0.17 - 0.22$$

self-gravitating  
disc model

**WEST SIDE: not cloud-contaminated  
(better data, better estimate)**

# A DYNAMICAL SCALE FOR (MASSIVE) DISCS

Lodato et al. (2023): **IM Lup** & GM Aur



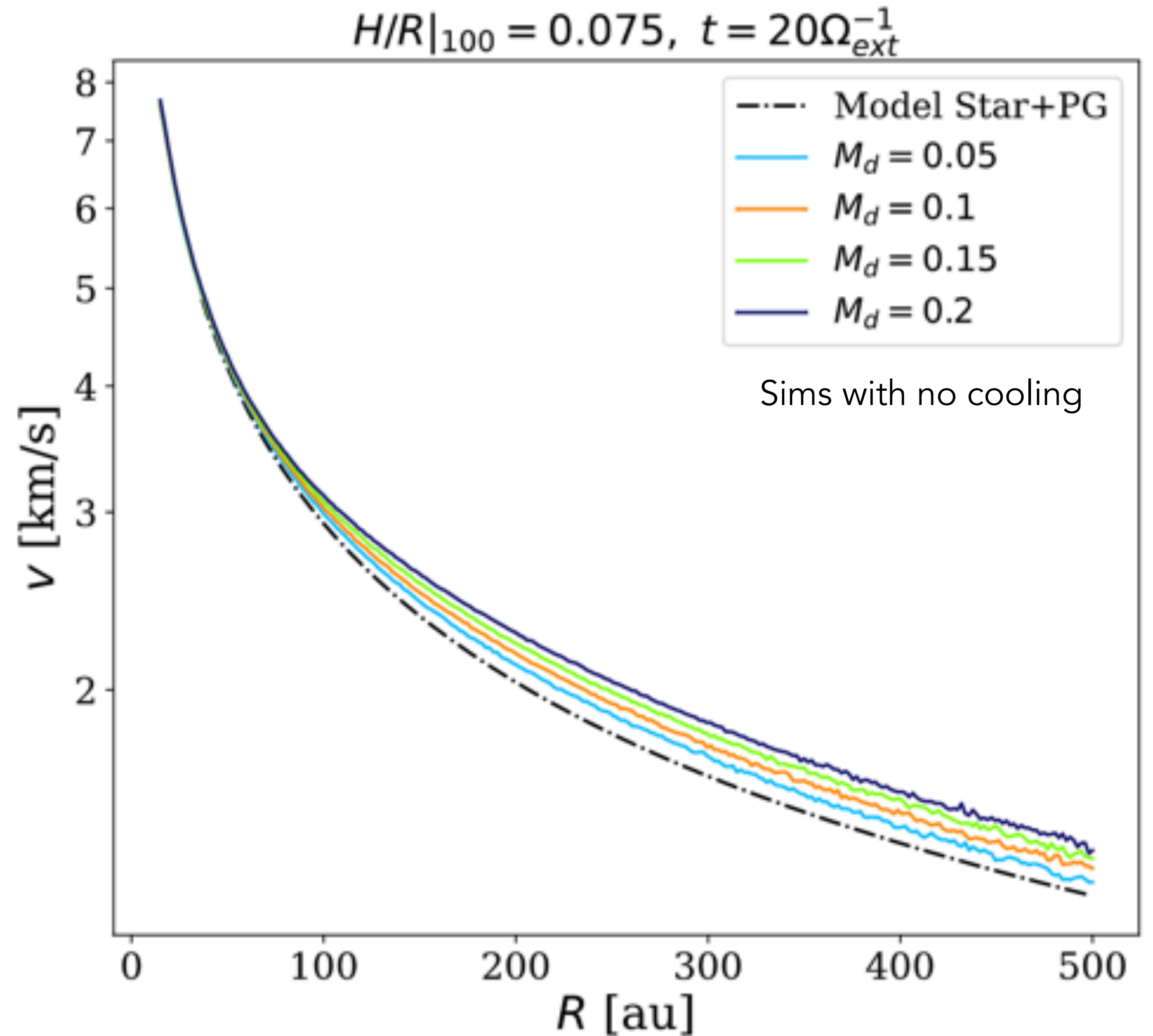


# TESTING THE DYNAMICAL SCALE WITH SG SIMULATIONS

1. Test the improved model with SG PHANTOM (Price et al. 2008) + MCFOST (Pinte et al. 2006,2009) simulations (both with GI spirals - COOLING=YES-, and without - COOLING=NO) **SELF-GRAVITY = ON, in both cases**

A. First test: disc masses from hydro rotation curves at the midplane

Simulation	$M_{\star}$ [ $M_{\odot}$ ]	$M_d$ [ $M_{\odot}$ ]	$R_c$ [au]
	1	[0.05,0.1,0.15,0.2]	100
005h75	0.99	0.05	94
01h75	0.98	0.1	106
015h75	0.98	0.14	113
02h75	0.98	0.19	119



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2. Minimum disc mass we can measure?
3. How the spectral and spatial resolution do affect the mass estimate?

## MCFOST SIMS

12CO + 13CO;

J=2-1, J=3-2;

INCLINATION=30,45,60°

Spectral (and spatial) resolution as in the MAPS survey [ $\Delta v = 0.1$  km/s; res = 0.1"]

## PHANTOM SIMS

$$\Sigma(R) = \frac{(2-\gamma)M_d}{2\pi R_c^2} \left(\frac{R}{R_c}\right)^{-\gamma} \exp\left[-\left(\frac{R}{R_c}\right)^{2-\gamma}\right] \quad \begin{array}{l} \gamma = 1 \\ r_c = 100 \text{ au} \end{array}$$

	$M_d/M_\star$
<b>S1</b>	0.01
<b>S2</b>	0.025
<b>S3</b>	0.05
<b>S4</b>	0.1
<b>S5</b>	0.15
<b>S6</b>	0.2

$$H/R|_{100} = [0.075, 0.1]$$

$$r_{\text{in}} = 1.5 \text{ au}$$

$$r_{\text{out}} = 300 \text{ au}$$

$$q = 0.25$$

**Caution:** the higher the mass, the higher the disc emitting layer, the lower the resolution

## No cooling (no GI)

Isothermal disc with SG and disc viscosity  $\alpha_{\text{ss}} = 0.005$

## Cooling (GI)

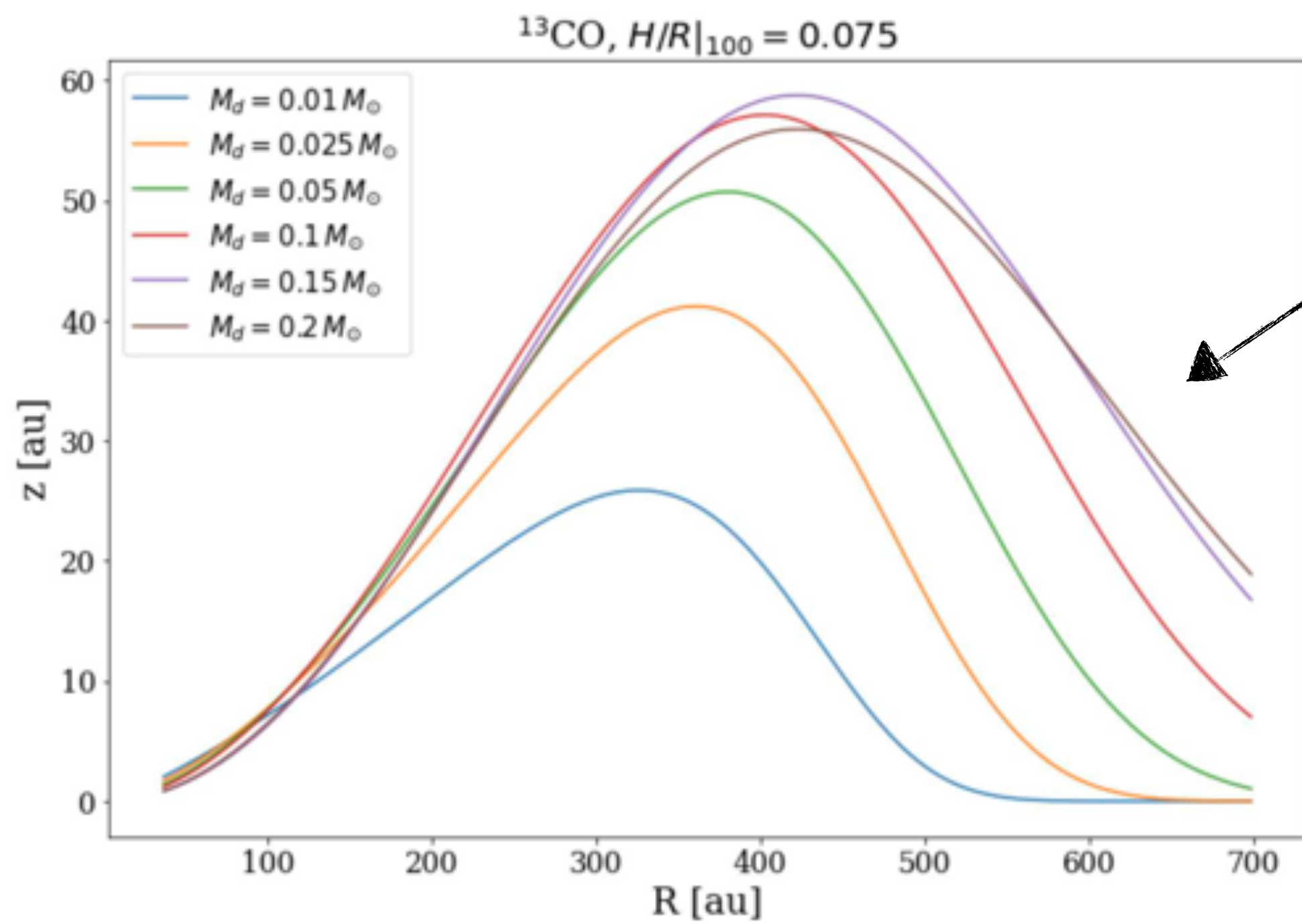
$$Q|_{\text{ext}} \simeq 2$$

$$\beta_{\text{cool}} = 10$$

# WORKFLOW

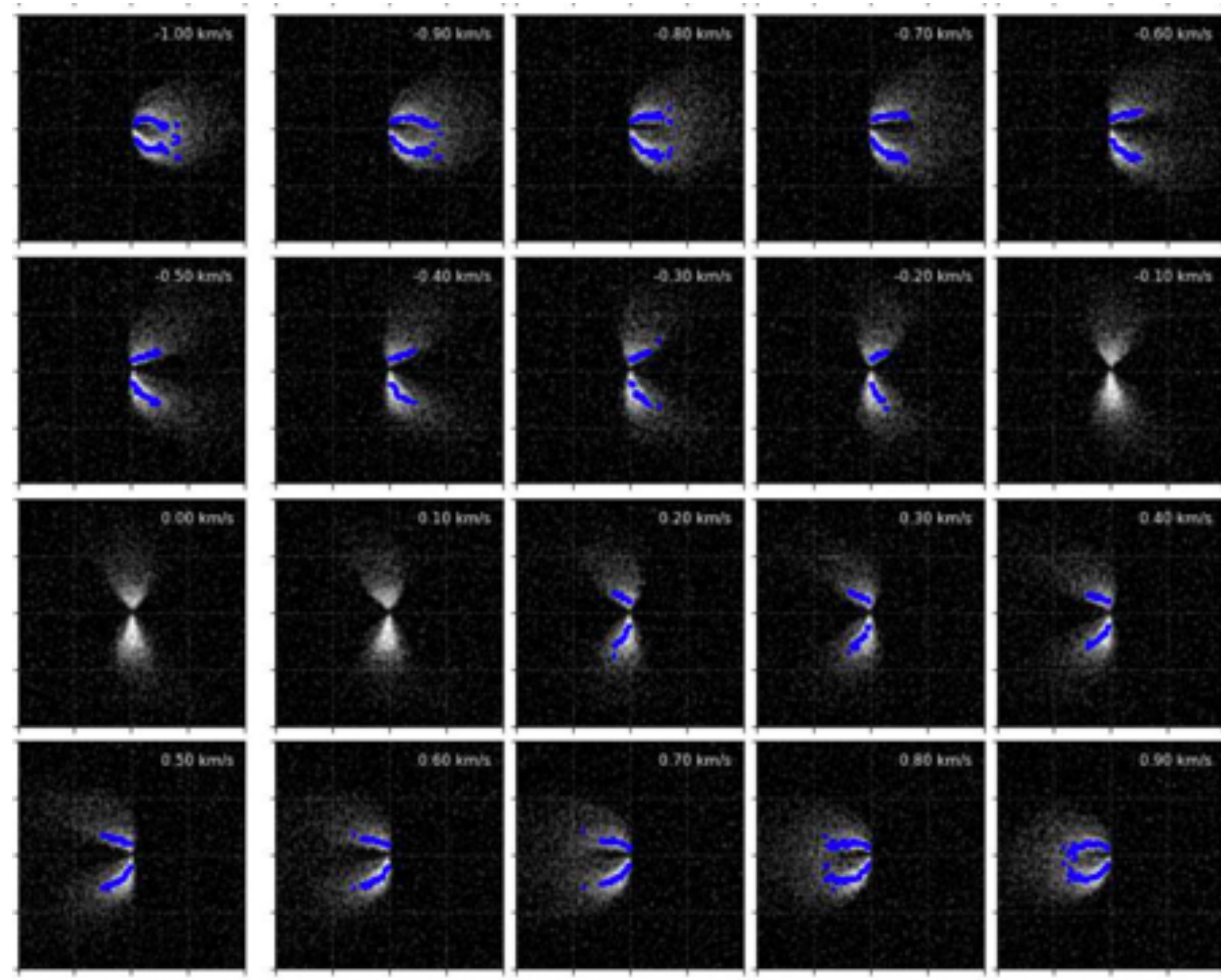
1. Extraction of emitting layer with DISKSURF (Teague 2019)

e.g. MCFOST simulation with  $i = 30^\circ$  + finite spectral and spatial resolution & noise (with pymcfost): **0.1 km/s & 0.1"**



Fitted with an exponentially tapered power-law

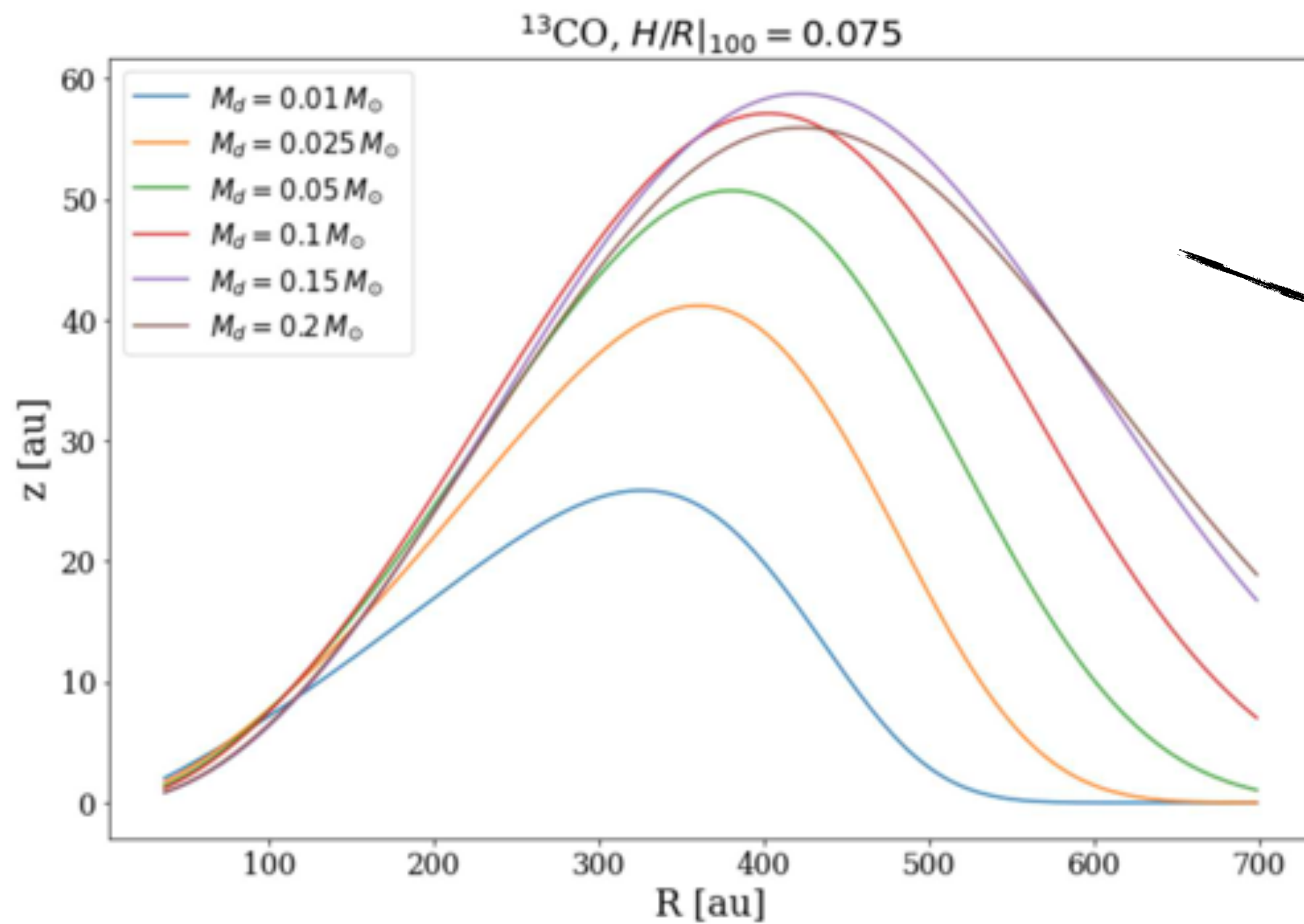
DISKSURF



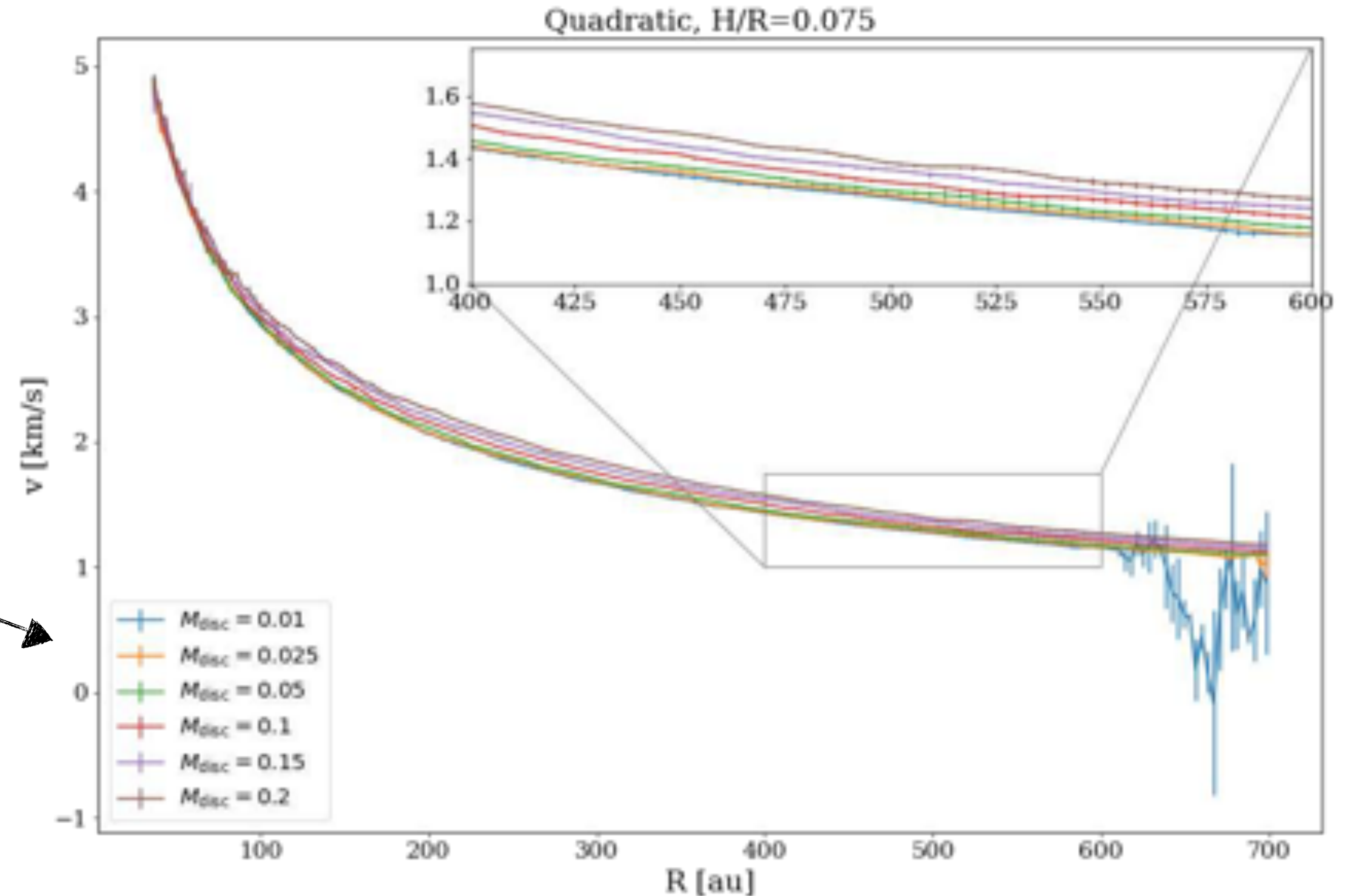
# WORKFLOW

1. Extraction of emitting layer with DISKSURF (Teague 2019)

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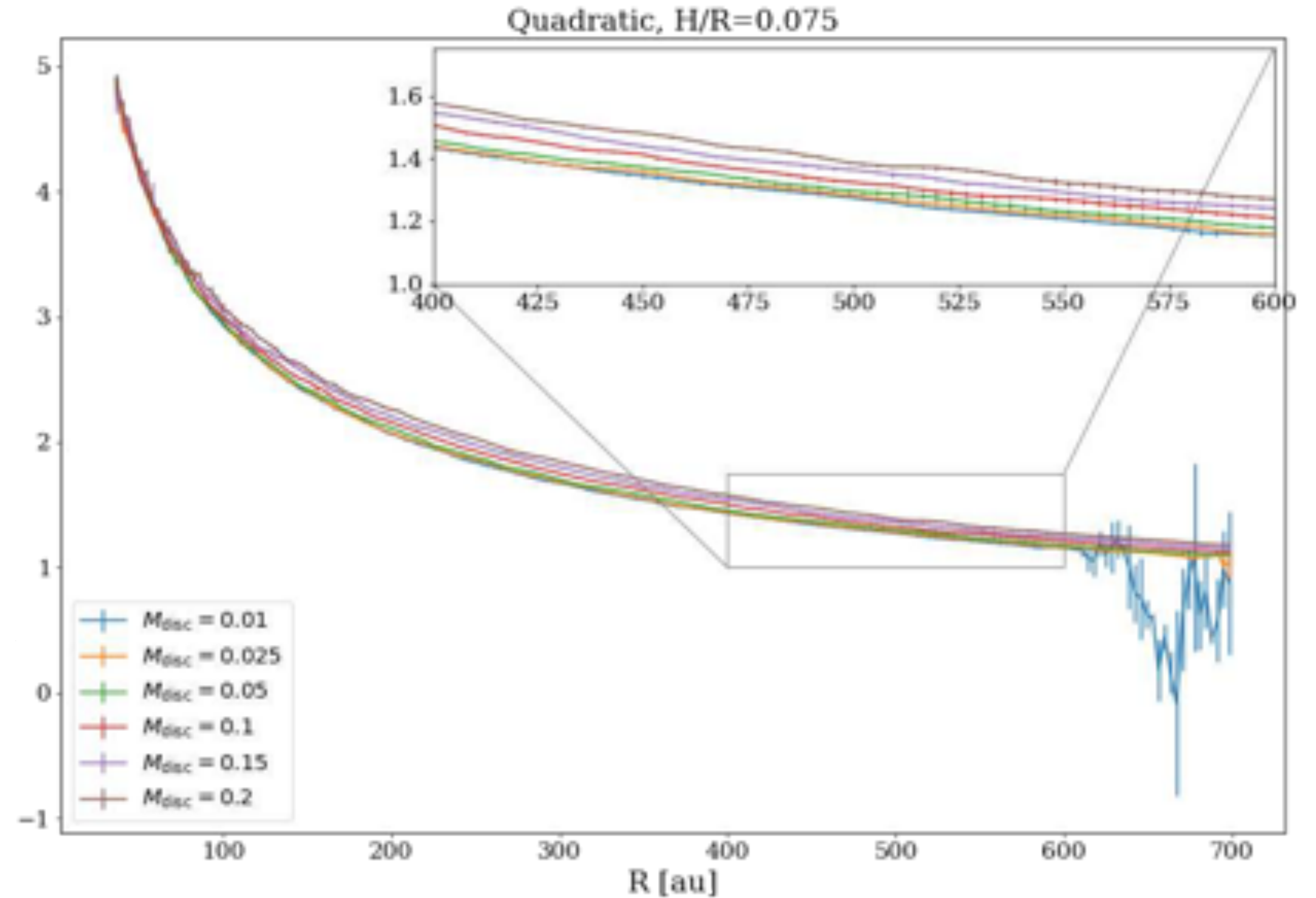
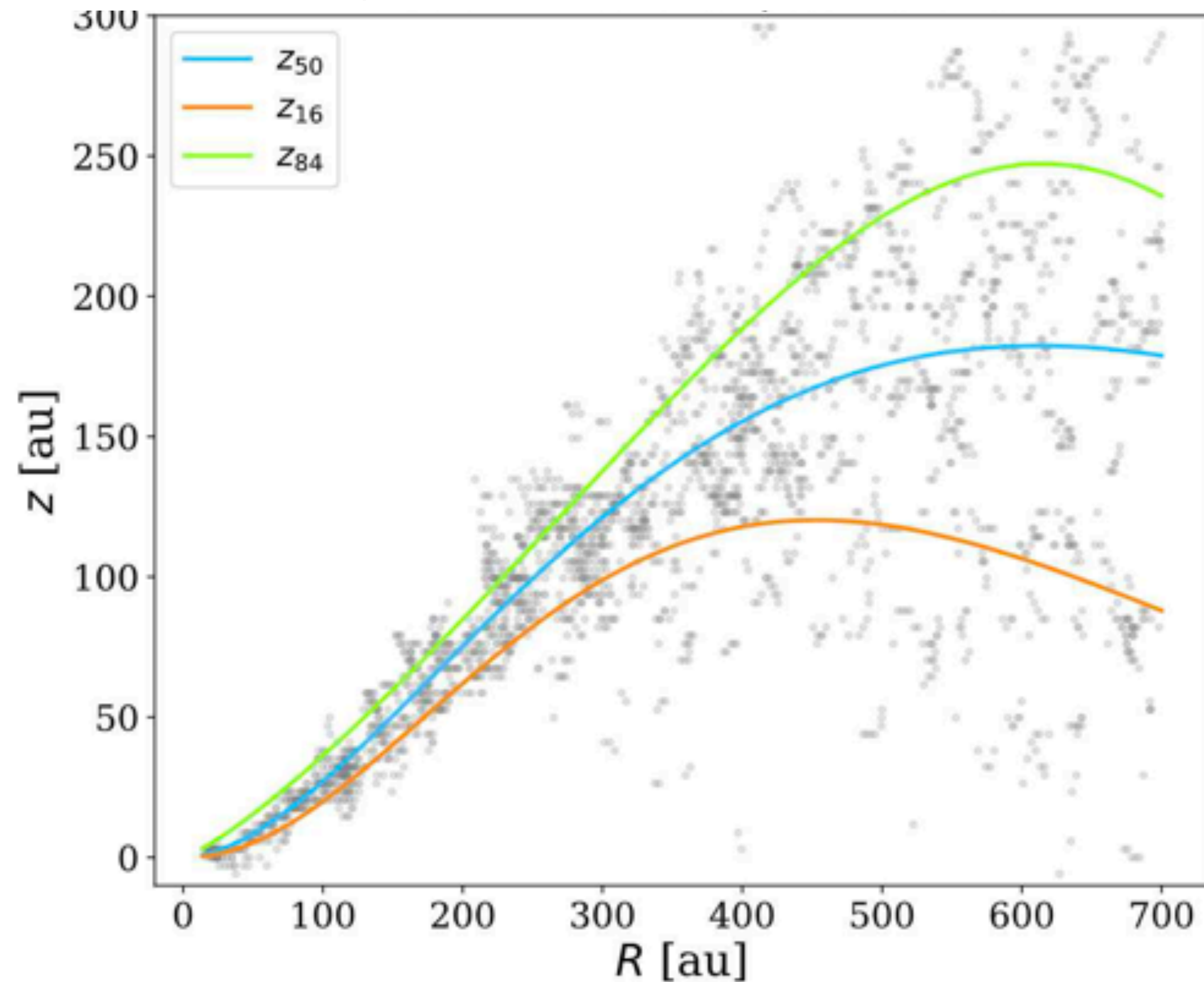


2. Extraction of rotation curves with EDDY (Teague 2019):
  - Errors obtained by considering uncertainties on the emitting layer (16th and 84th percentiles)

# WORKFLOW

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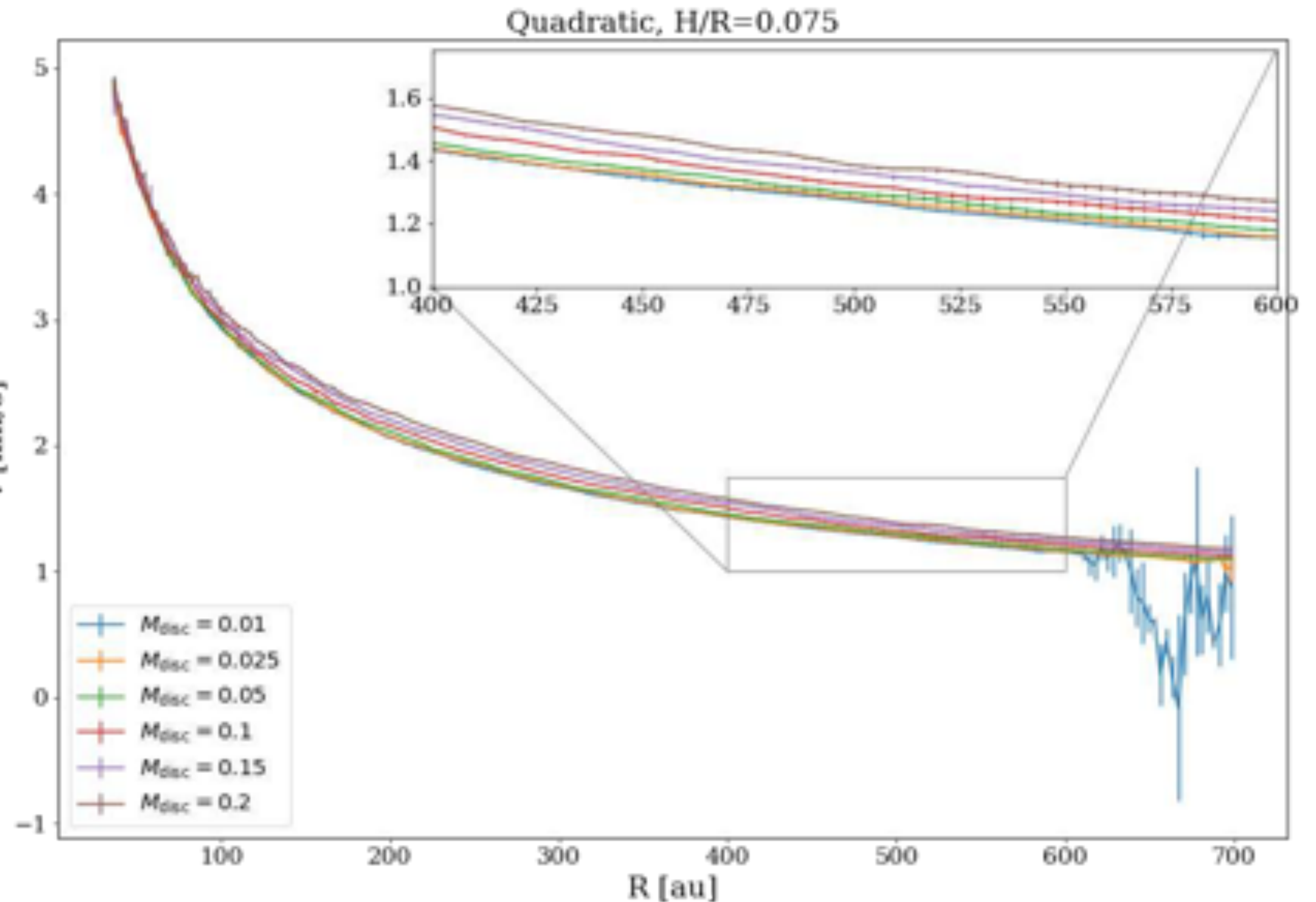
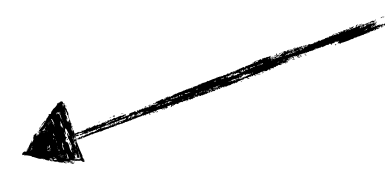
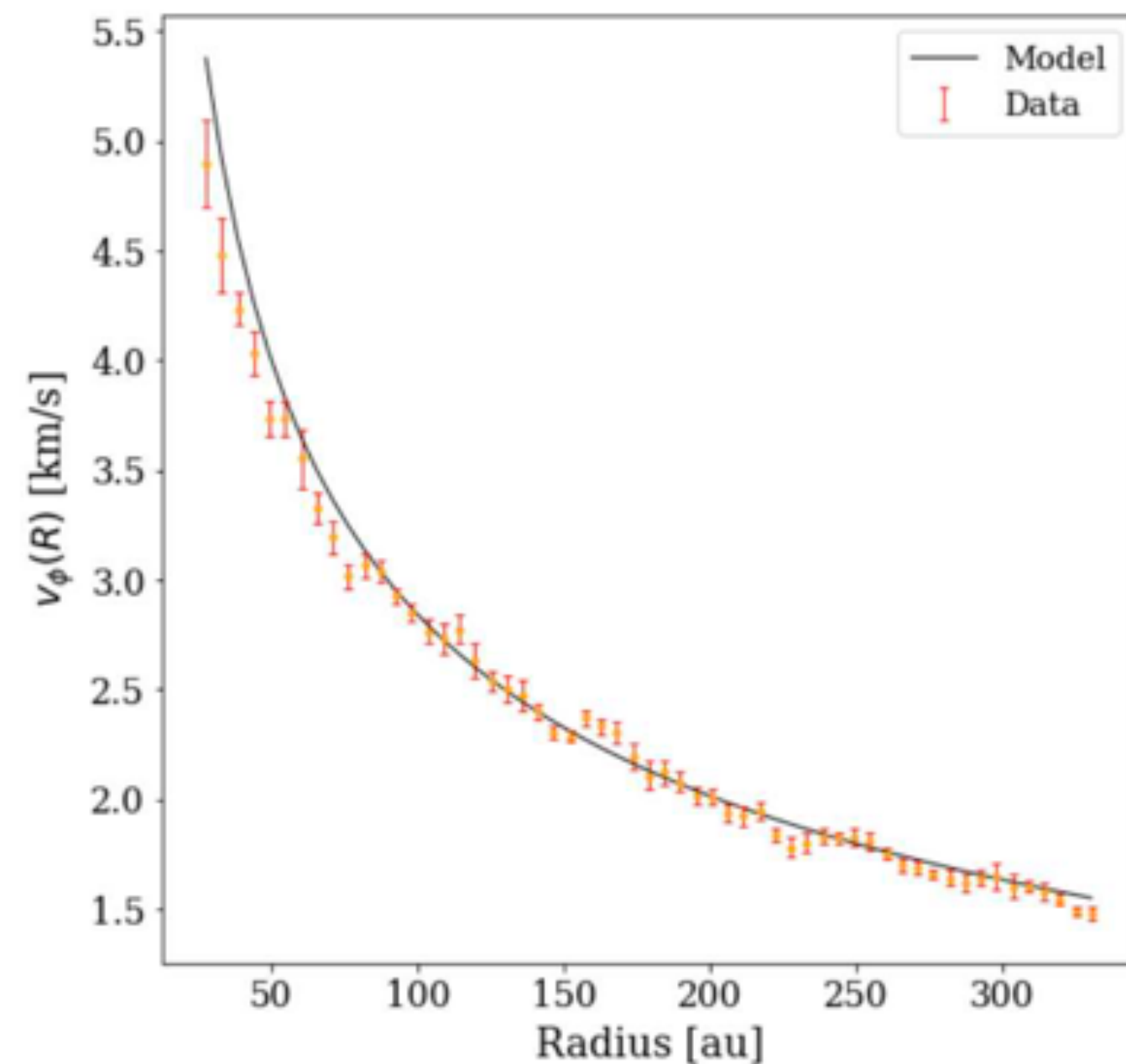


2. Extraction of rotation curves with EDDY (Teague 2019):

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# WORKFLOW

3. Fitting the curves with our model with emcee



2. Extraction of rotation curves with EDDY (Teague 2019):
- Errors obtained by considering uncertainties on the emitting layer (16th and 84th percentiles)

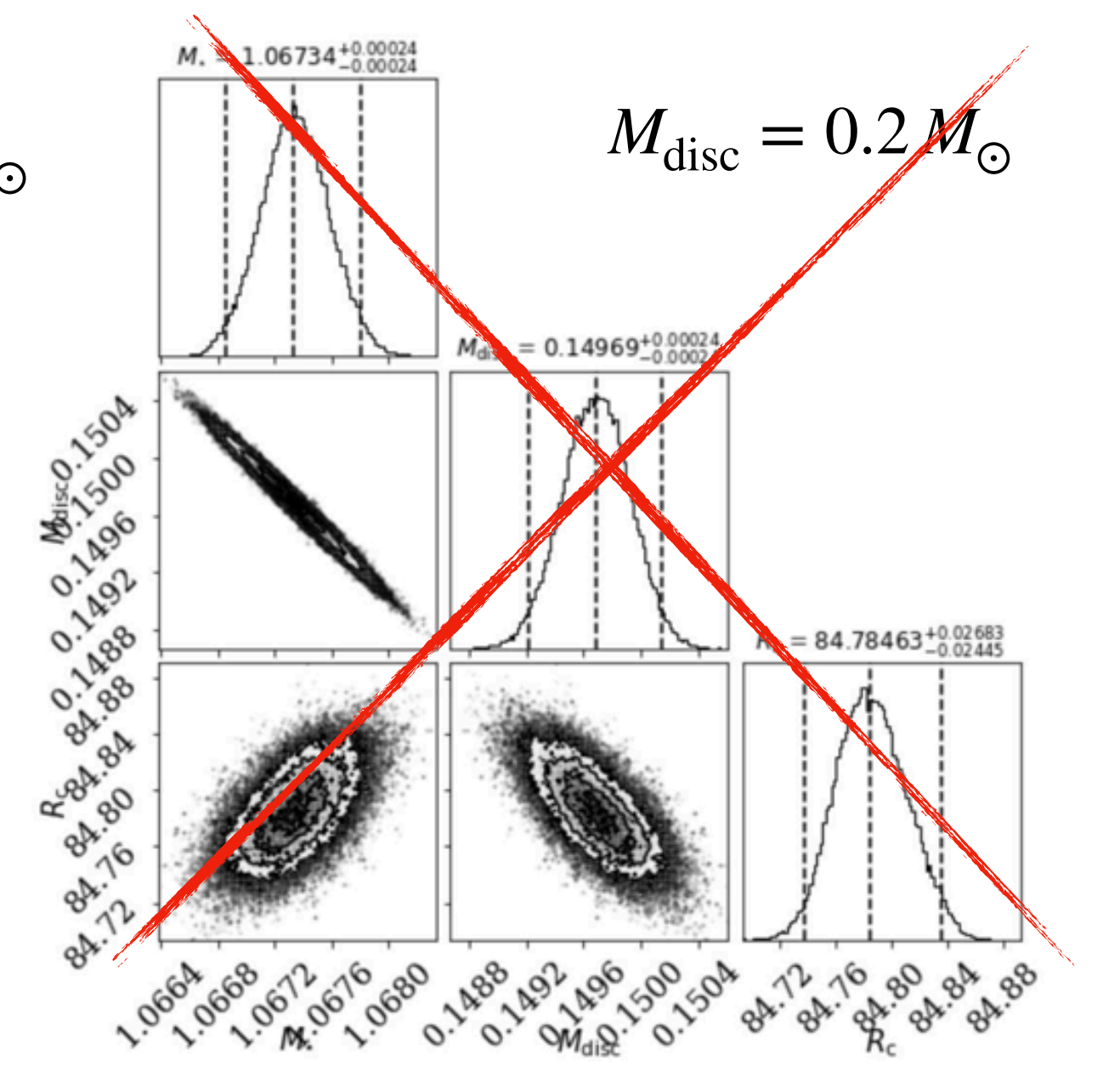
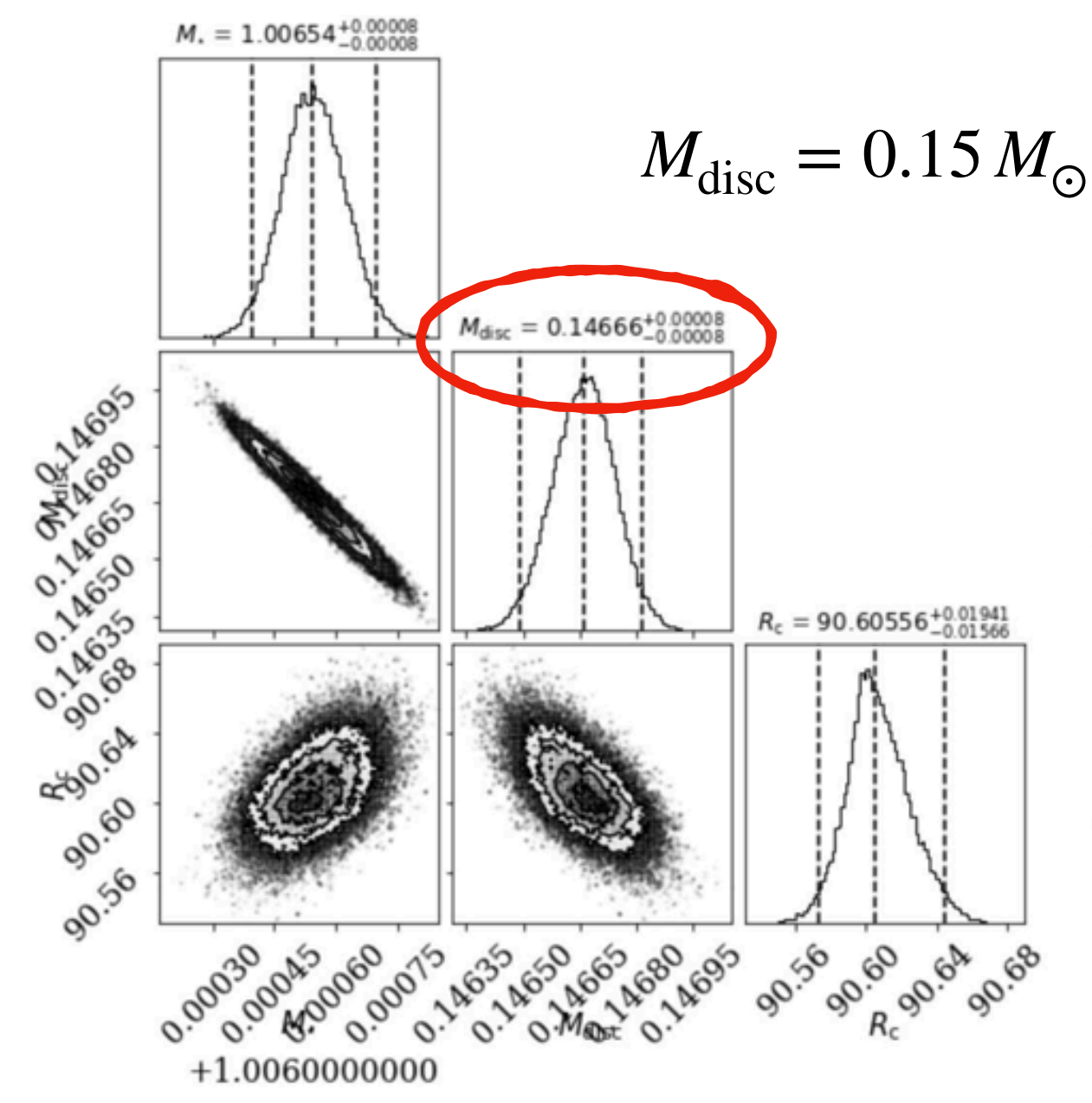
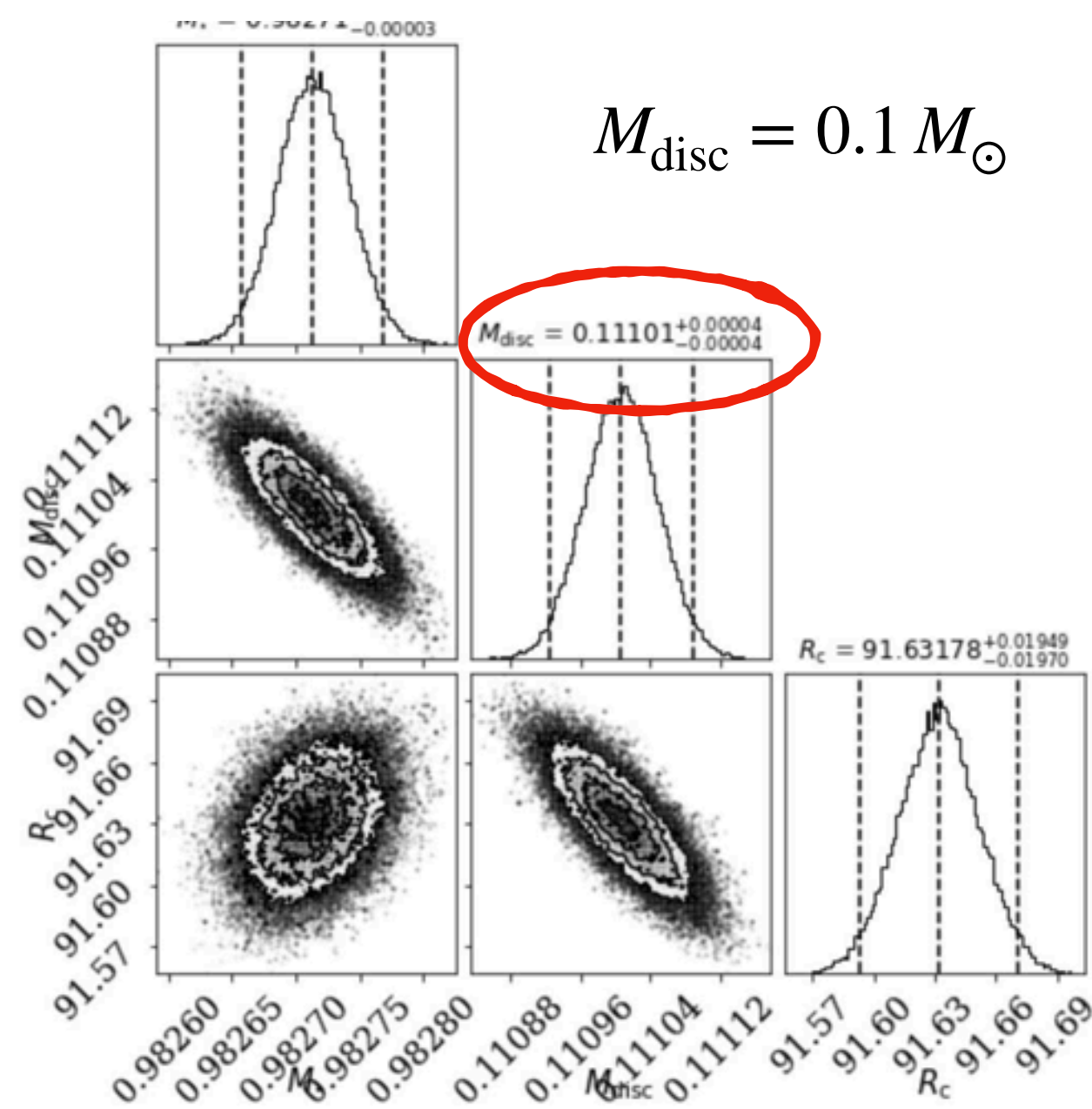
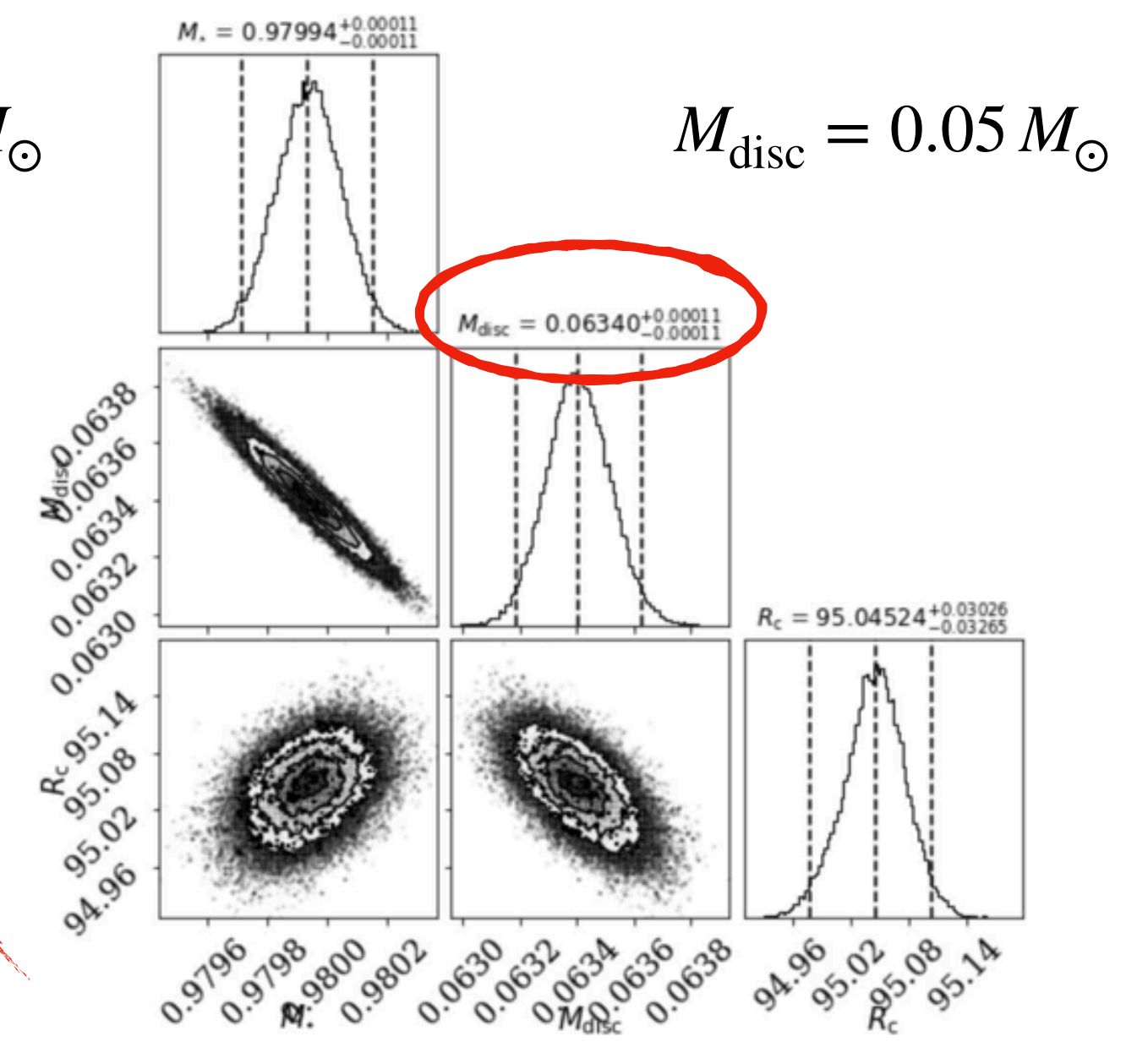
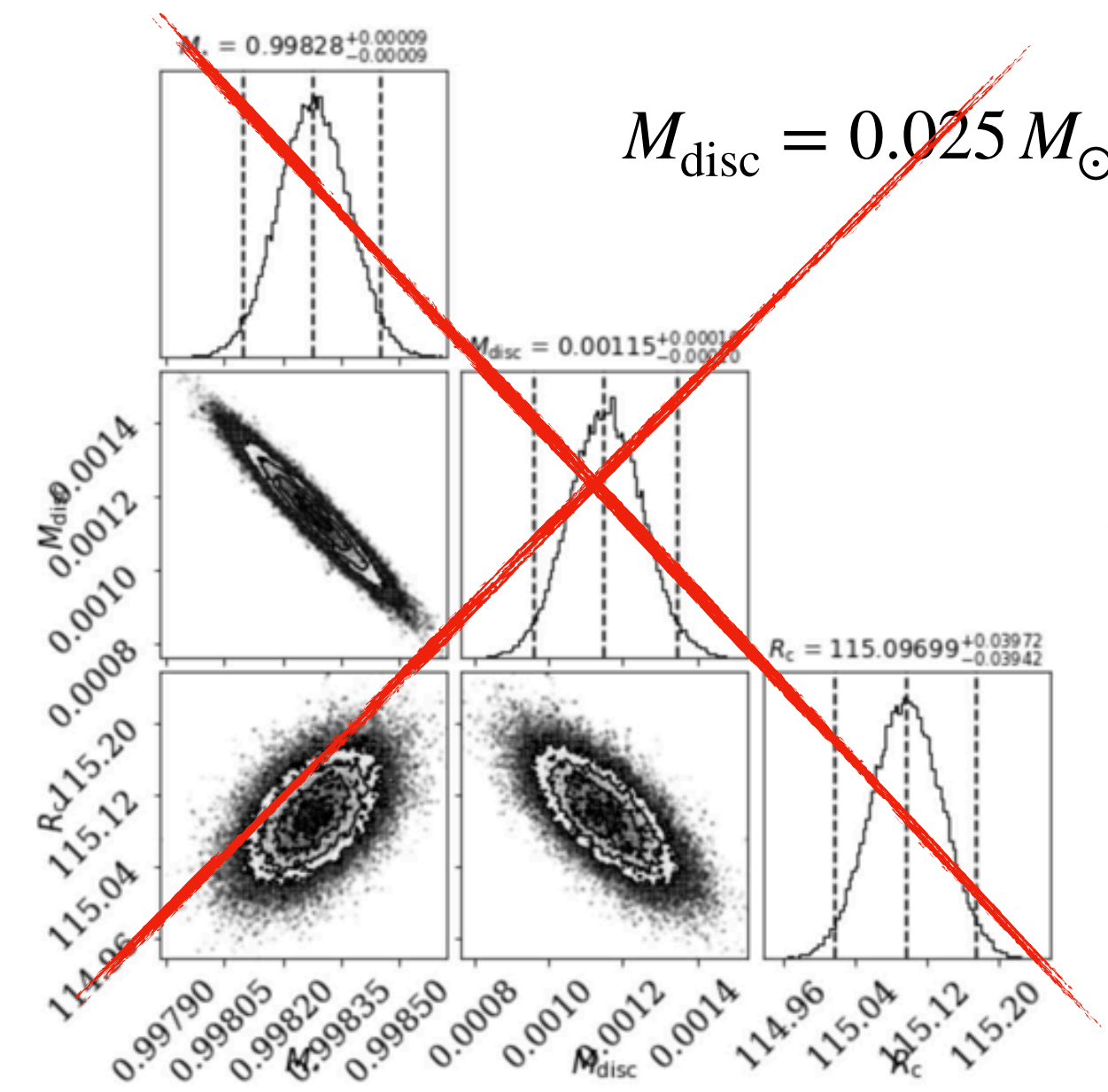
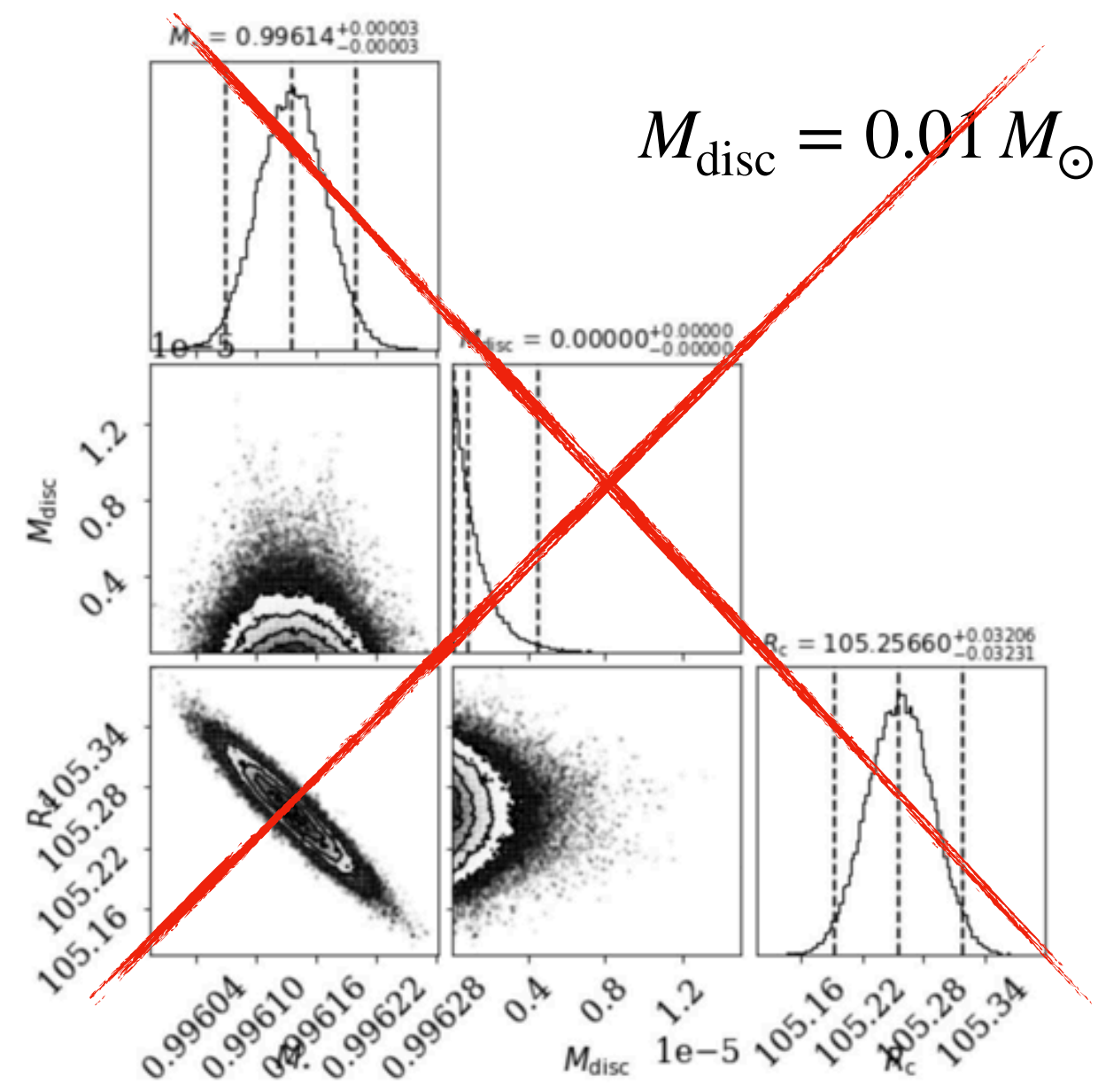


Code available: <https://github.com/crislong/DySc>

# WORK IN PROGRESS...

star+SG disc+pressure fit

e.g., results for  
 $H/R|_{100\text{ au}} = 0.075$



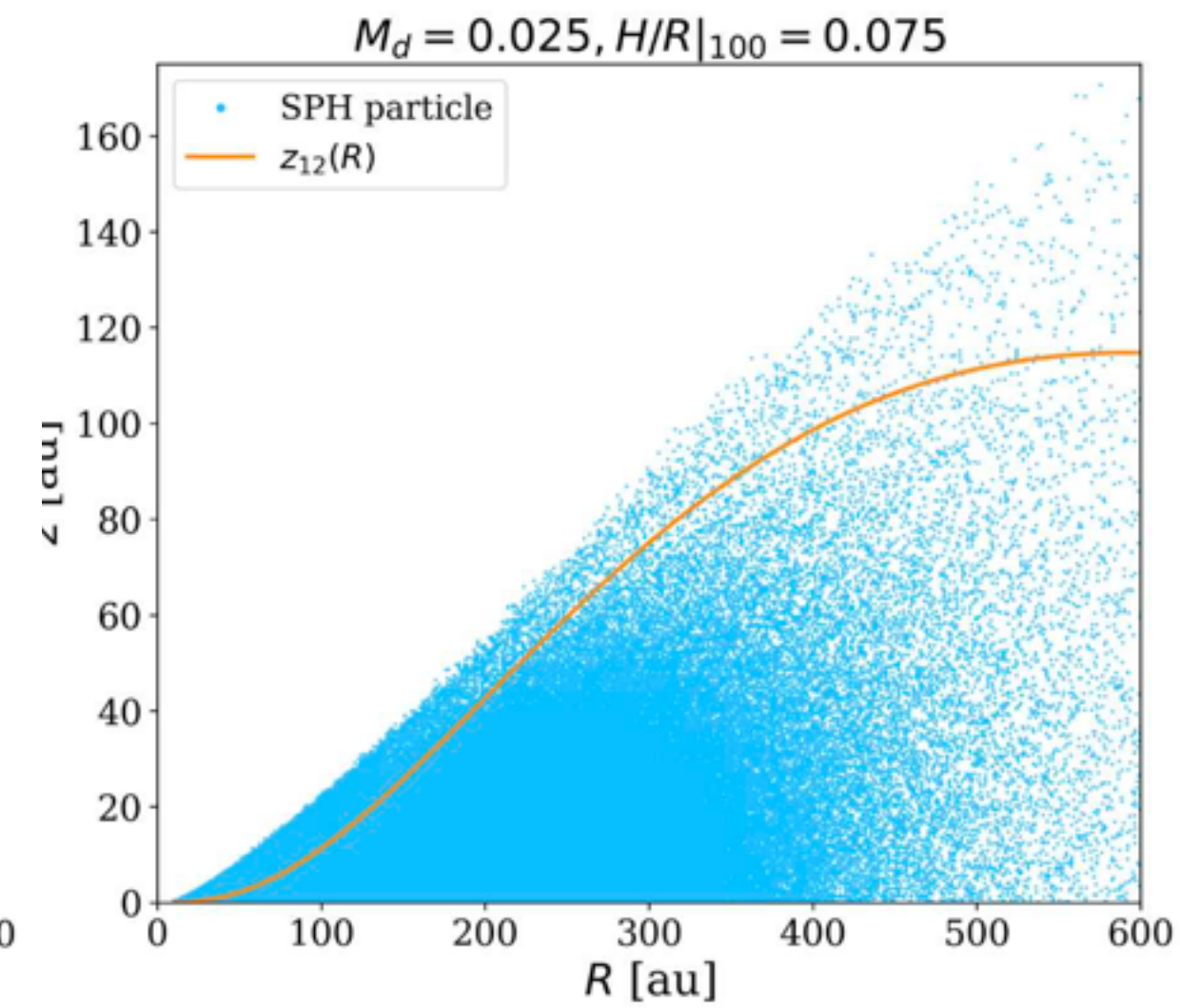
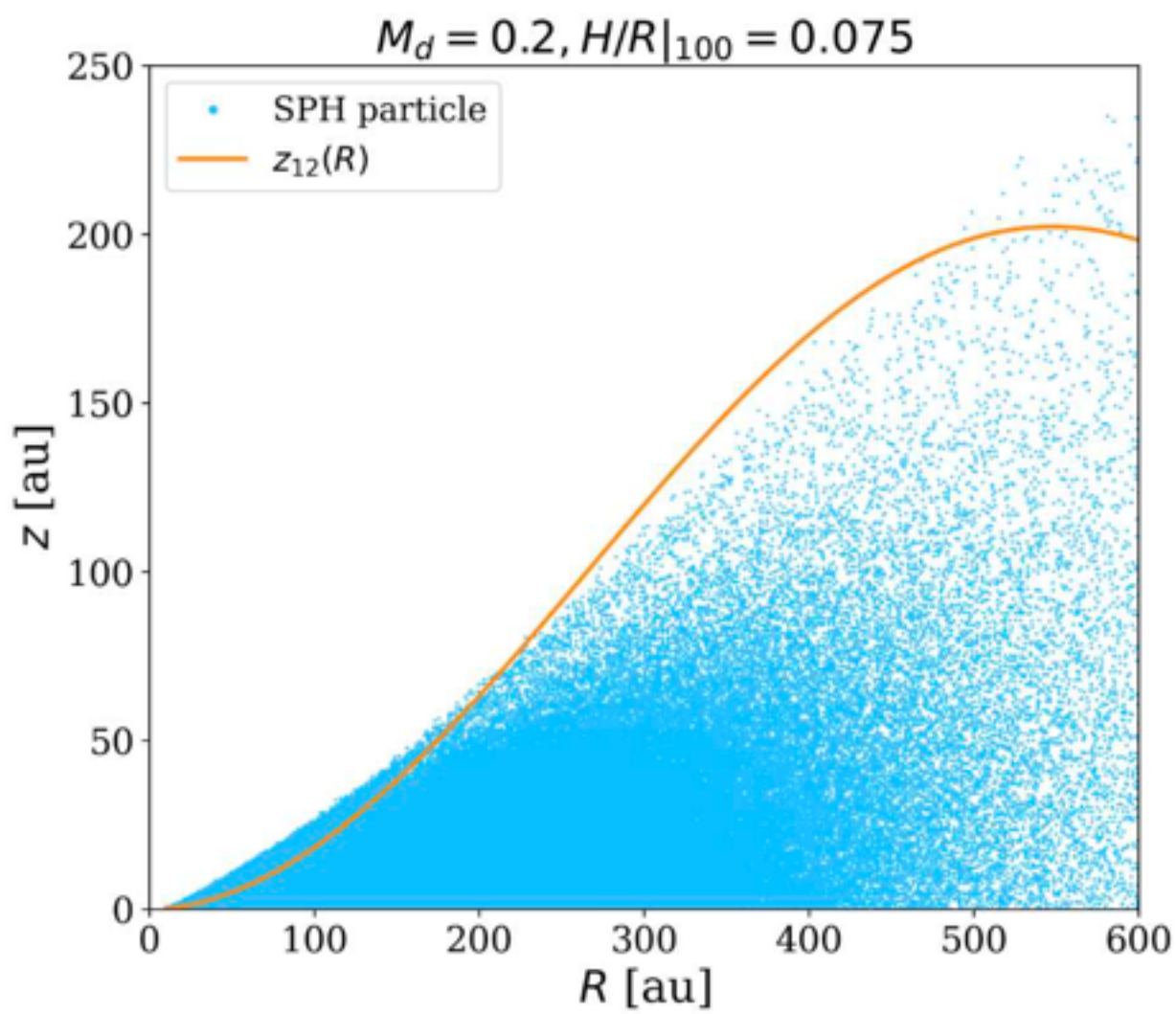
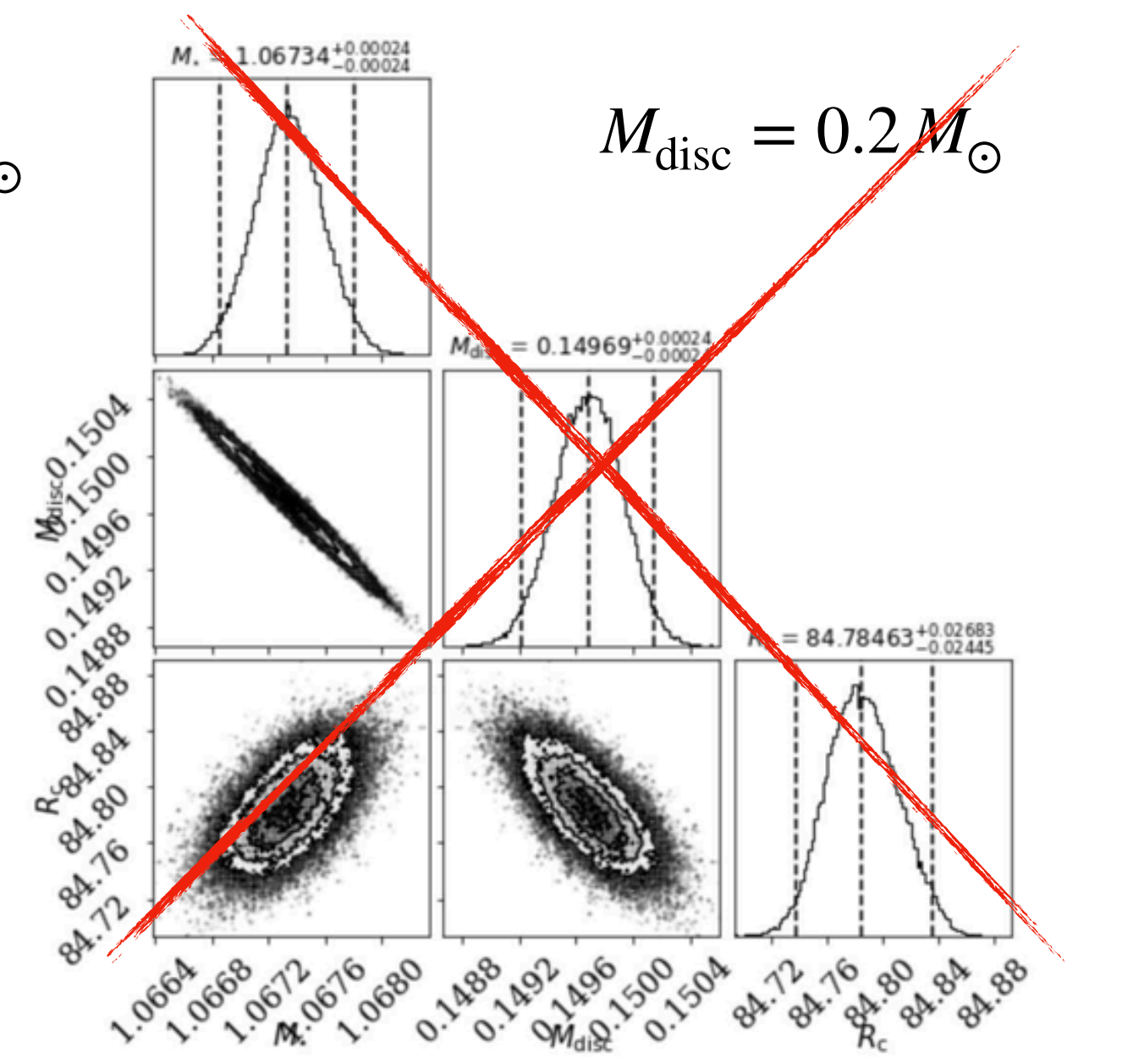
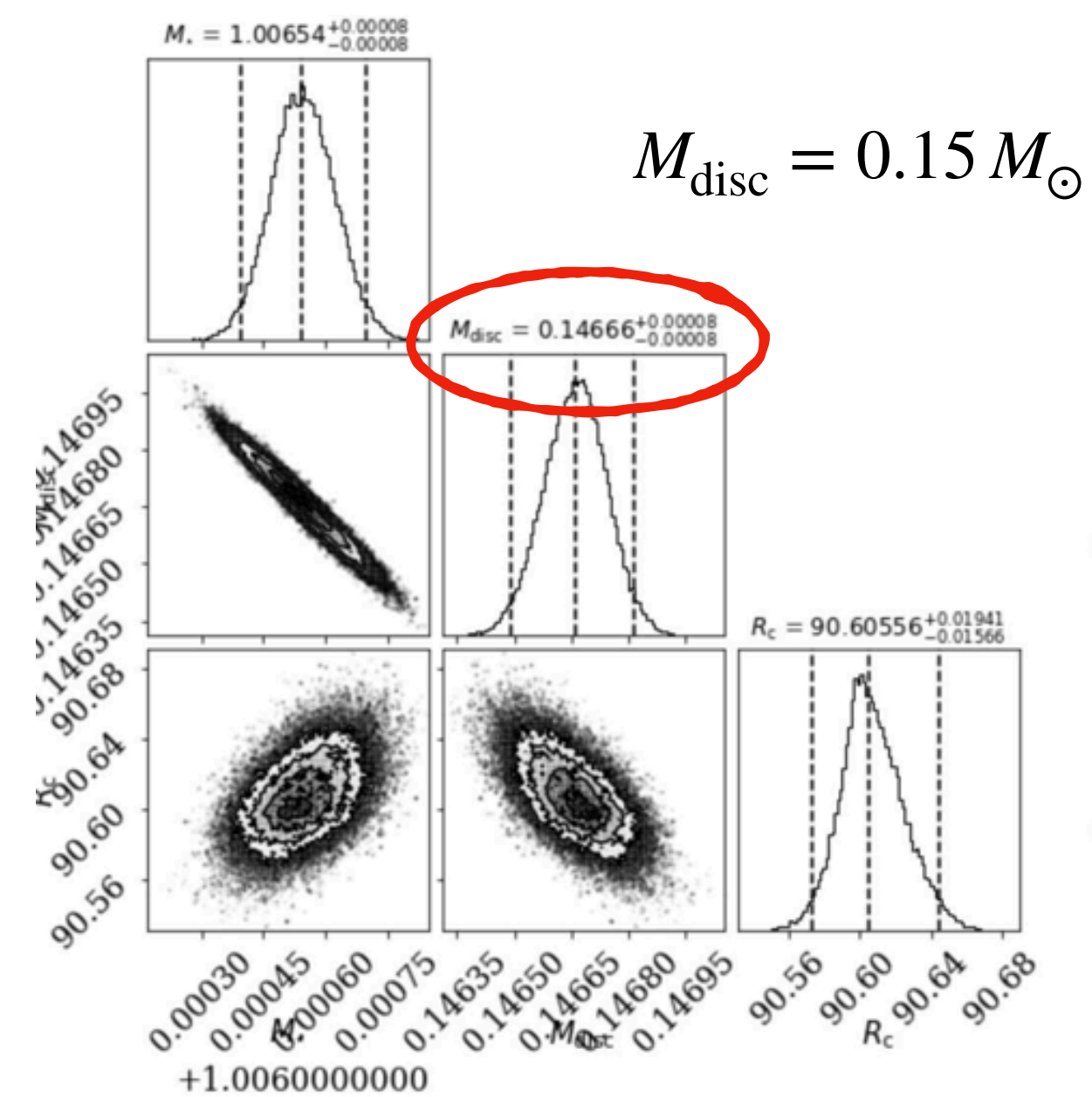
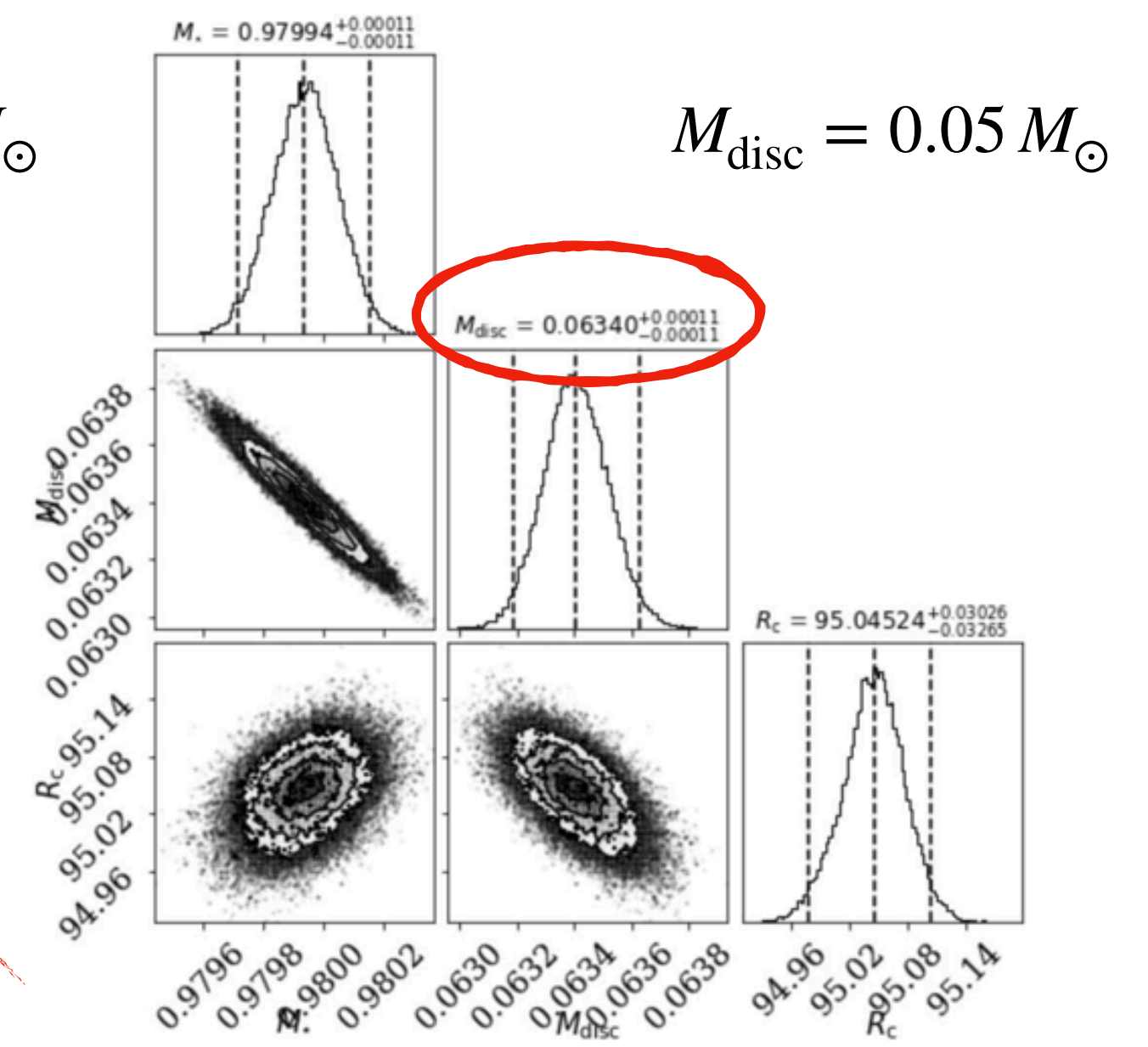
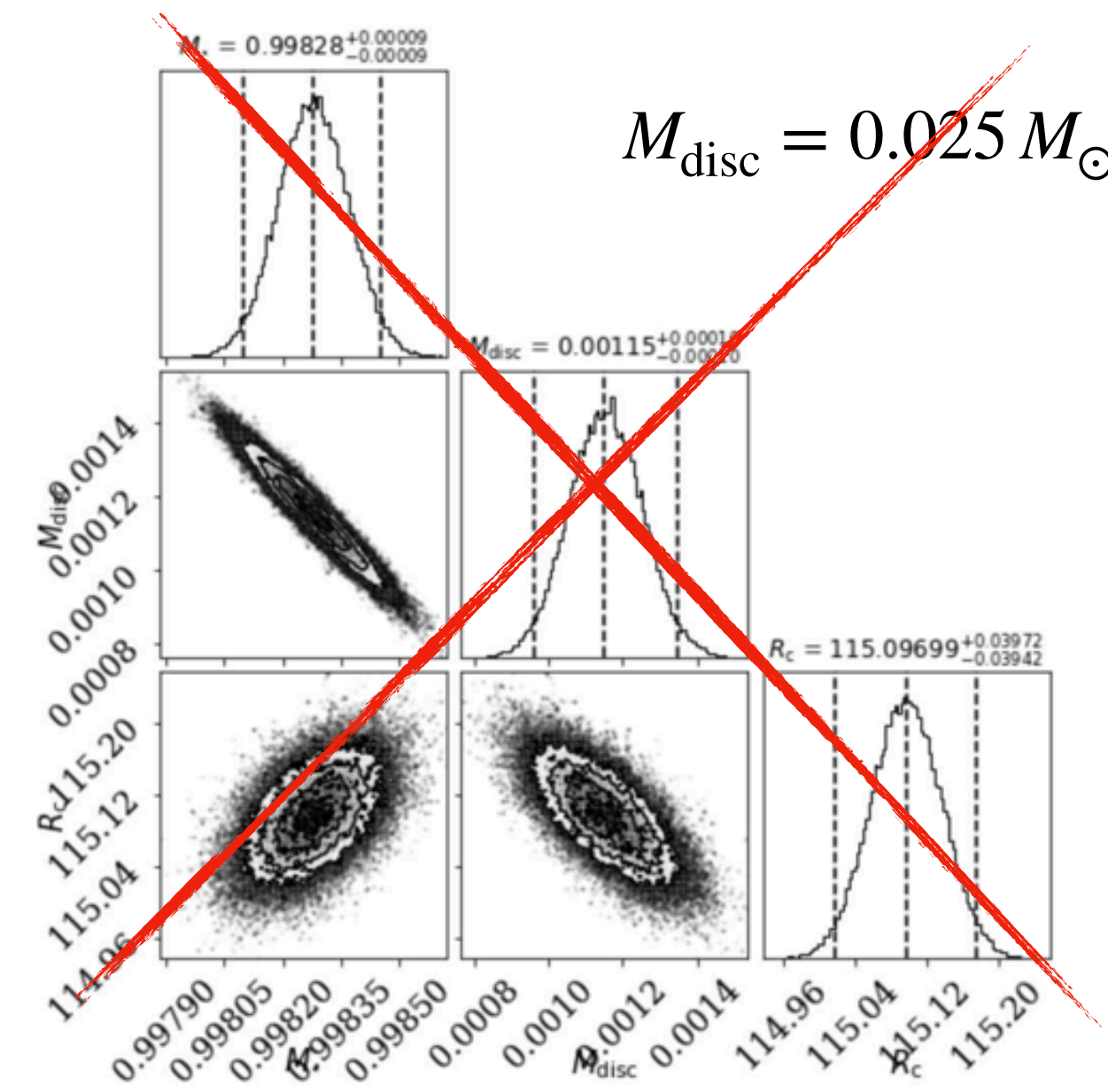
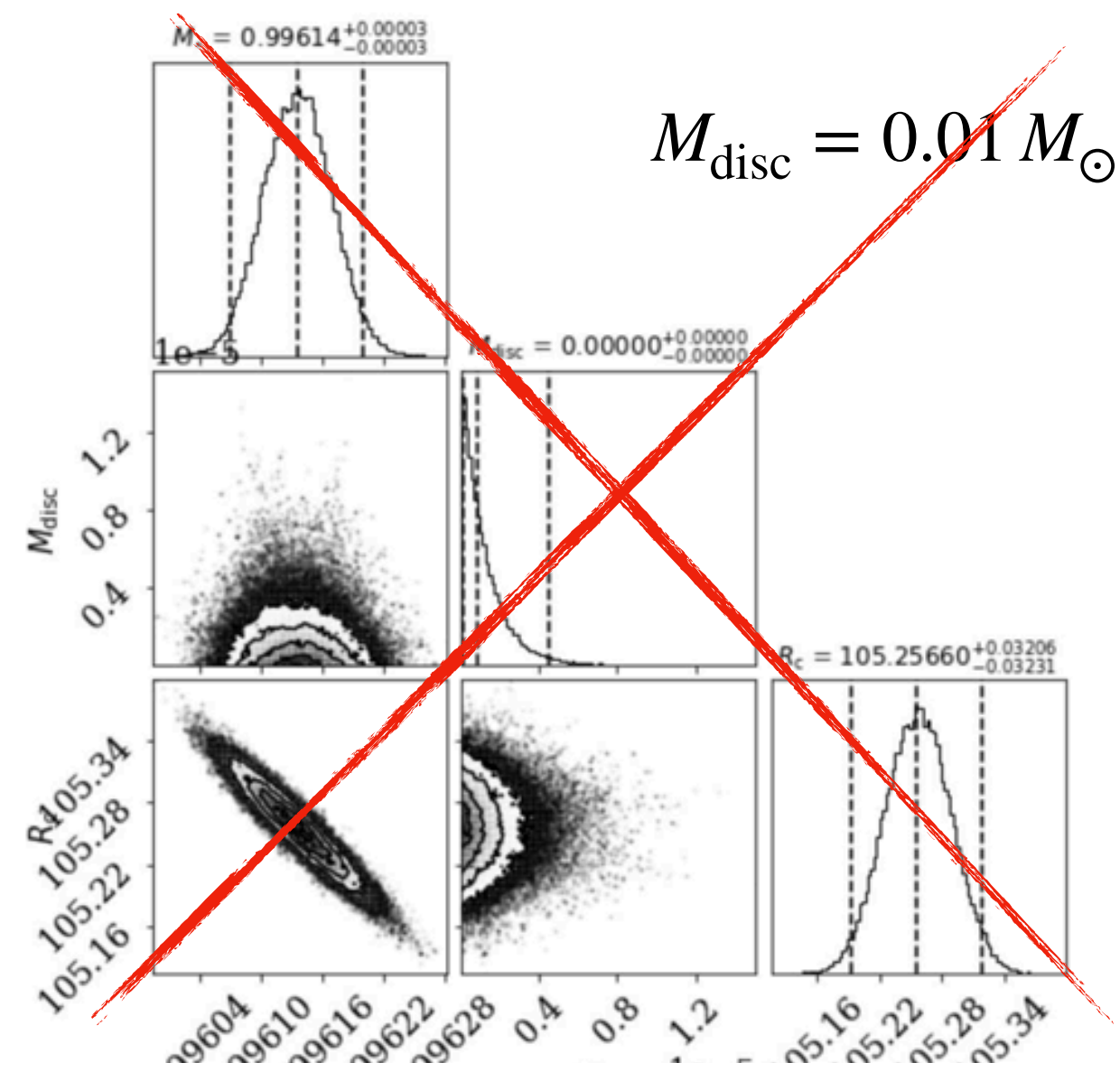
# WORK IN PROGRESS...

star+SG disc+pressure fit

e.g., results for  
 $H/R|_{100 \text{ au}} = 0.075$



- Threshold for getting the correct disc mass  $\approx 0.05 M_{\odot}$
- Issue with  $M_d \approx 0.2 M_{\odot}$ : resolution too low





# TAKE HOME MESSAGES: A DYNAMICAL SCALE



We searched for deviation from Keplerianity in the disc rotation curve of Elias 2-27, IM Lup and GM Our



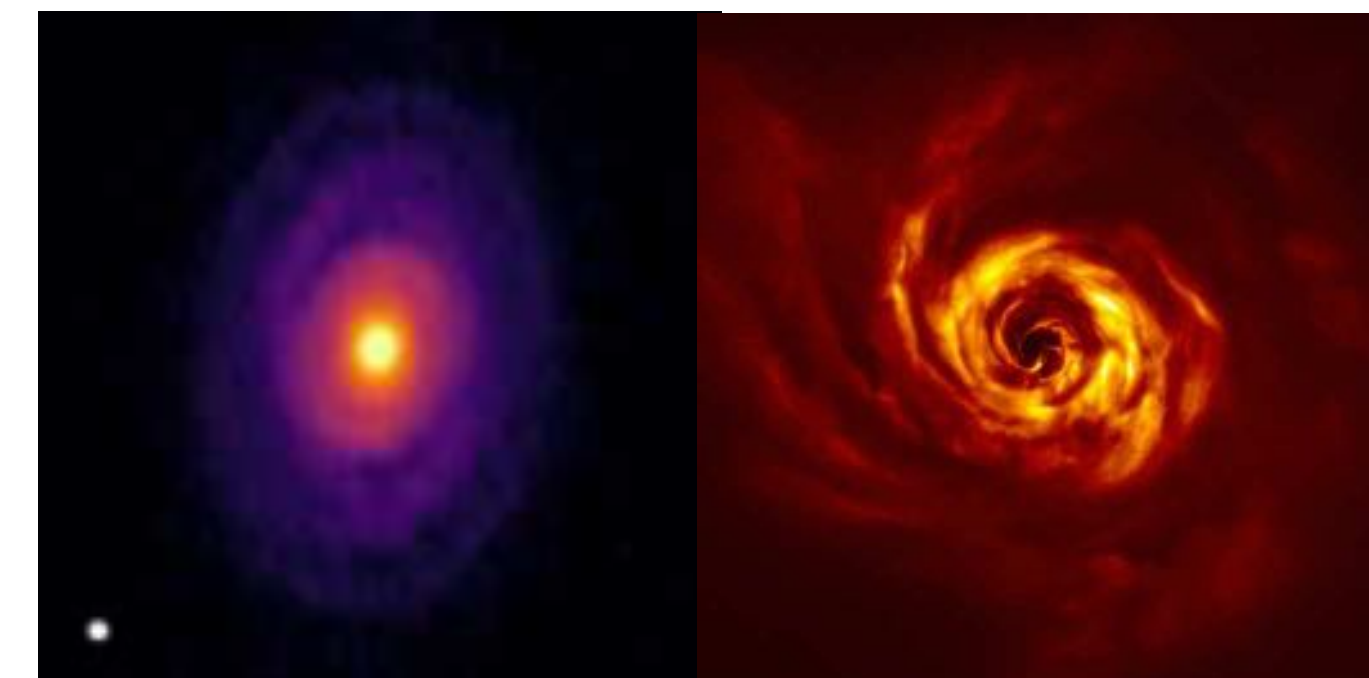
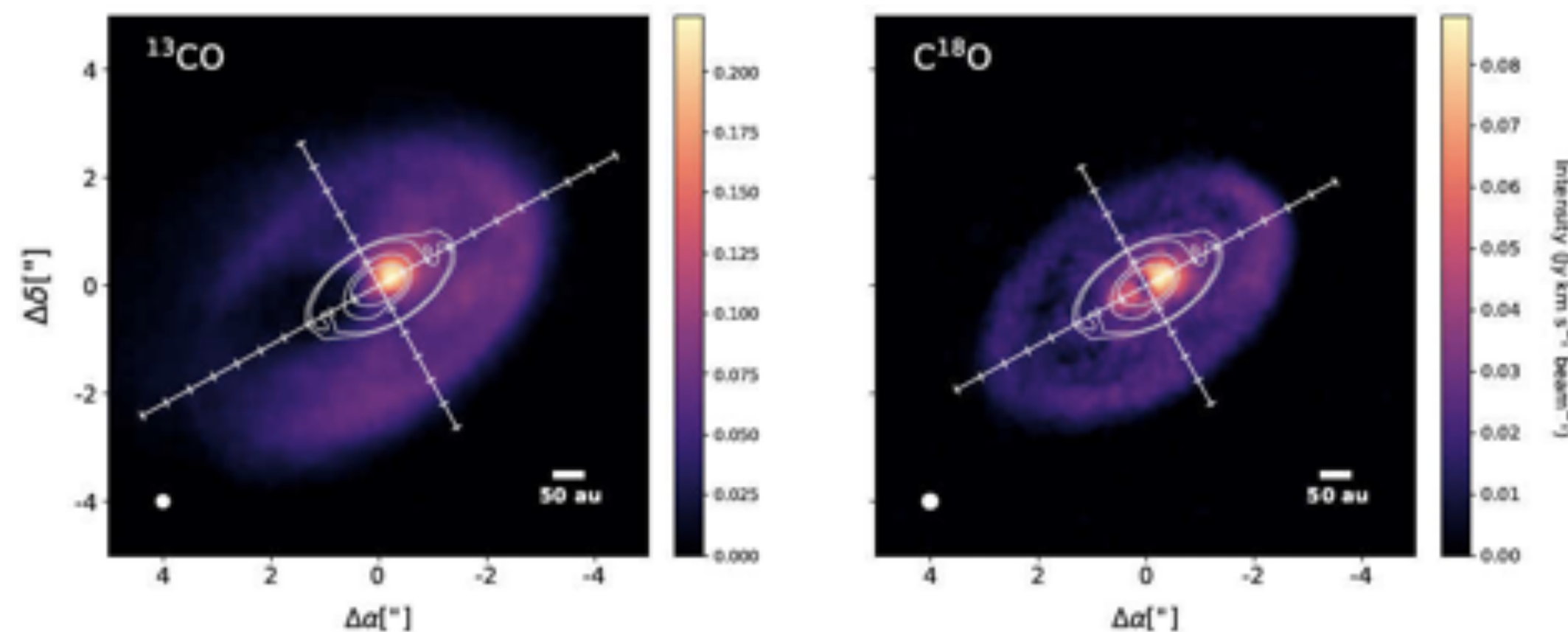
Best fit for Elias 2-27 and IM Lup: SG model

$$\frac{M_{\text{Elias}}}{M_{\star}} \approx 0.17 - 0.22 \quad \frac{M_{\text{IM Lup}}}{M_{\star}} \approx 0.1$$

GI regime: spirals

## FURTHER INVESTIGATIONS NEEDED...

1. **Asymmetry** West and East side (maybe infall?)
2. **Other protoplanetary discs** showing **spiral structures** or a **high**  $M_{\text{disc}}/M_{\star}$  (e.g.: **WaOph 6, AB Aur** - ALMA proposals...)



# TAKE HOME MESSAGES: A DYNAMICAL SCALE



We searched for deviation from Keplerianity in the disc rotation curve of Elias 2-27, IM Lup and GM Our



Best fit for Elias 2-27 and IM Lup: SG model

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GI regime: spirals



## WORK IN PROGRESS

Benchmarking of the model with SG PHANTOM+MCFOST sims:

Deriving and fitting rotation curves from simulations for different  $M_{\text{disc}}/M_{\star}$  :

- Minimum disc mass we can recover?
- How this change depending on the spectral/spatial resolution?

Veronesi, Longarini et al. in prep



# TAKE HOME MESSAGES: A DYNAMICAL SCALE



We searched for deviation from Keplerianity in the disc rotation curve of Elias 2-27, IM Lup and GM Our



Best fit for Elias 2-27 and IM Lup: SG model

$$\frac{M_{\text{Elias}}}{M_{\star}} \approx 0.17 - 0.22 \quad \frac{M_{\text{IM Lup}}}{M_{\star}} \approx 0.1$$

GI regime: spirals



## WORK IN PROGRESS

- Combined fit for  $^{12}\text{CO}$  and  $^{13}\text{CO}$
- Better treatment for the errors: covariance matrix
- Analysis of rotation curve obtained for SG simulations with GI: trickier because of lower resolution at the emitting layer
- How does a planet affect the rotation curve?
- And what about a binary?



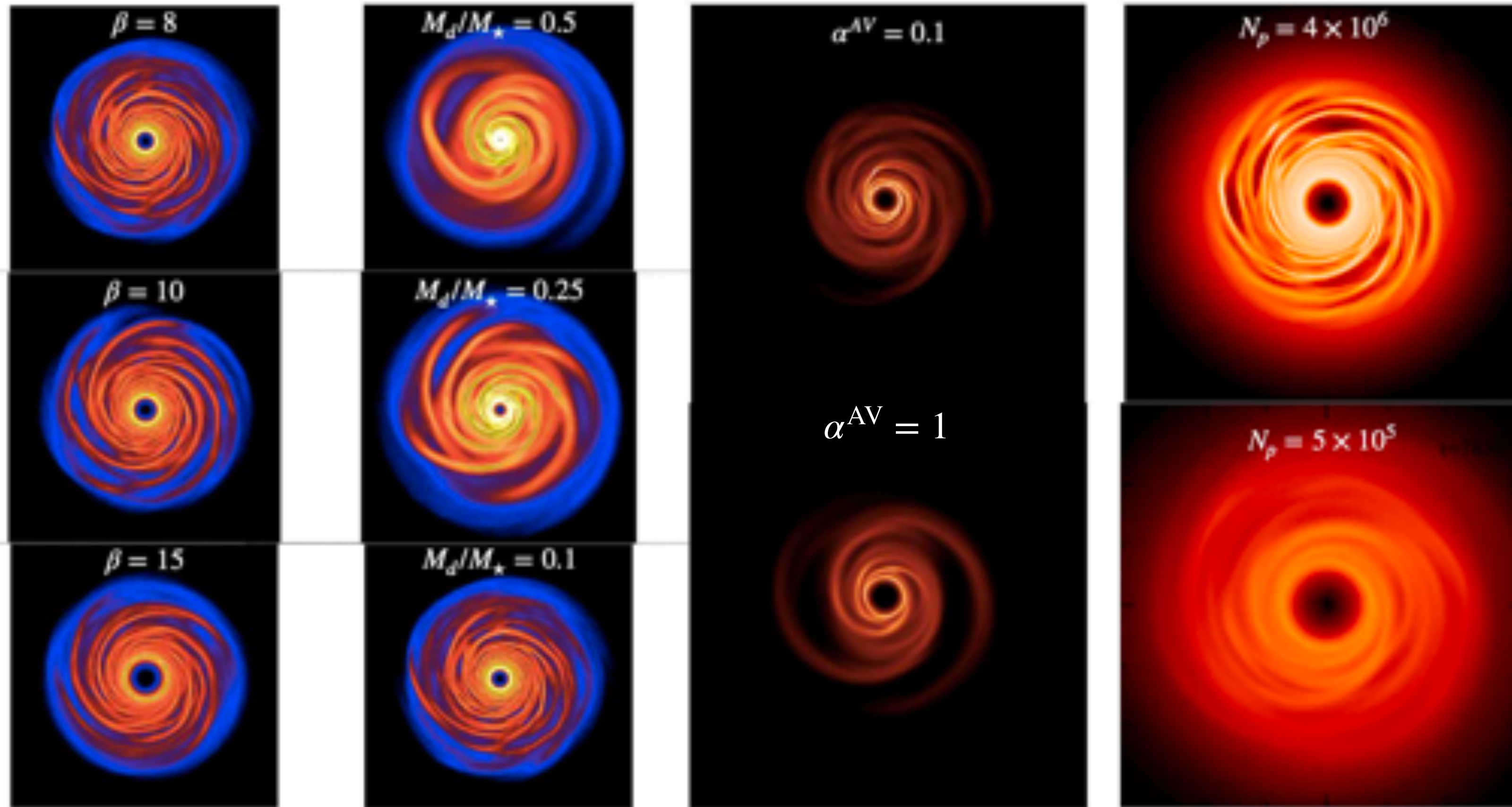
Veronesi, Longarini et al. in prep



MMMM... STRANGE...

# INVESTIGATING A WEIRD CAVITY IN SG SIMS

Investigation in collaboration with C. Longarini, G. Laibe + newly formed task force  
(with Sahl Rowther, Hossam Aly, Bec Nealon, Dan Price)

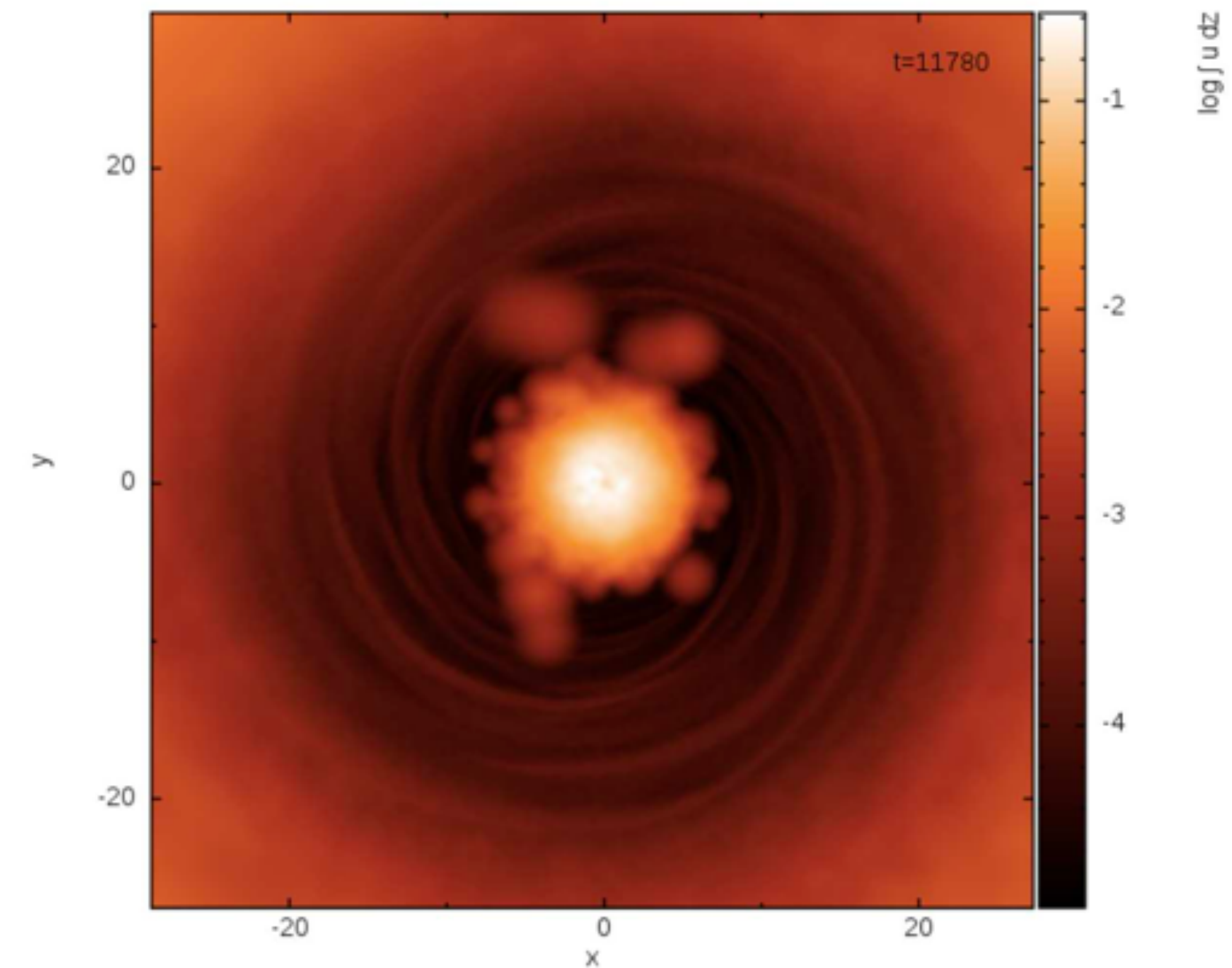


Disc mass

EOS (adiabatic) + cooling (beta cooling)

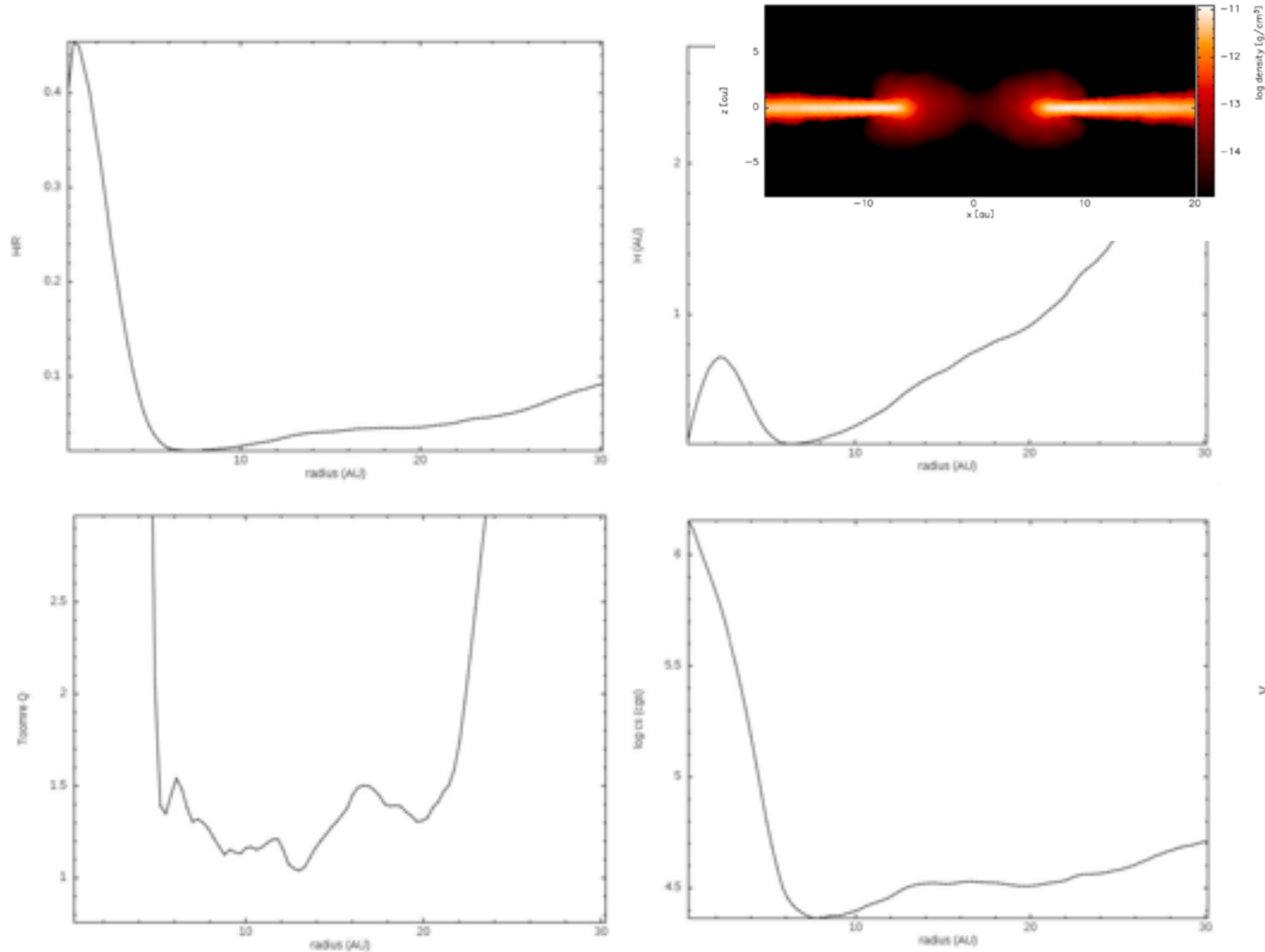
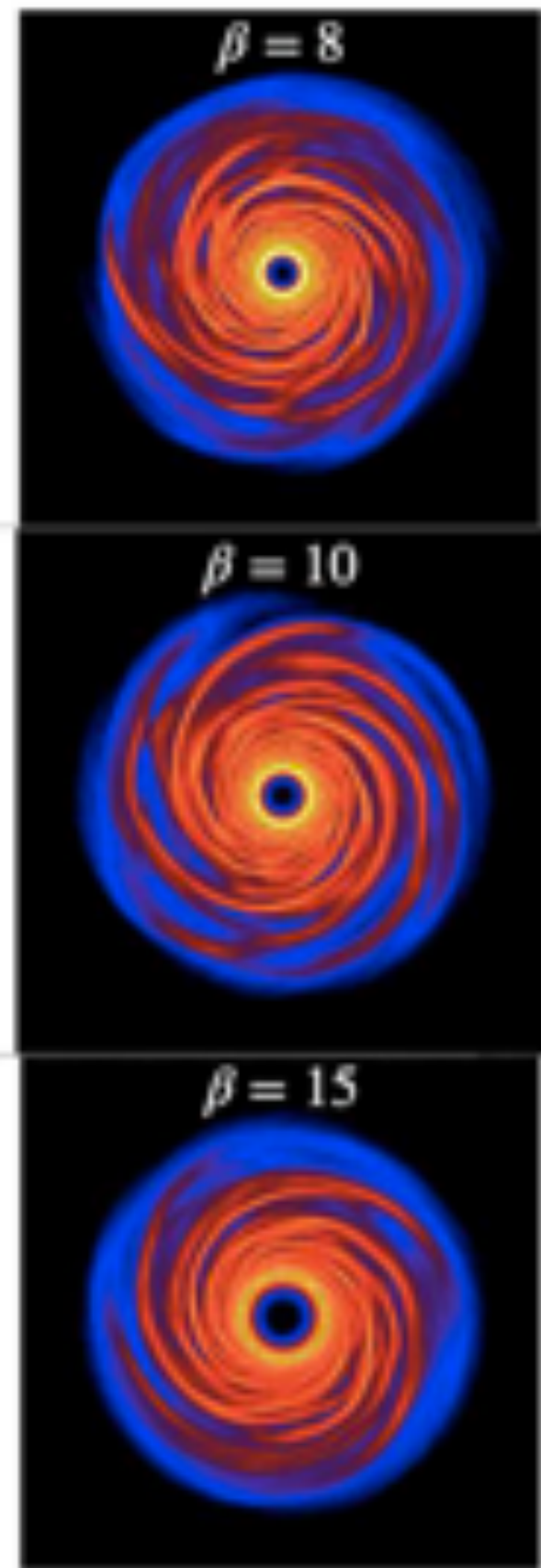
Resolution + artificial viscosity ( $\alpha_{AV}; \beta_{AV}$ )

Conductivity (how to treat contact discontinuities)  $\alpha_{cond}$

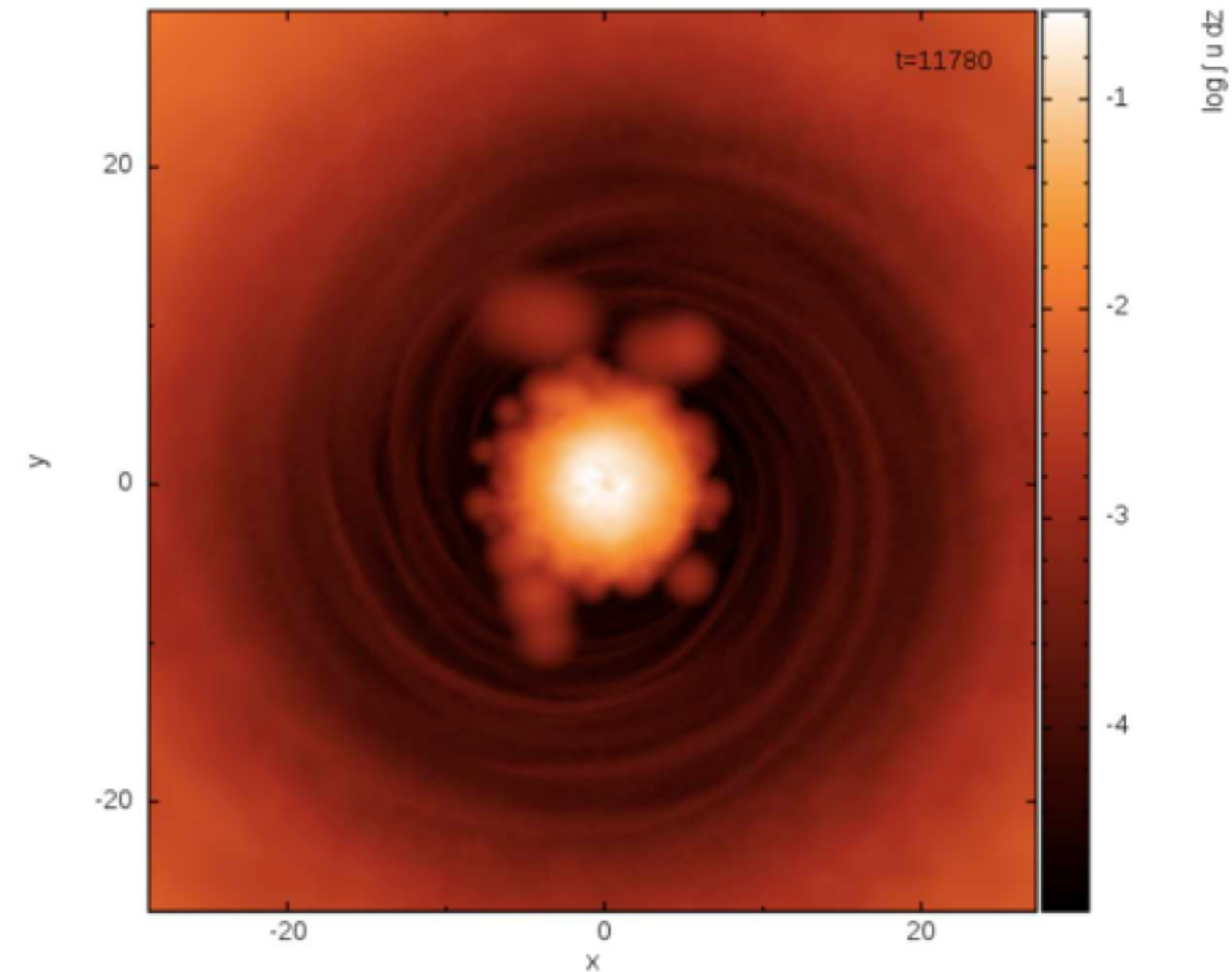


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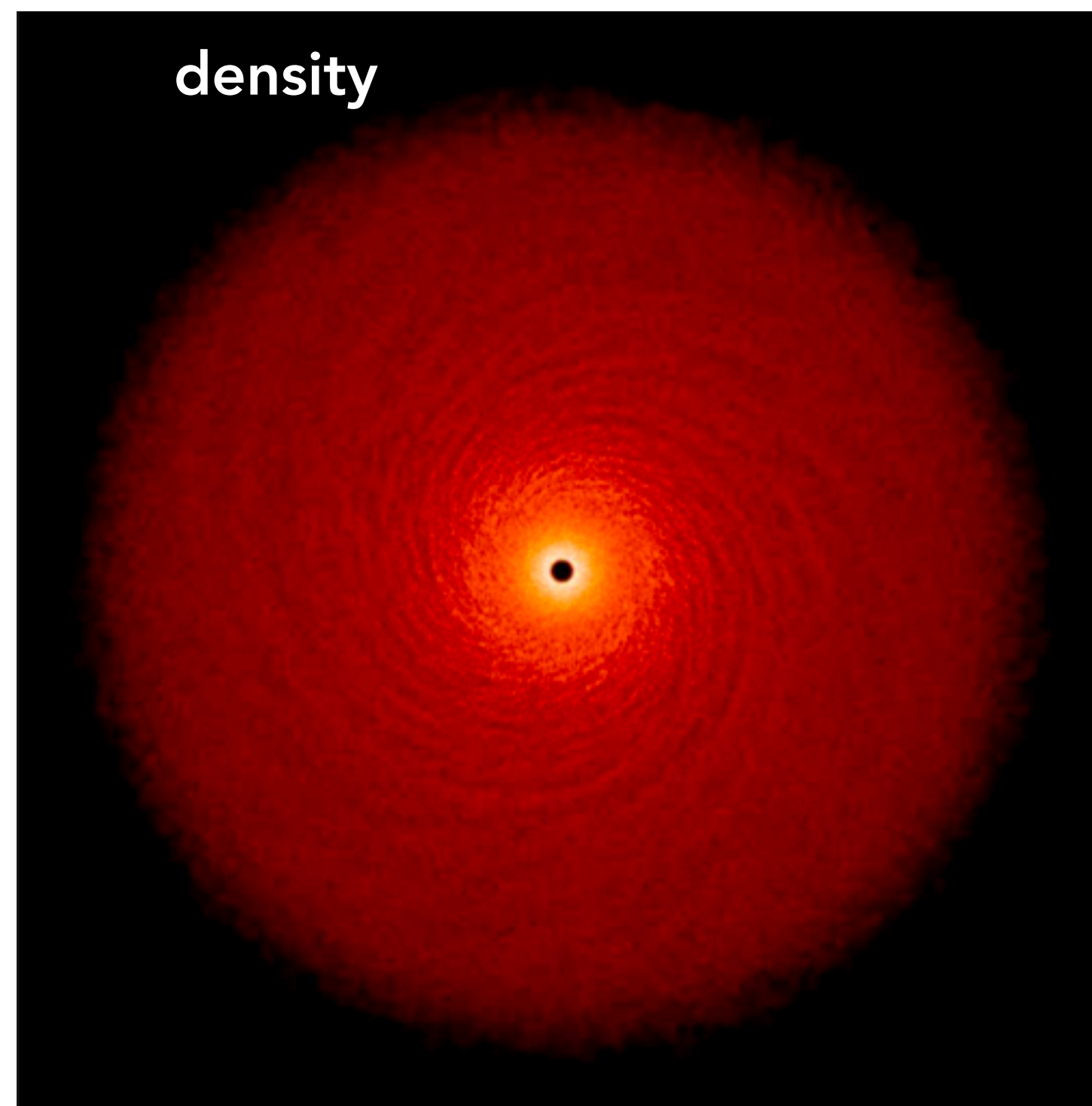


Disc mass  
 EOS (adiabatic) + cooling (beta cooling)  
 Resolution + artificial viscosity ( $\alpha_{AV}; \beta_{AV}$ )  
 Conductivity (how to treat contact discontinuities)  $\alpha_{cond}$



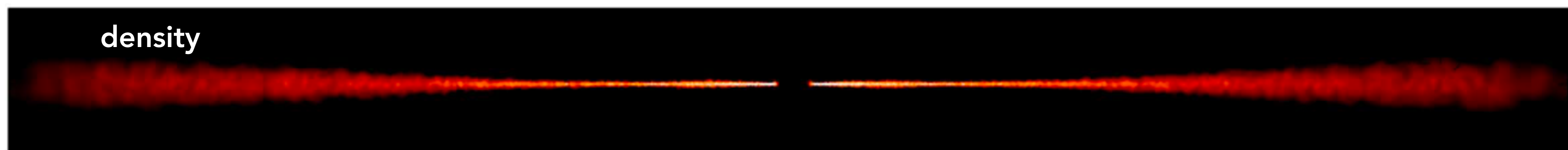
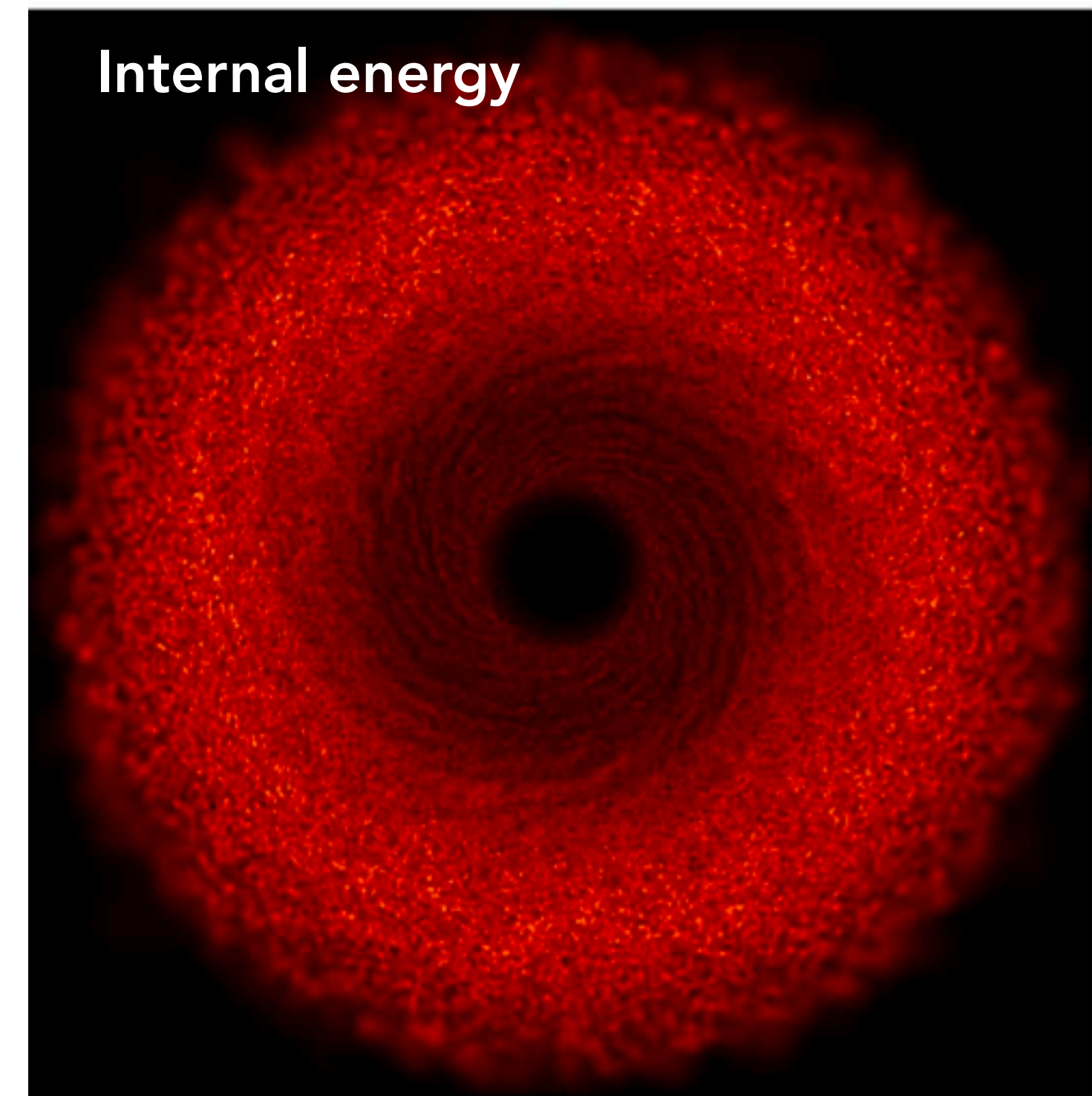
# INVESTIGATING A WEIRD CAVITY IN SG SIMS

(I gotta kill the switch... I don't care, I love it!)



$$(\alpha_{AV}, \beta_{AV}) = 0$$

Not correct, but just aiming at testing how the cavity formation is connected with the viscosity switch

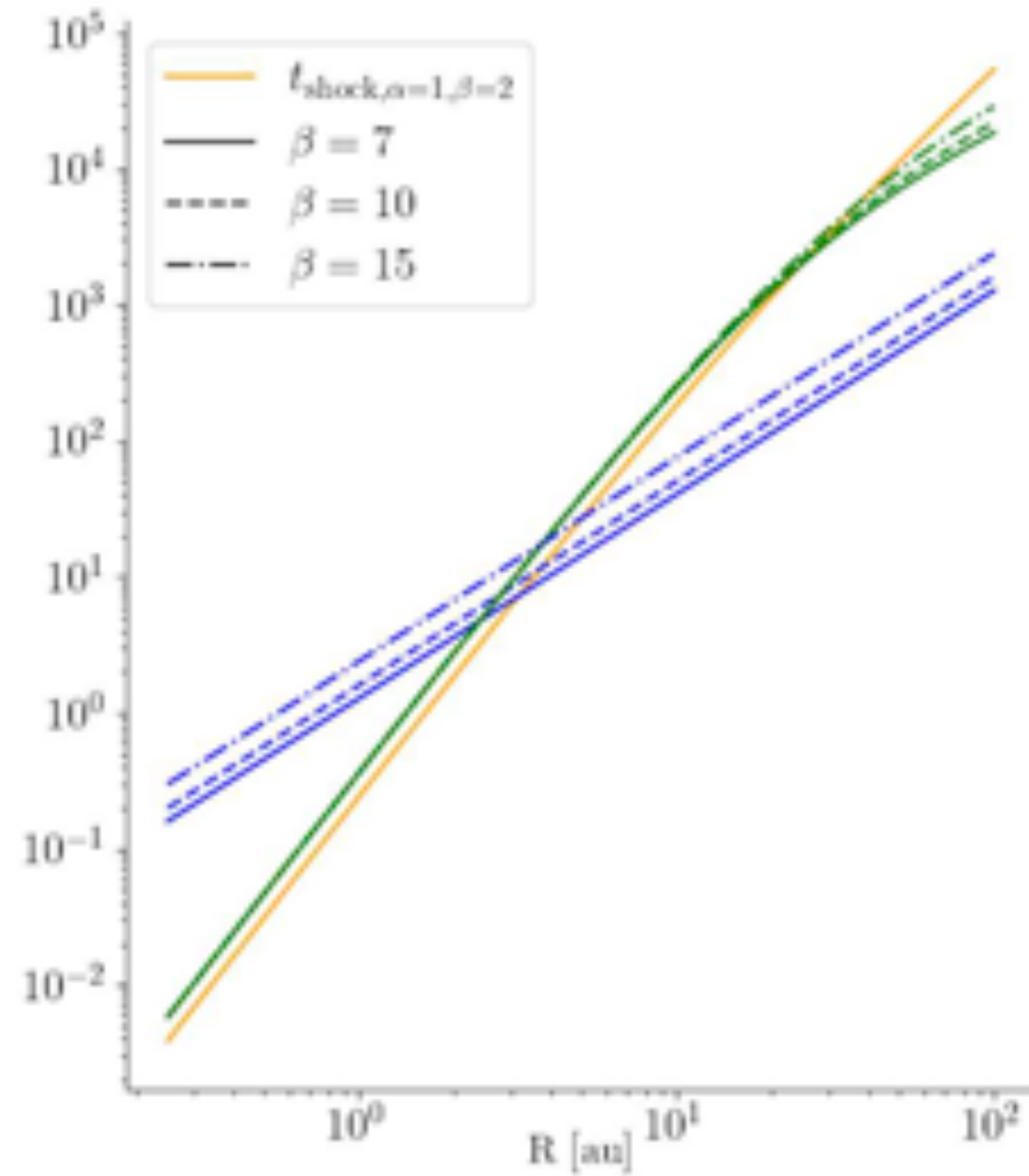
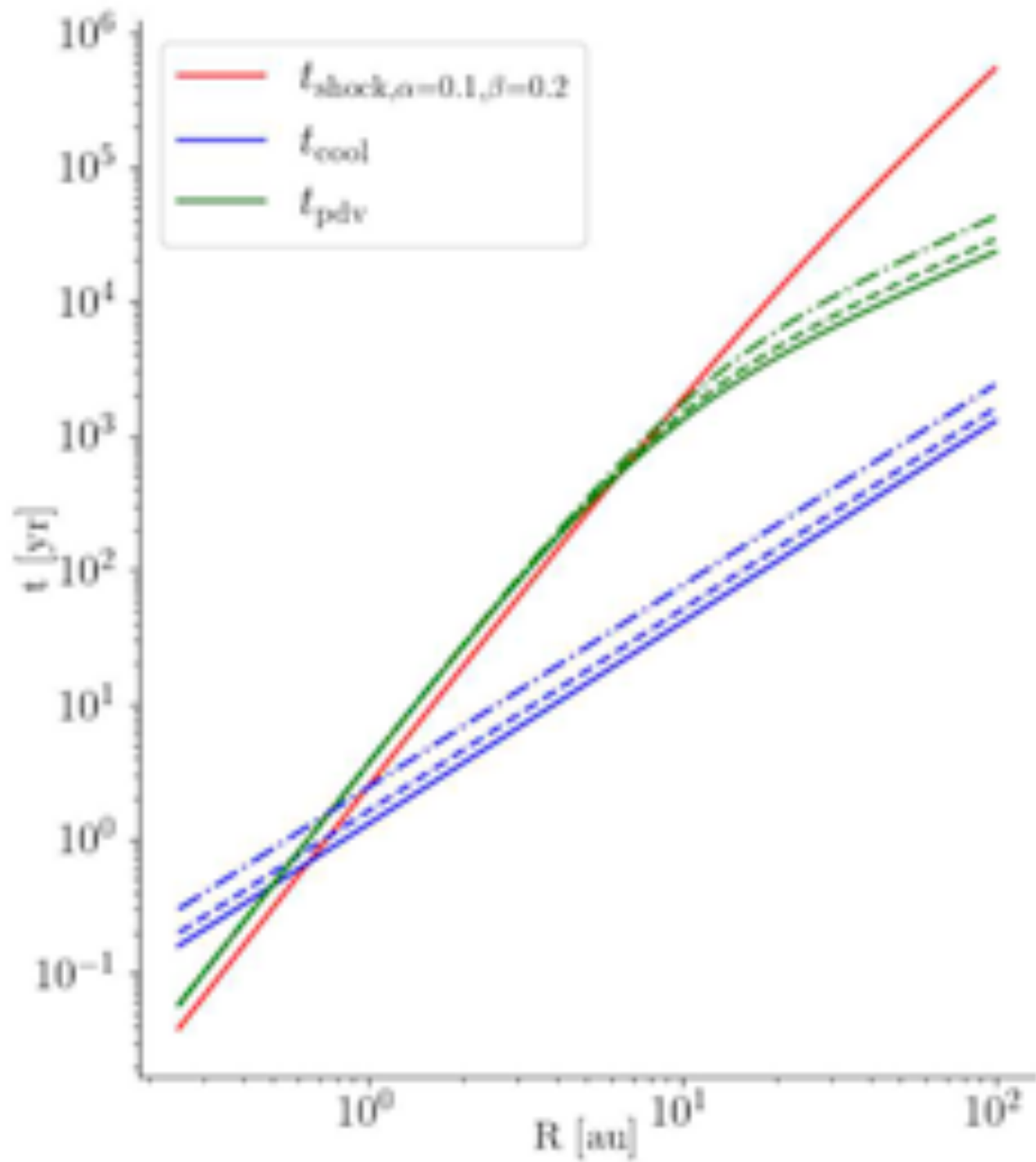


# INVESTIGATING A WEIRD CAVITY IN SG SIMS

Timescales argument: 
$$\frac{du}{dt} = -\frac{P}{\rho} \nabla \cdot \vec{v} + \Lambda_{\text{shock}} - \frac{\Lambda_{\text{cool}}}{\rho}$$

$$\nu_{\text{tot}} = (\alpha_{\text{SPH}} + \alpha_{\text{cool}}) c_s H$$

$$\alpha_{\text{SPH}} = \alpha_{\text{AV,lin}} + \alpha_{\text{AV,quad}} = \frac{31}{525} \alpha_{\text{AV}} \frac{h}{H} + \frac{9}{70\pi} \beta_{\text{AV}} \left( \frac{h}{H} \right)^2$$



$$t_{p\nabla v} = \frac{1}{\gamma - 1} \frac{r}{(\partial \nu_{\text{tot}} / \partial r)}$$

$$t_{\text{shock}} = \frac{r^2}{v_{\text{shock}}} = \frac{r^2}{\alpha_{\text{SPH}} c_s H} = \left( \frac{H}{r} \right)^{-2} \frac{1}{\Omega \alpha_{\text{SPH}}}$$

$$t_{\text{cool}} = \beta \Omega^{-1}$$

Chosen parameters:

$$H/R_0 = 0.1 \quad \Sigma = \Sigma_0 \left( \frac{R}{R_0} \right)^{-1}$$

$$M_{\text{disc}}/M_{\star} = 0.1$$

$$R_0 = 0.25 \text{ au}; R_{\text{out}} = 100 \text{ au} \quad \frac{H}{R} = H/R_0 \left( \frac{R}{R_0} \right)^{1/2-q} ; q = 0.25$$

Cavity when: 
$$t_{\text{cool}} > \min \left\{ t_{\text{shock}}, t_{p\nabla v} \right\}$$



# INVESTIGATING A WEIRD CAVITY IN SG SIMS

Next steps:

- Numerical or physical issue? Or both?
  - Thermal instability?
- Different (more physical) cooling treatment? Opacities?
- PHANTOM+MCFOST? (connection with Sahl's project here @ Monash)
- Started testing a possible solution yesterday: keep you updated!



Why do I(/we) care so much?

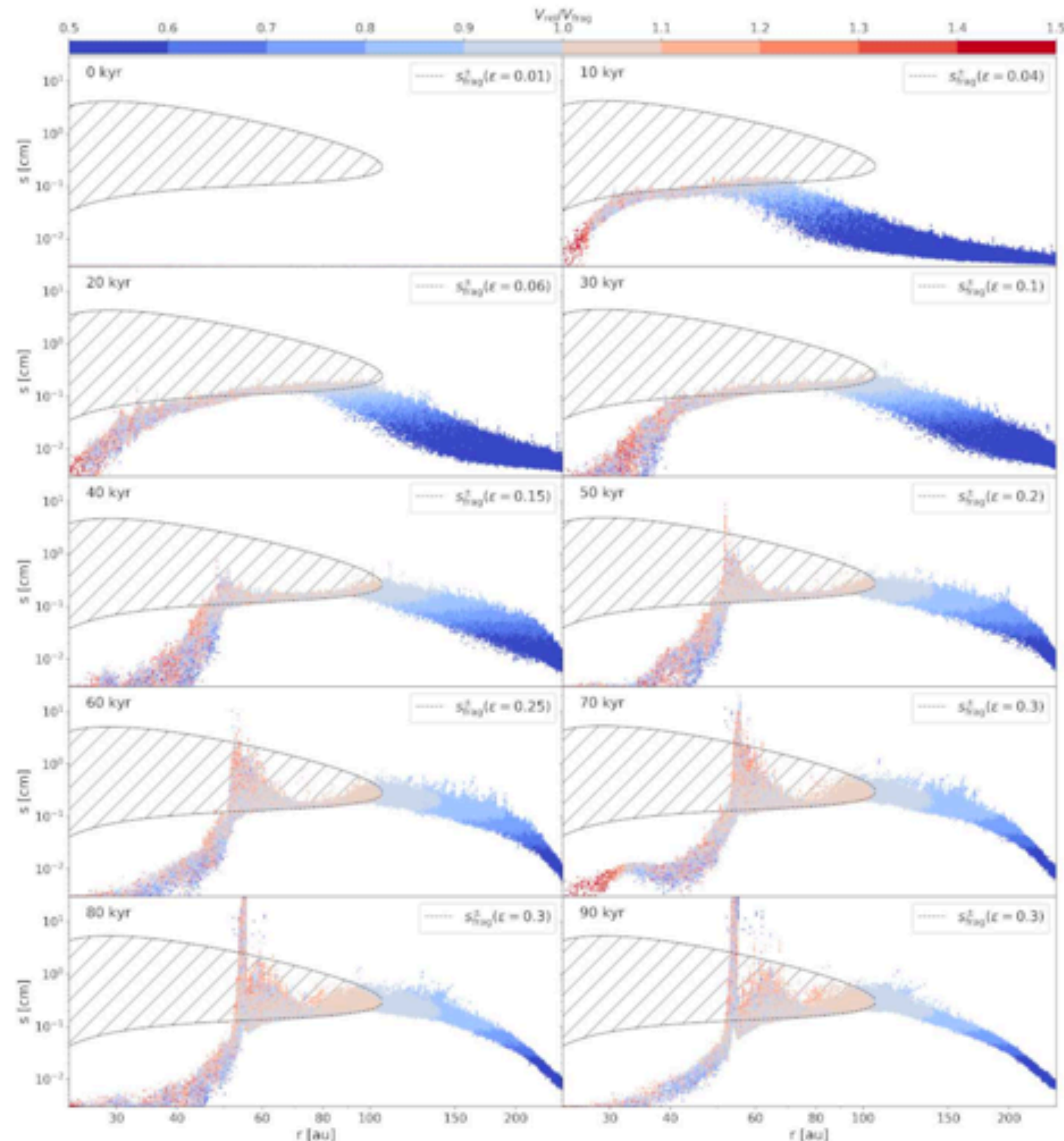
- We want to be sure that we can trust our SG simulations: right now we do see spurious ring formation
- If you care about the whole disc extent (and not only the outer region where spirals develop) this is important!



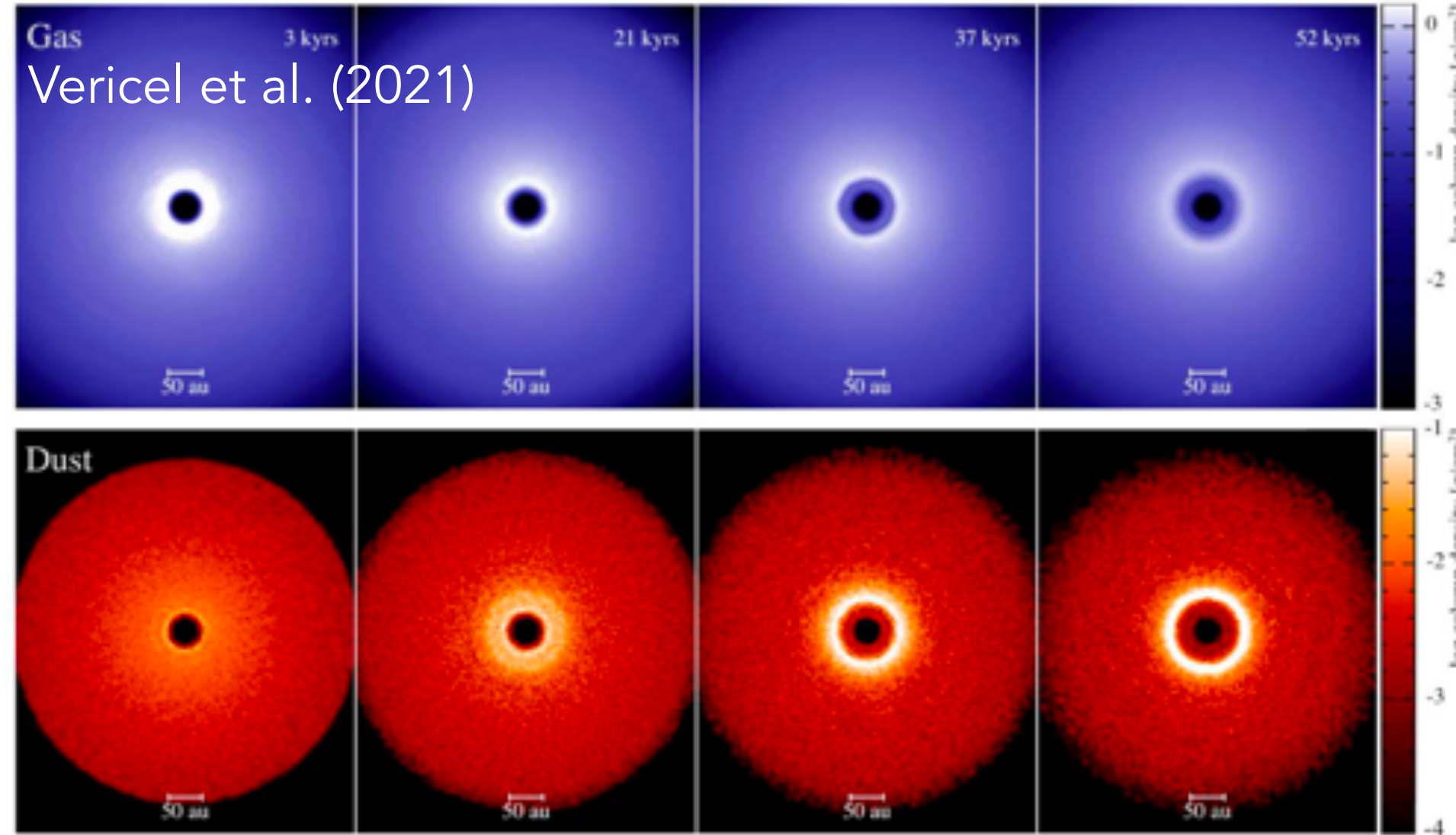
# ARE SIDTS SEEDS FOR PLANETS? A.K.A. SELF-INDUCED DUST TRAPS



PHANTOM sims with 2-fluid (dust+gas) algorithm



Vericel et al. (2021), Gonzalez et al. (2017)



PROJECT AIM:

- Planets expected to form early: SIDTS could be an answer
- Dust growth should start in the earlier stages (maybe already during the collapse phase? Collab with Asmita Bhandare)

**Disc evolution with both SG and DUST GROWTH: formation of dust traps?**

What effect will dominate?  
DRAG or GI perturbations?

With G. Laibe, J.-F. Gonzalez

For an overview on dust growth see Stéphane's talk!

THANKS FOR THE ATTENTION! QUESTIONS?



YOU CAN CONTACT ME HERE:  
[benedetta.veronesi@ens-lyon.fr](mailto:benedetta.veronesi@ens-lyon.fr)

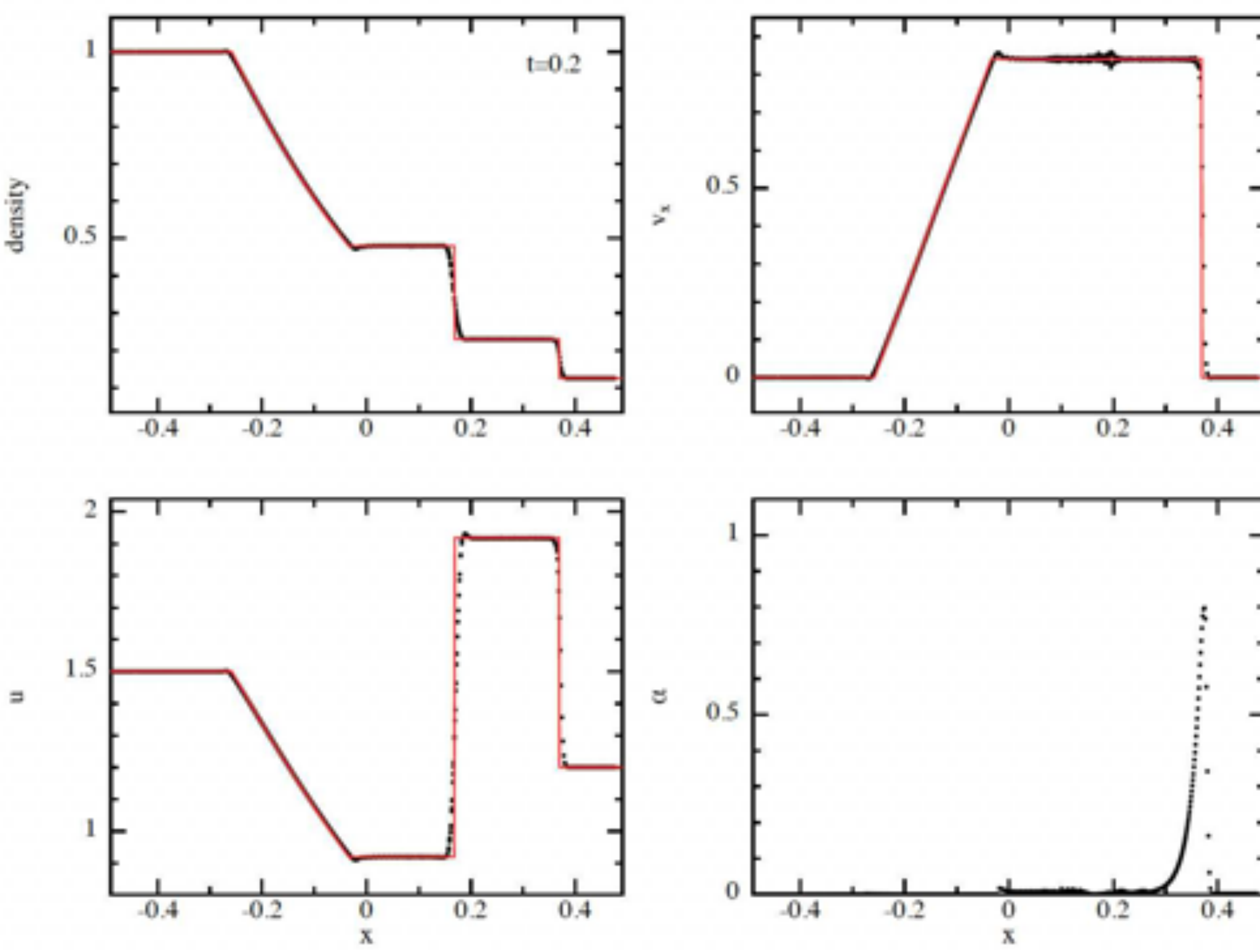
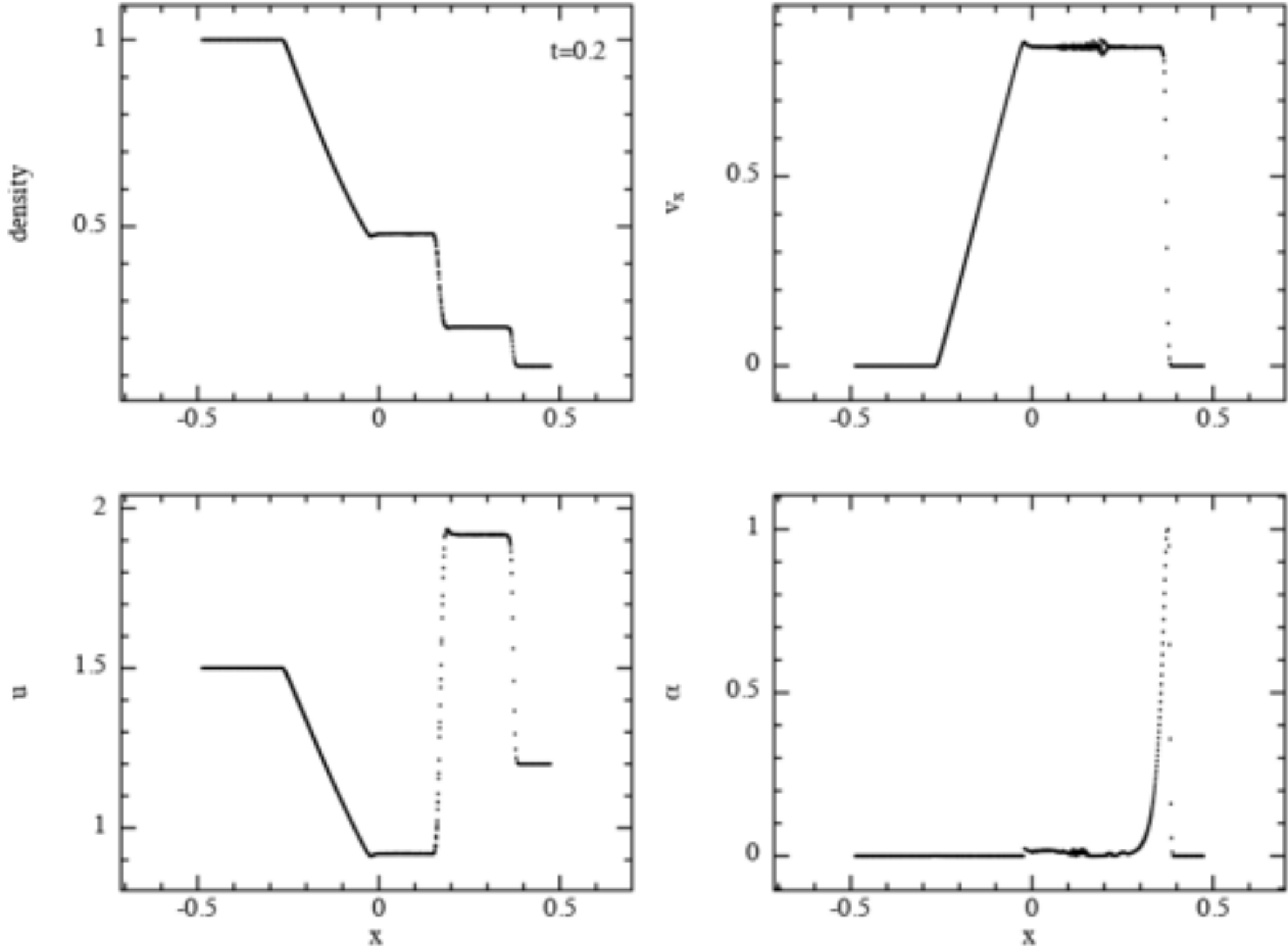
# INVESTIGATING A WEIRD CAVITY IN SG SIMS

$$\alpha = [0,1]; \beta = 2 \quad \longrightarrow \quad \beta = 2 \cdot \alpha$$

To capture shocks and to avoid particle interpenetration

$\alpha$  remains low in the inner region  
 -> no strong shocks

Shock tube test



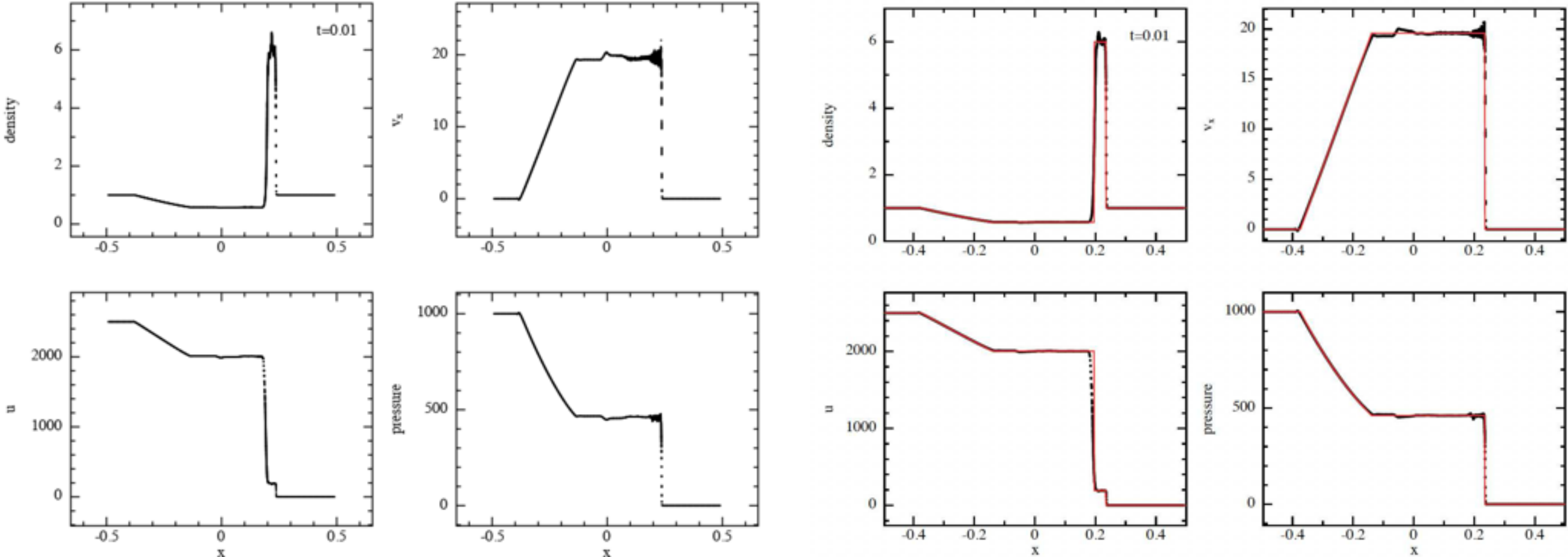
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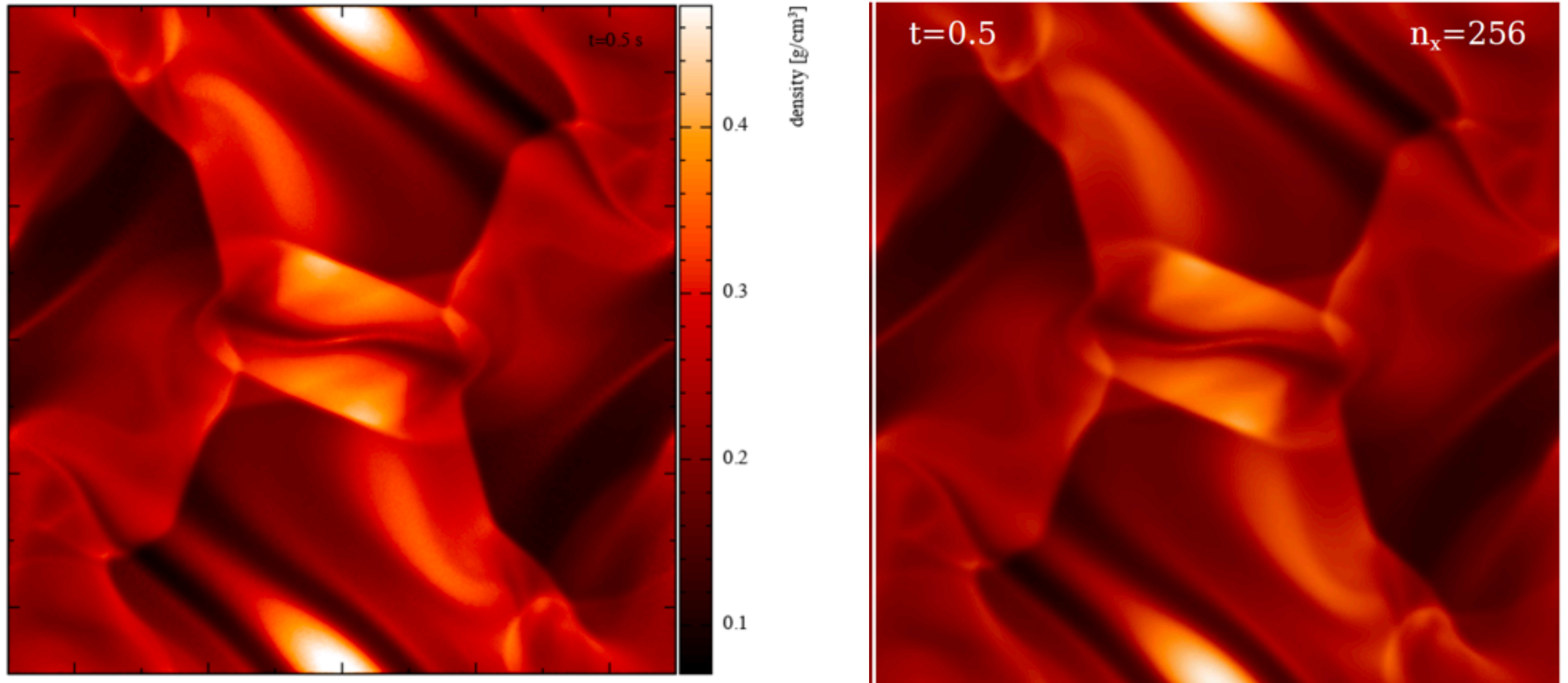
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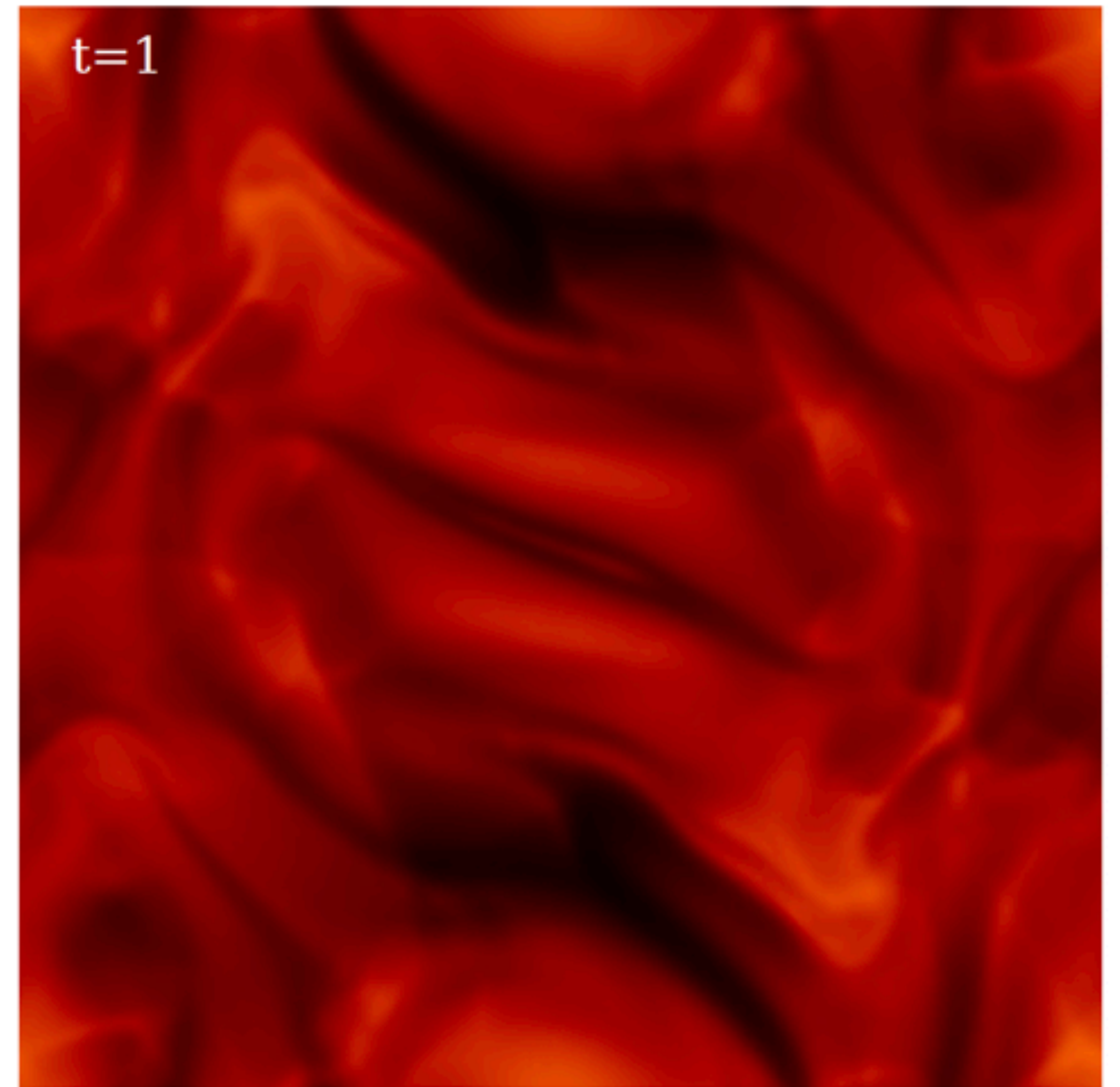
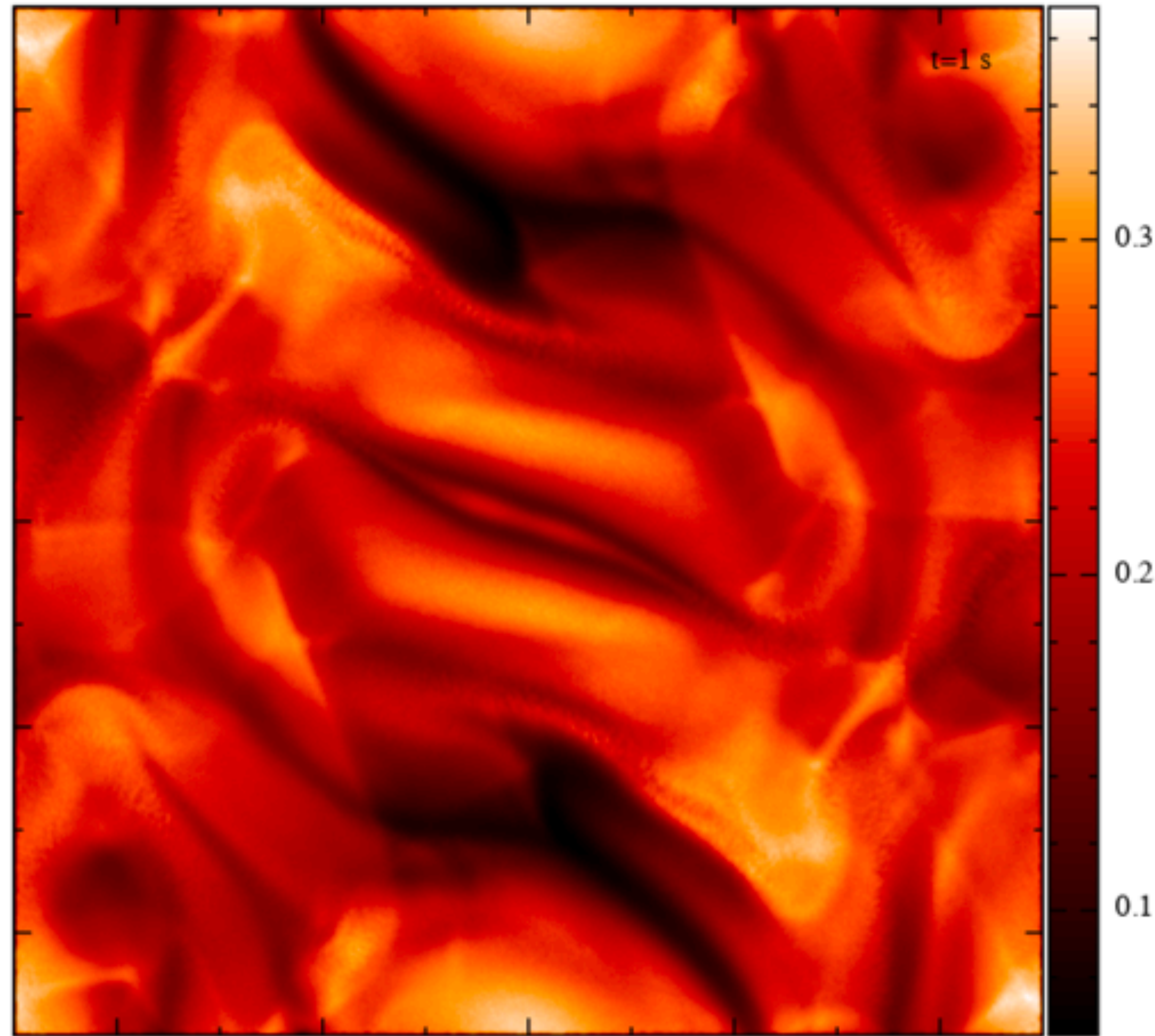


# INVESTIGATING A WEIRD CAVITY IN SG SIMS



Orszag-Tang vortex test: 256res

# INVESTIGATING A WEIRD CAVITY IN SG SIMS



Orszag-Tang vortex test: 256res