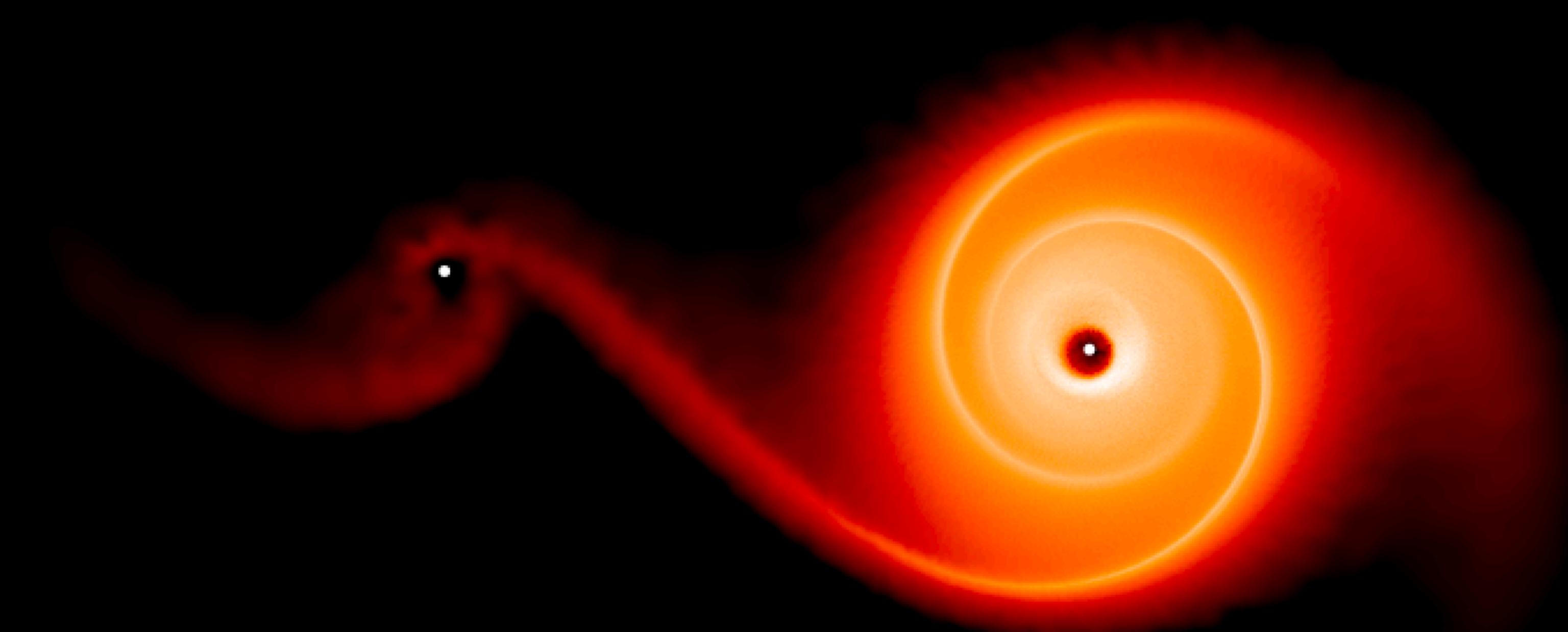
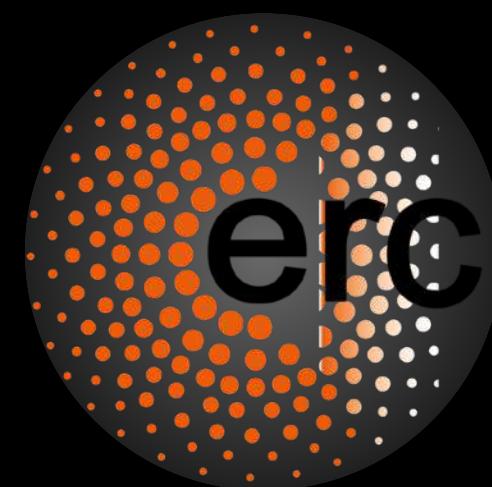


# Dust Growth in binary stars

The path to planet formation in multiple systems

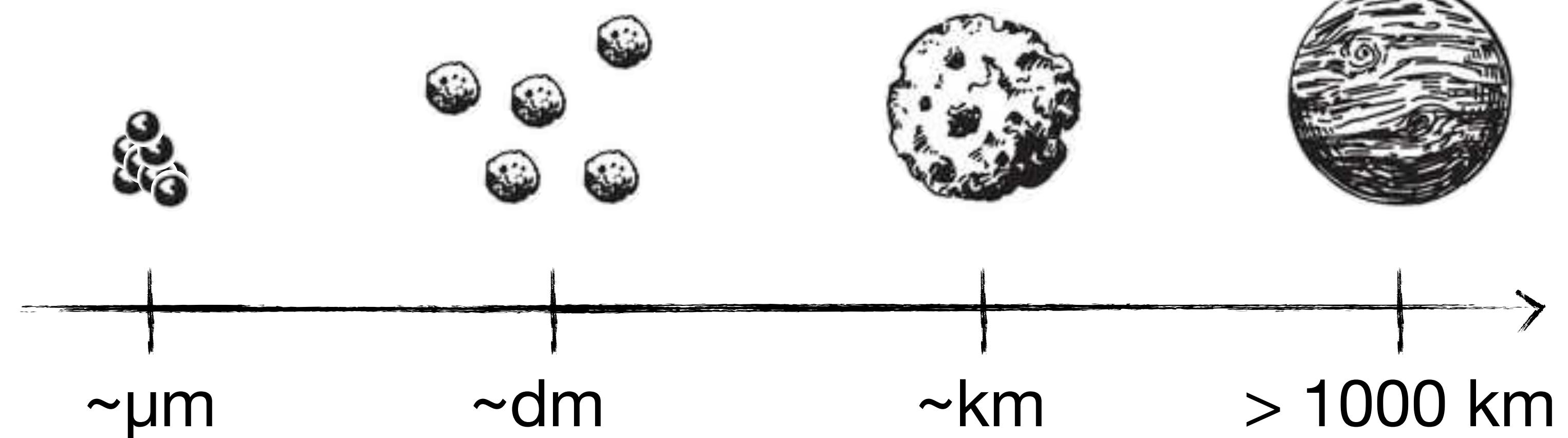


ALAGUERO Antoine

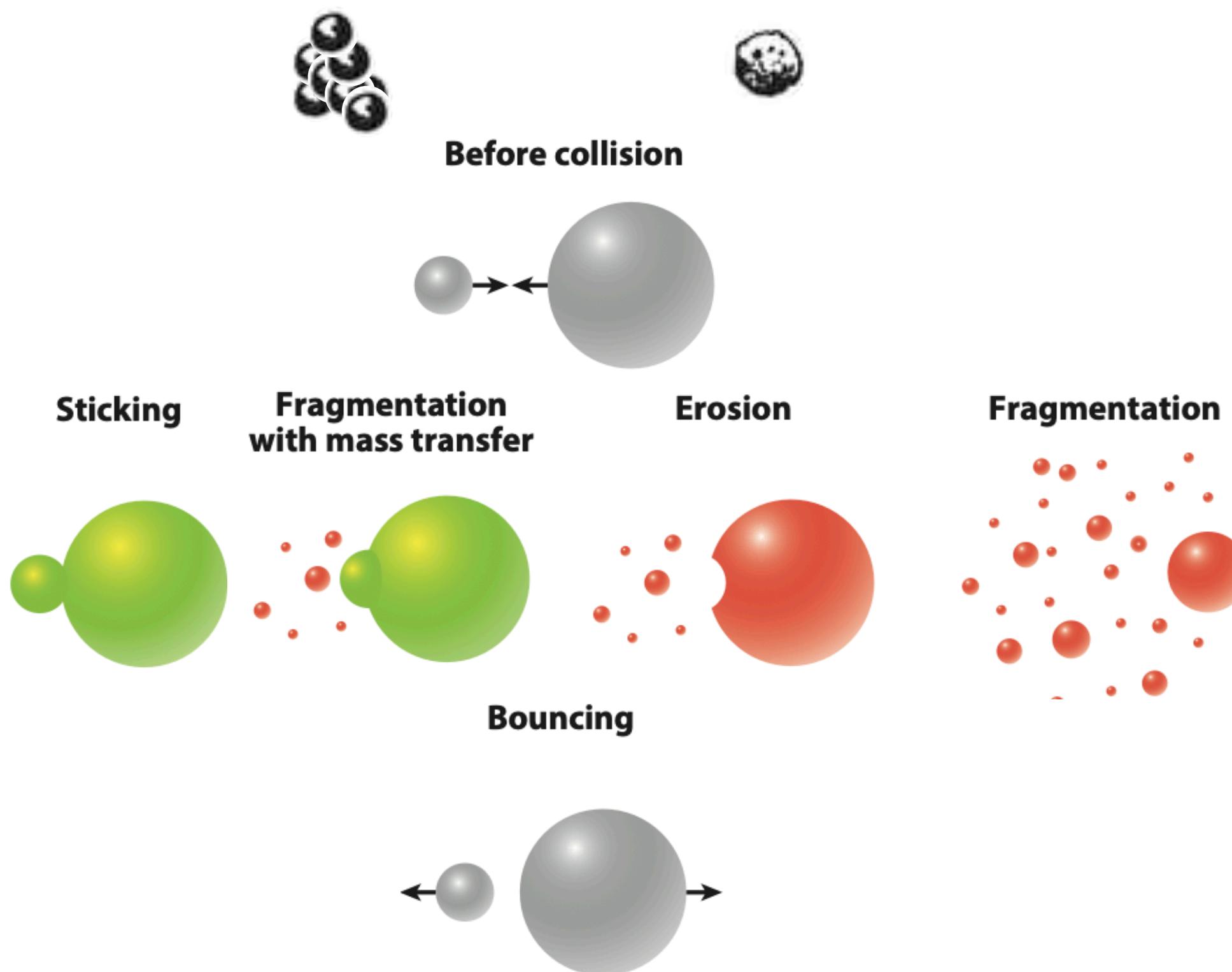


*supervised by CUELLO Nicolás & MÉNARD François*

# Context

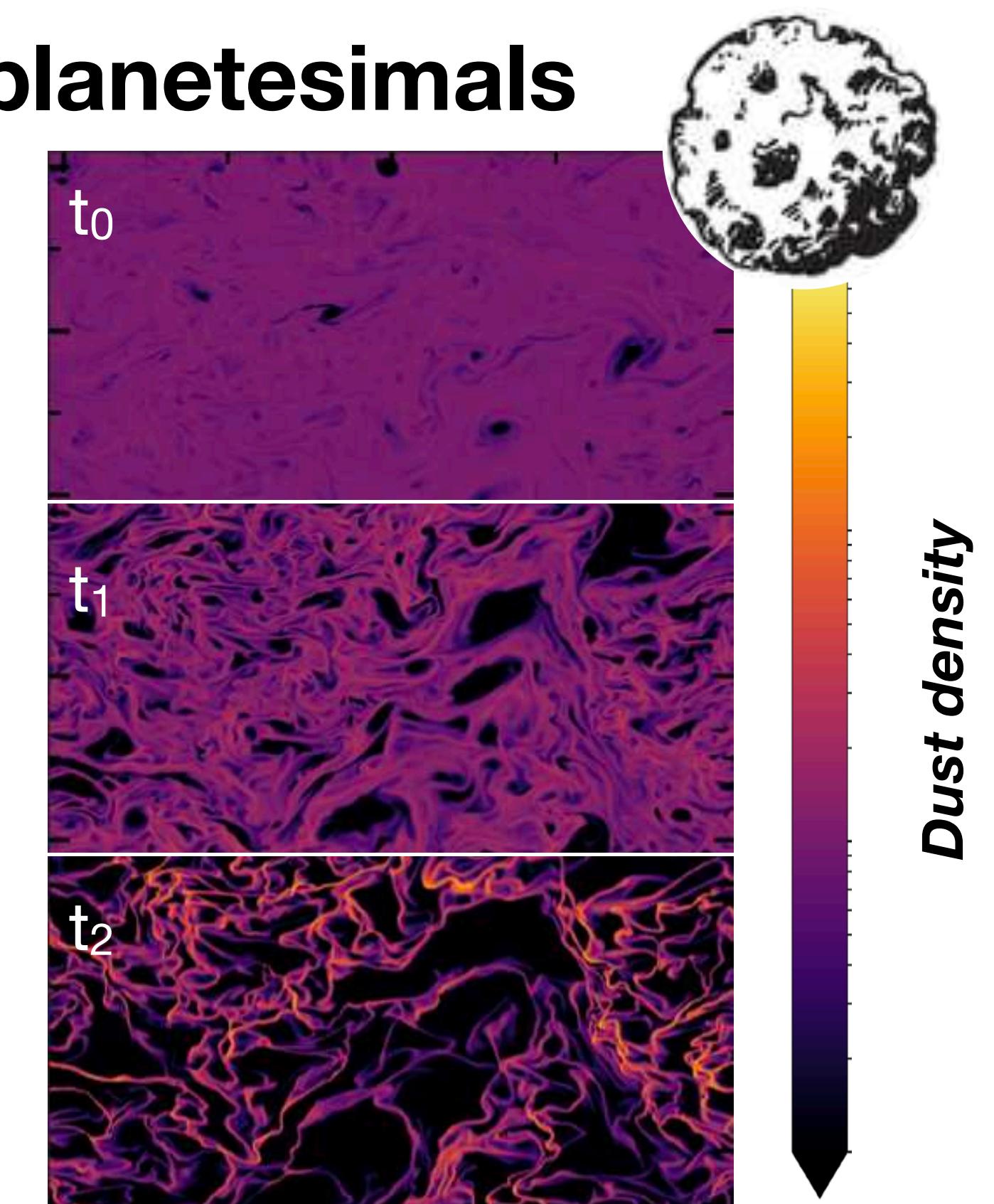


## From grains to pebbles



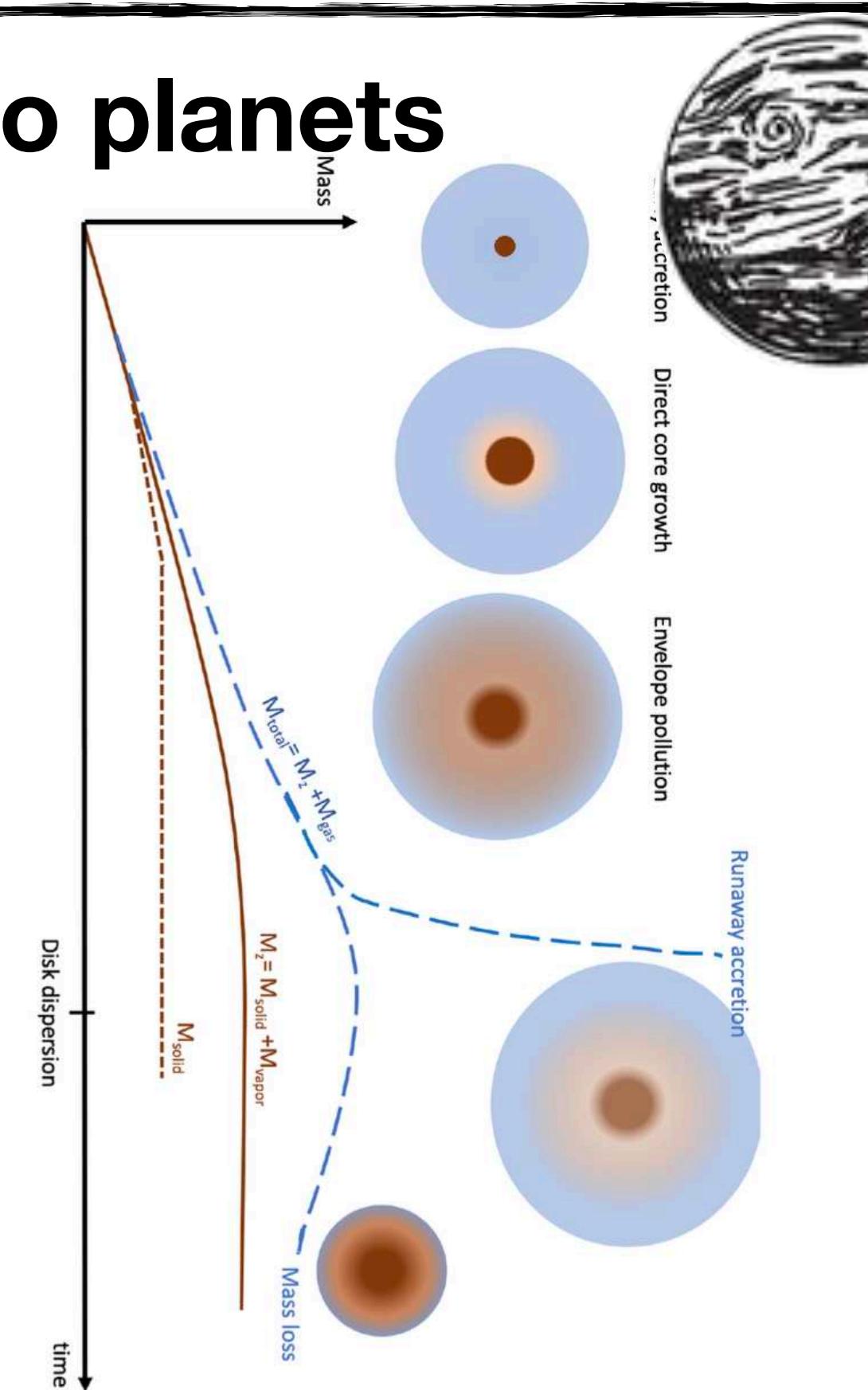
Birnstiel+2024

## to planetesimals



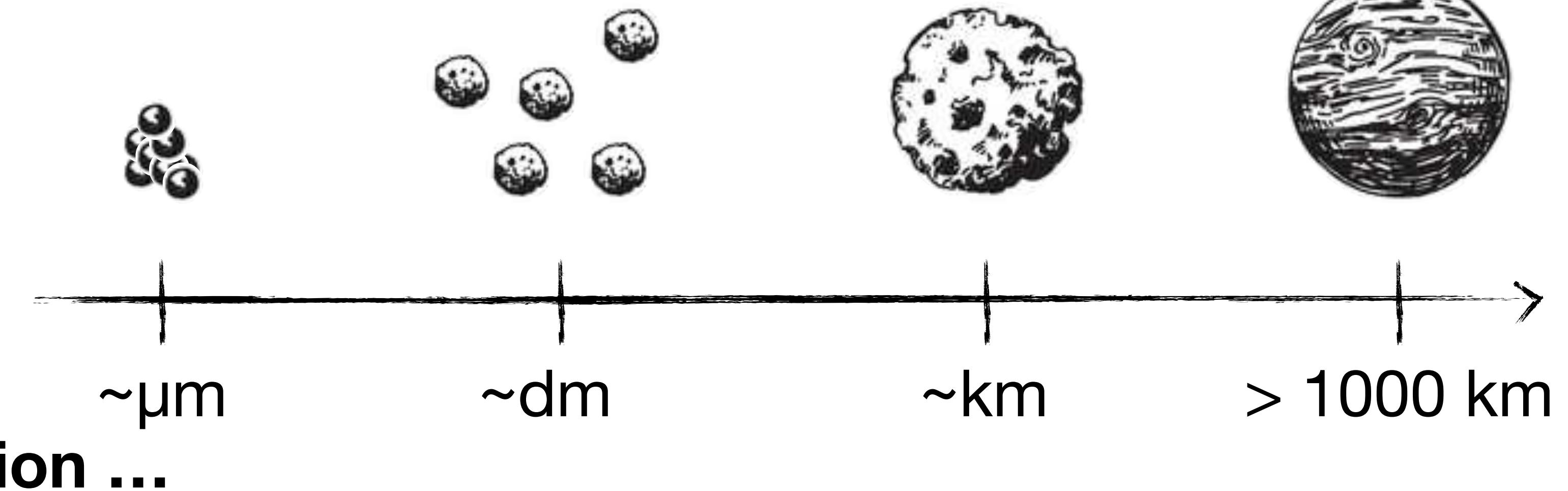
Matthijssse+2025

## to planets



Drążkowska+2025

## Context

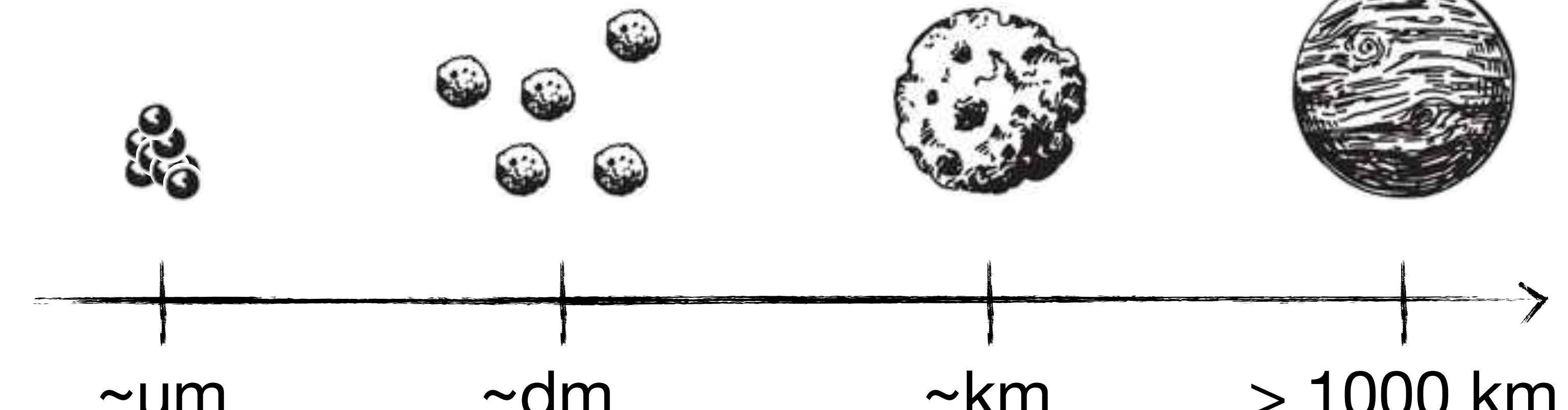


HD 100453

**... in multiple systems**

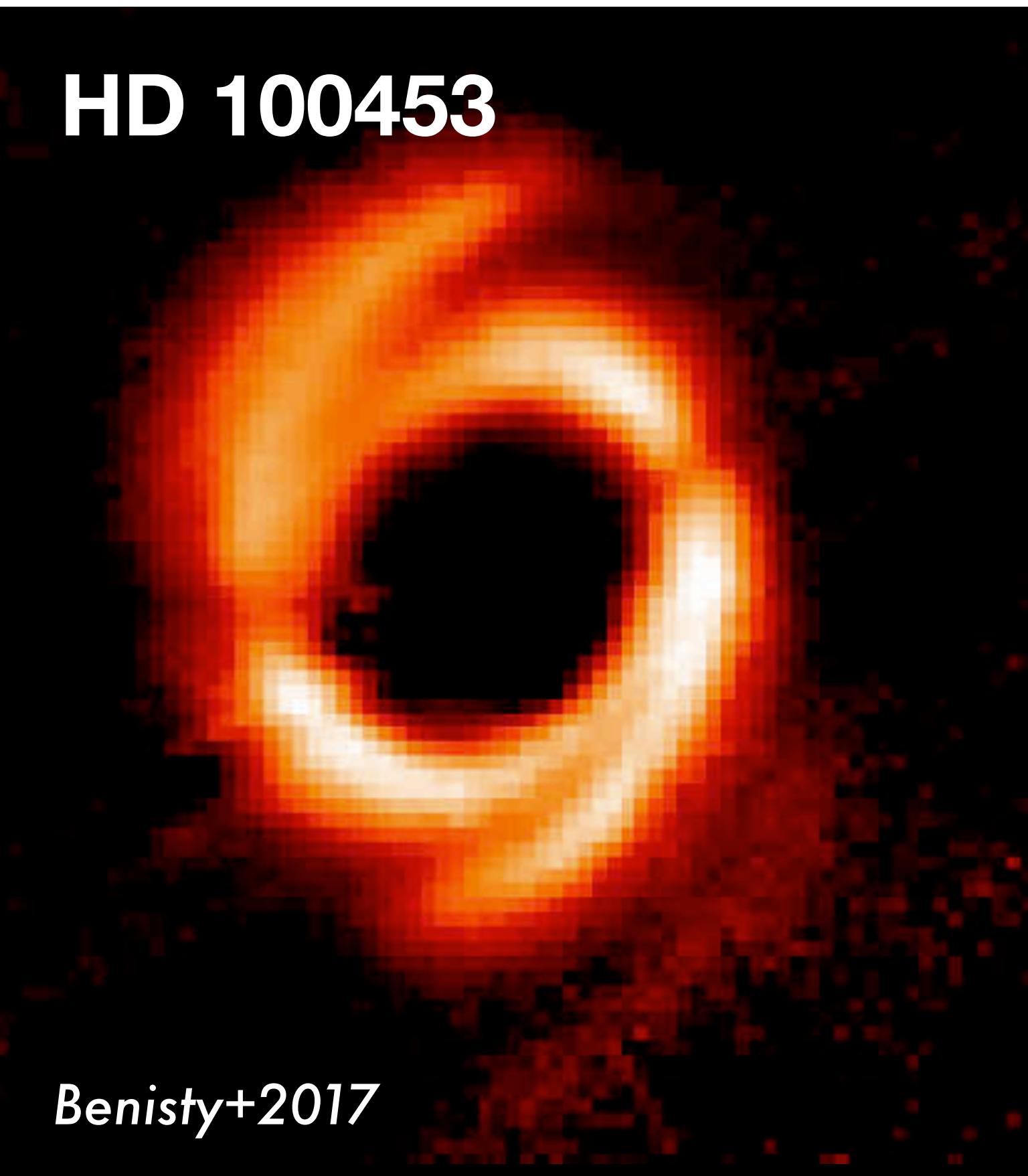
- > Large velocity gradients  $\Rightarrow$  impede dust growth
- > High density structures  $\Rightarrow$  enhance dust growth

# Context



**Planet formation ...**

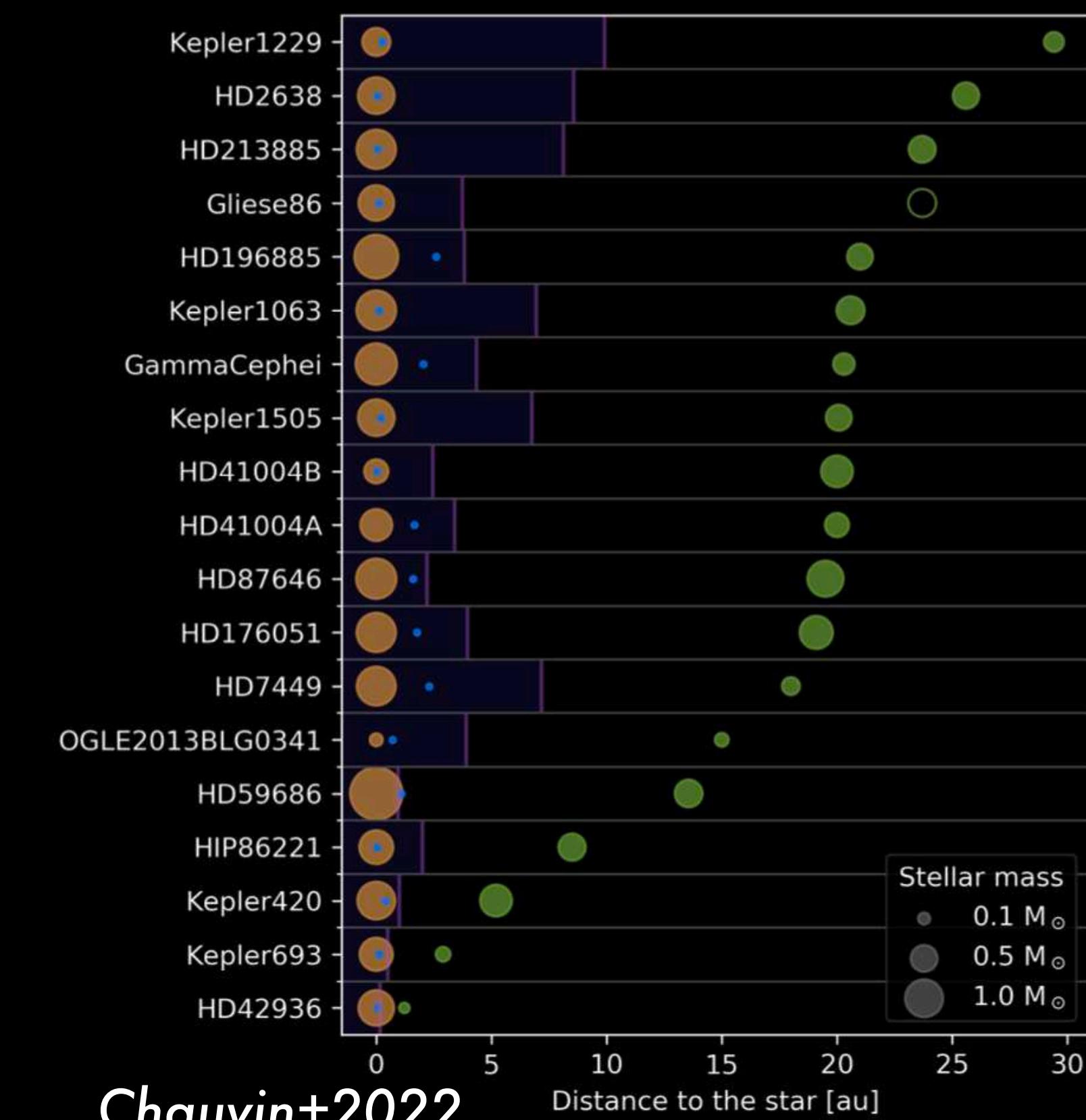
**HD 100453**



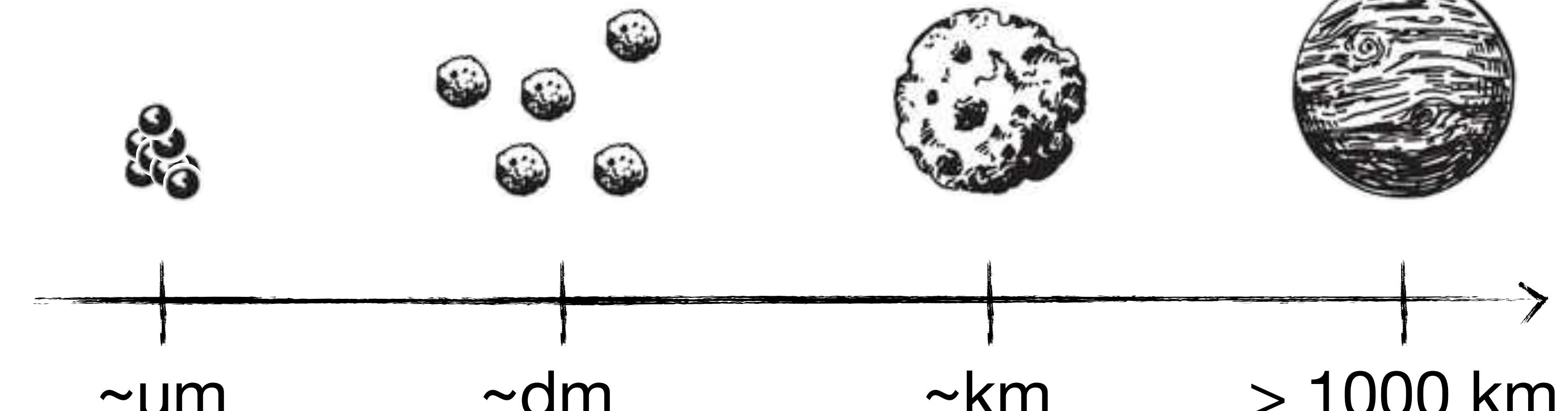
**... in multiple systems**

- > Large velocity gradients
- > High density structures

Planets are observed <  
in multiple systems

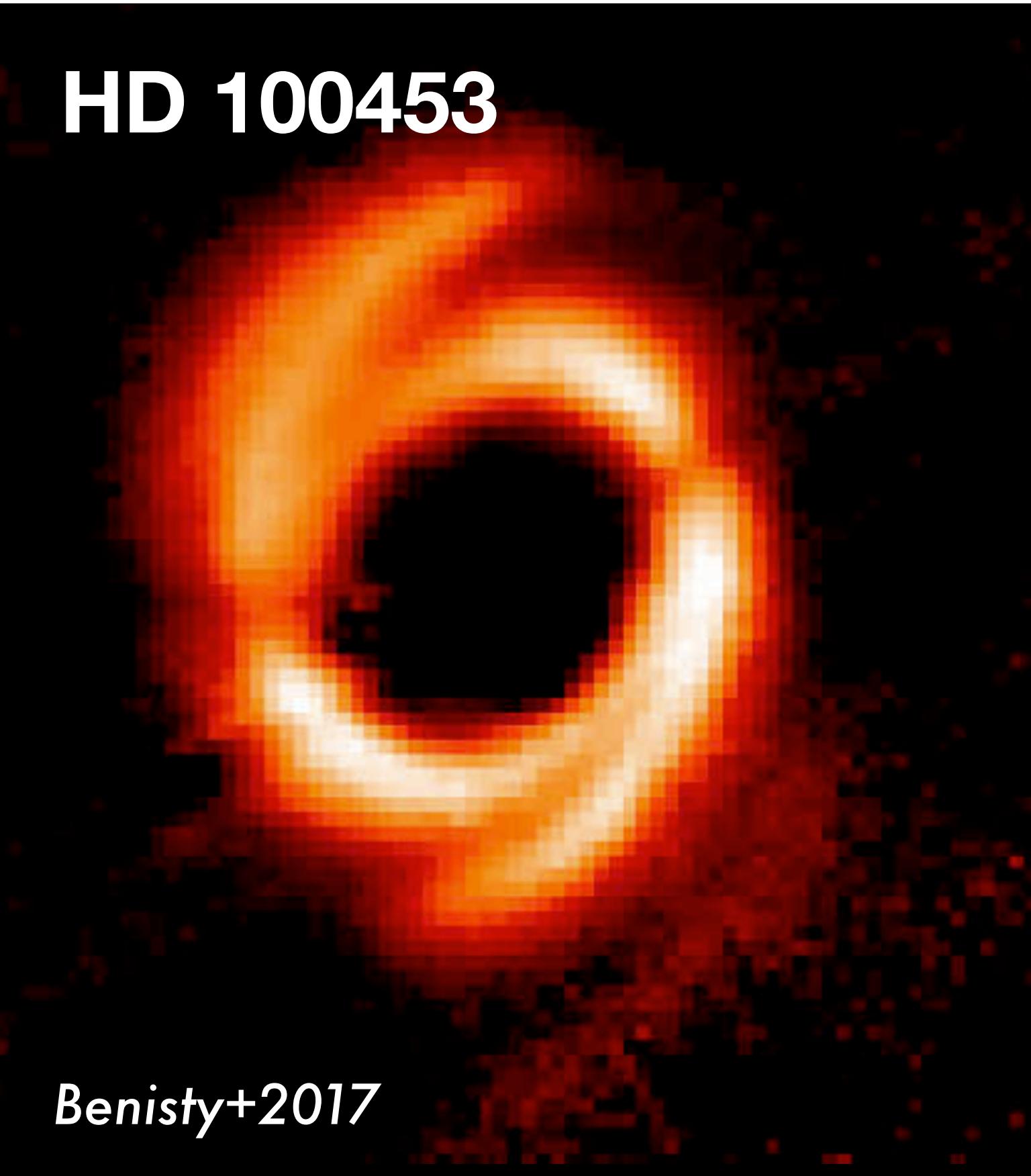


# Context



Planet formation ...

HD 100453

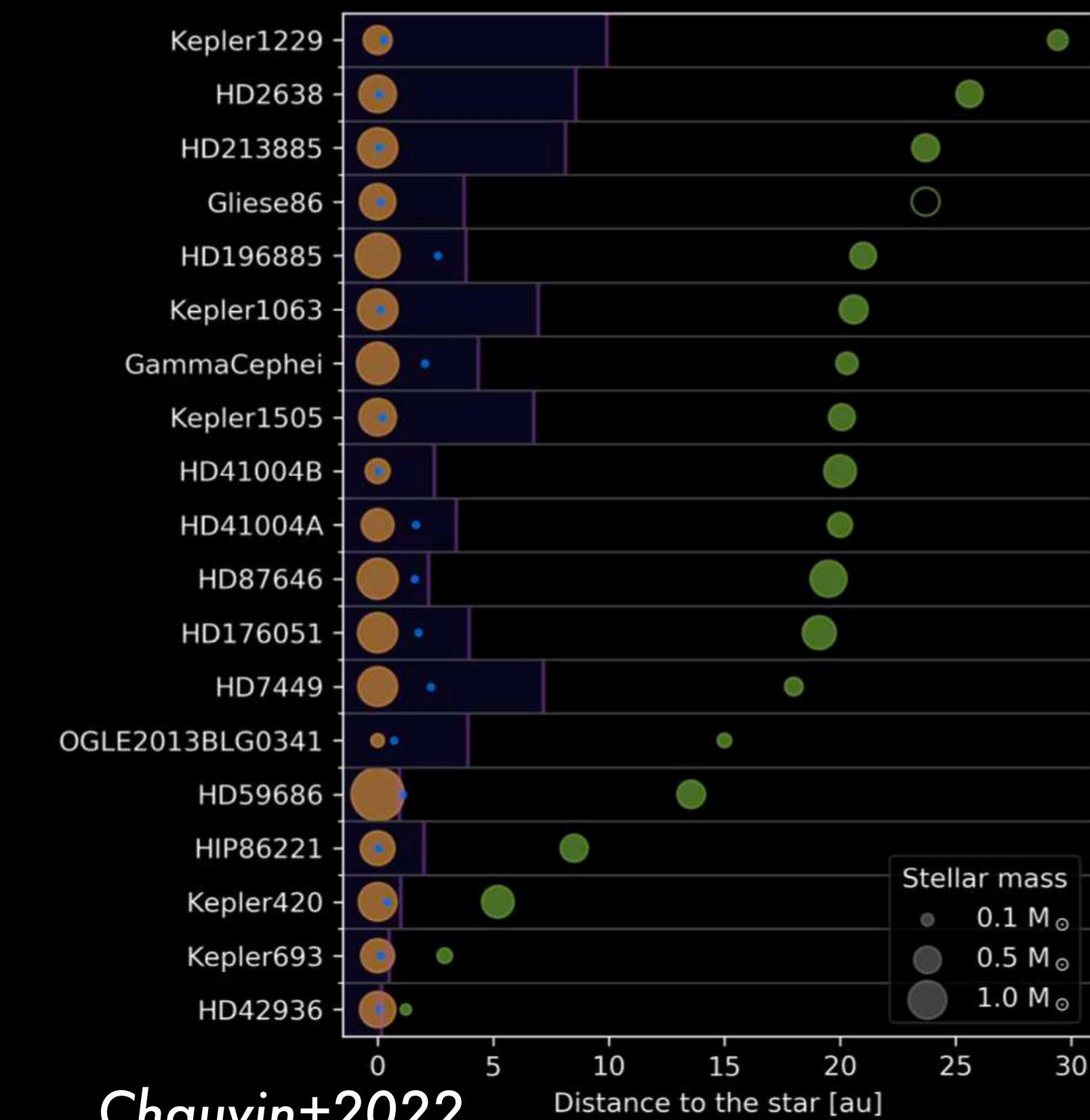


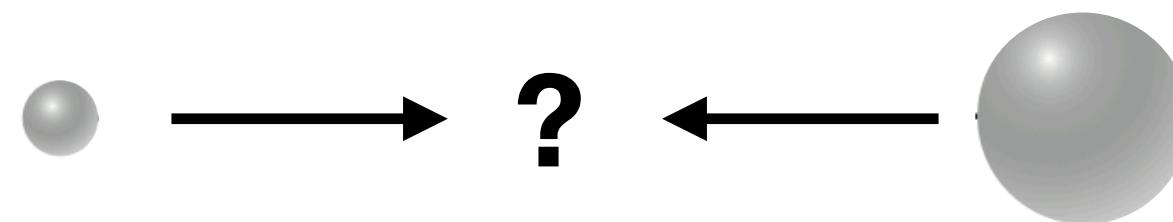
... in multiple systems

- > Large velocity gradients
- > High density structures

*How do they form ?*

Planets are observed <  
in multiple systems



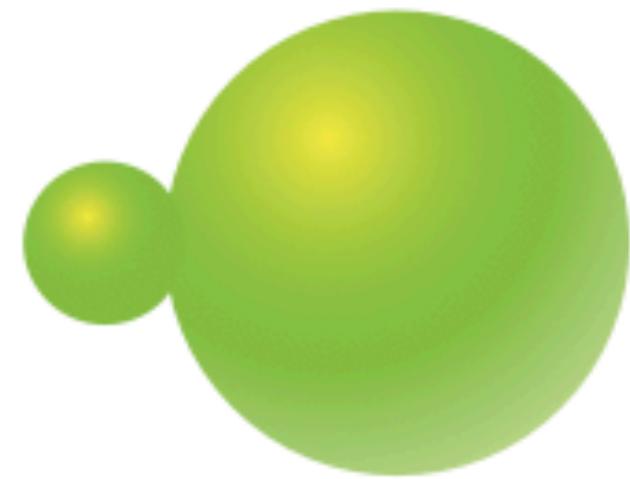


## Context

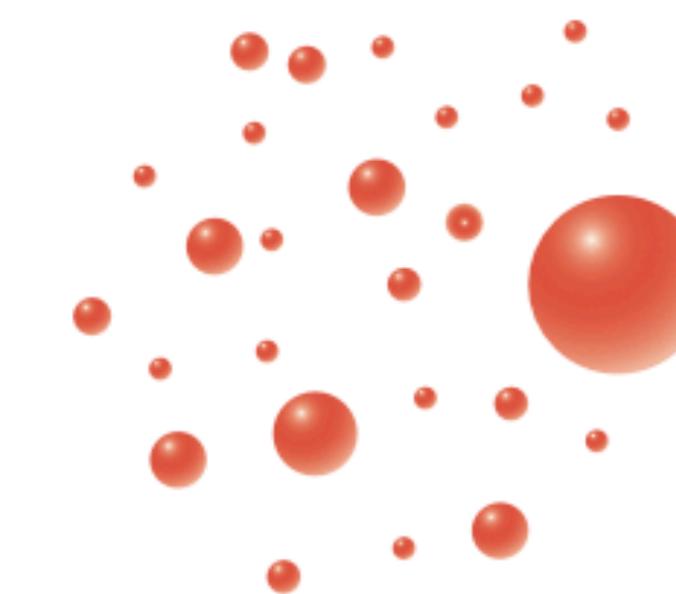
$V_{rel}$  Relative velocity

$V_{frag}$  Fragmentation threshold = f(grain properties)

$$V_{rel} < V_{frag}$$



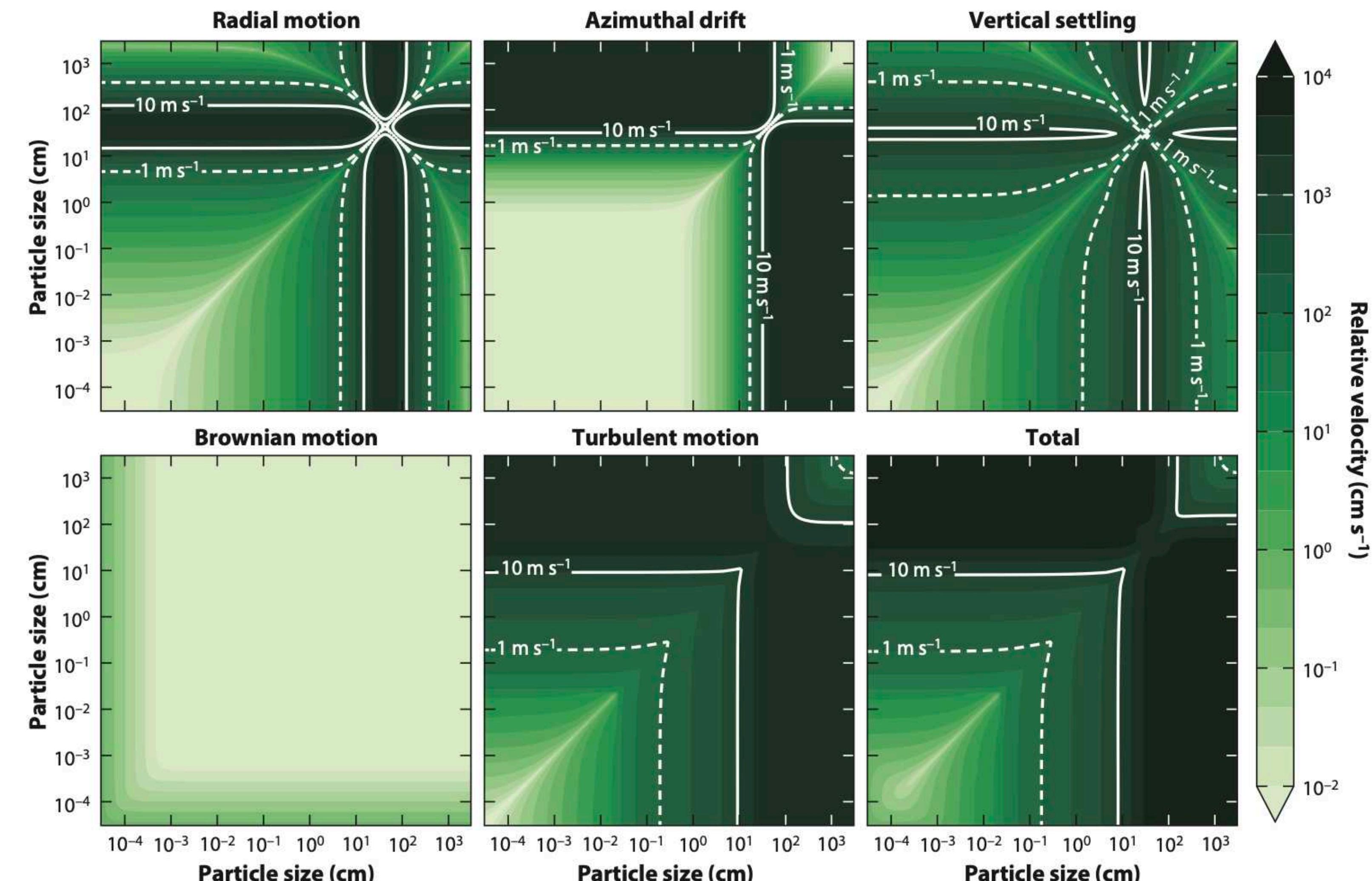
$$V_{rel} > V_{frag}$$



# Context



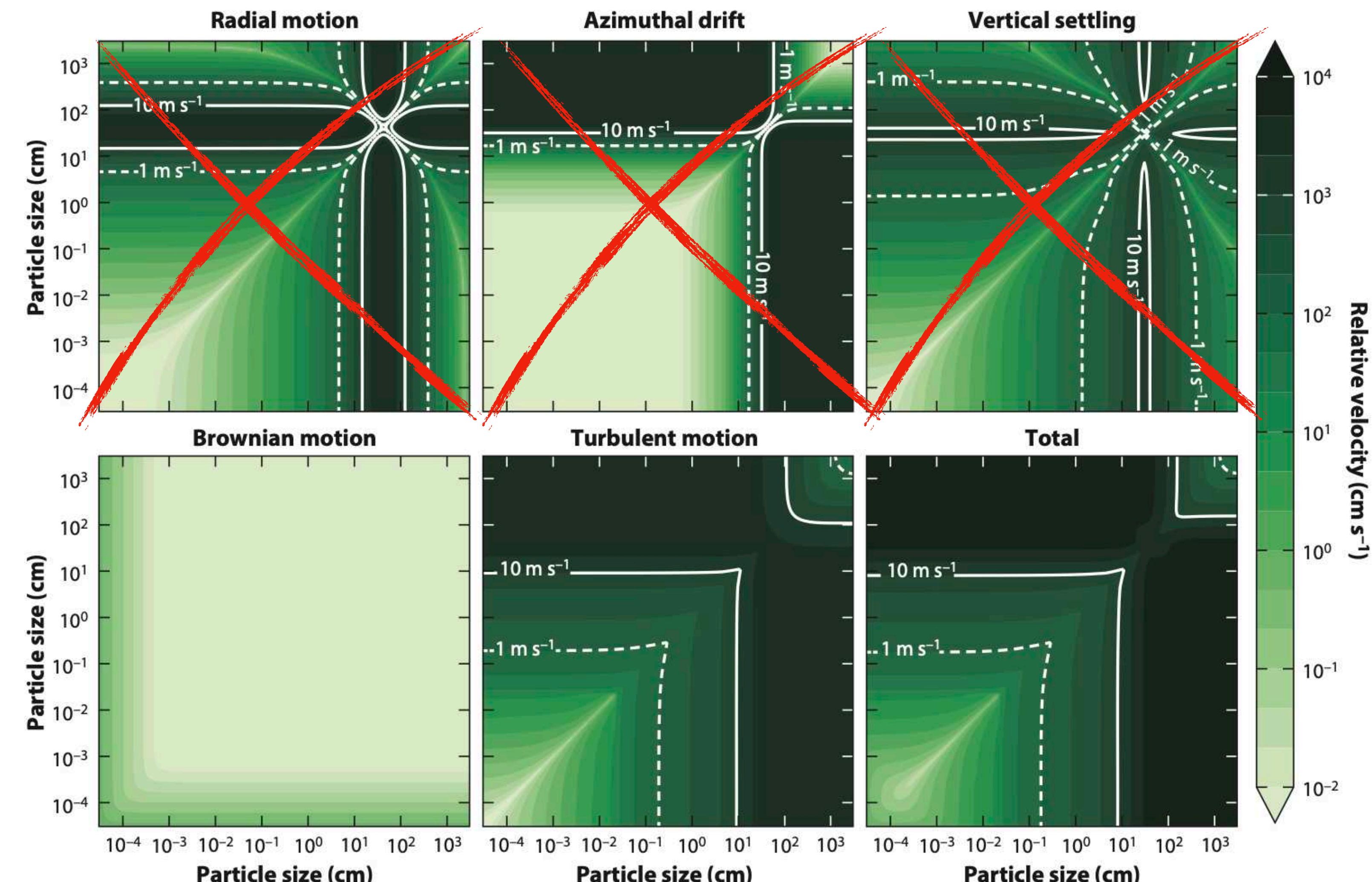
$V_{rel}$  Relative velocity



# Context

If grains of same size =>

$V_{rel}$  Relative velocity

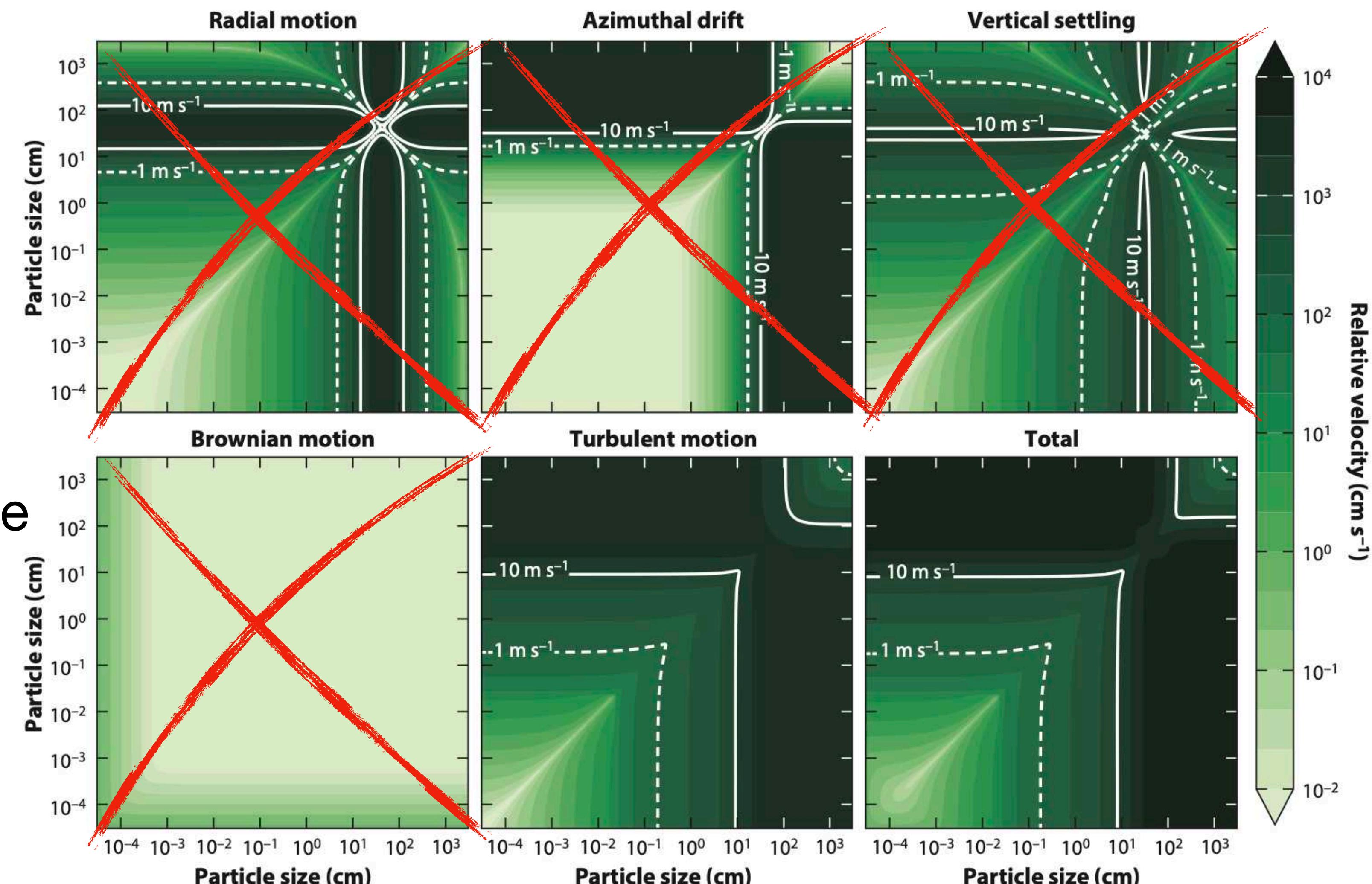


# Context

If grains of same size =>

negligible

$V_{rel}$  Relative velocity

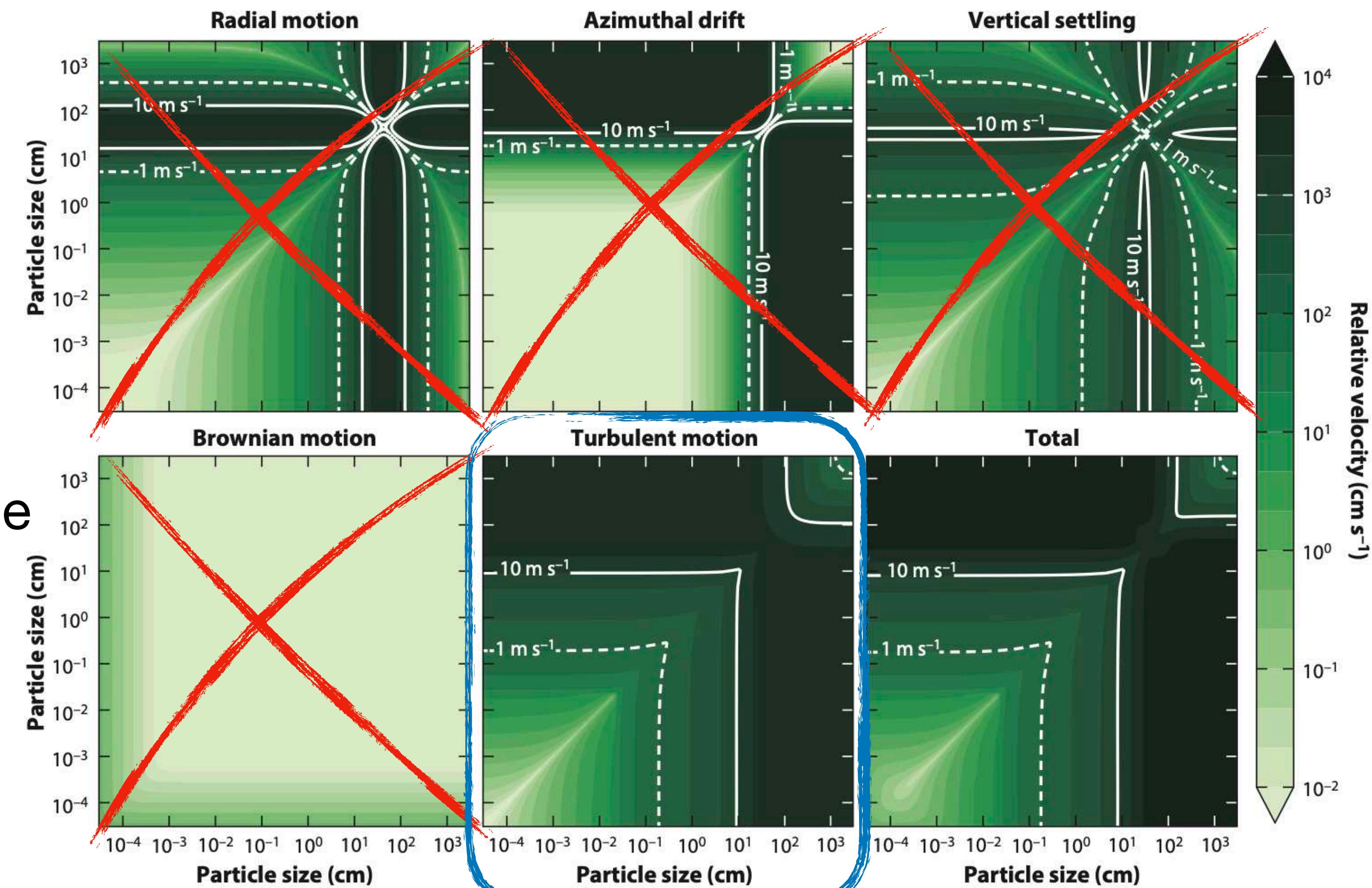


# Context

If grains of same size =>

negligible

$V_{rel}$  Relative velocity

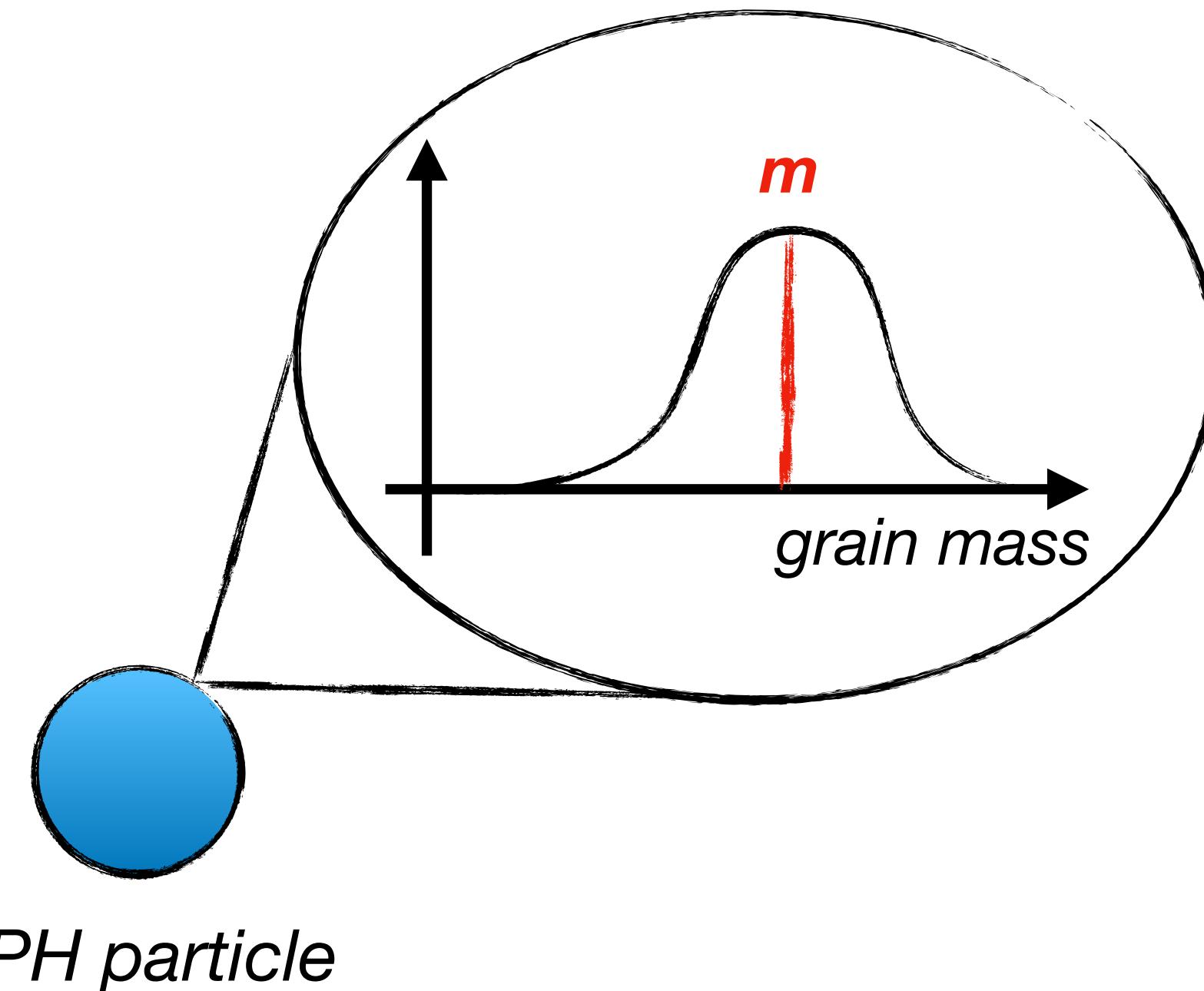


# Numerical setup

Price+2018  
Vericel+2021  
Michoulier+2024



+ DUST GROWTH



*SPH particle*

Gas turbulence drives collisions  
Equal-size collisions  
No particle-particle collisions

# Numerical setup

Price+2018  
Vericel+2021  
Michoulier+2024



+ DUST GROWTH

$$St = \Omega t_s$$

*Dust growth equations*

$$V_{rel} = f(v_t, St)$$

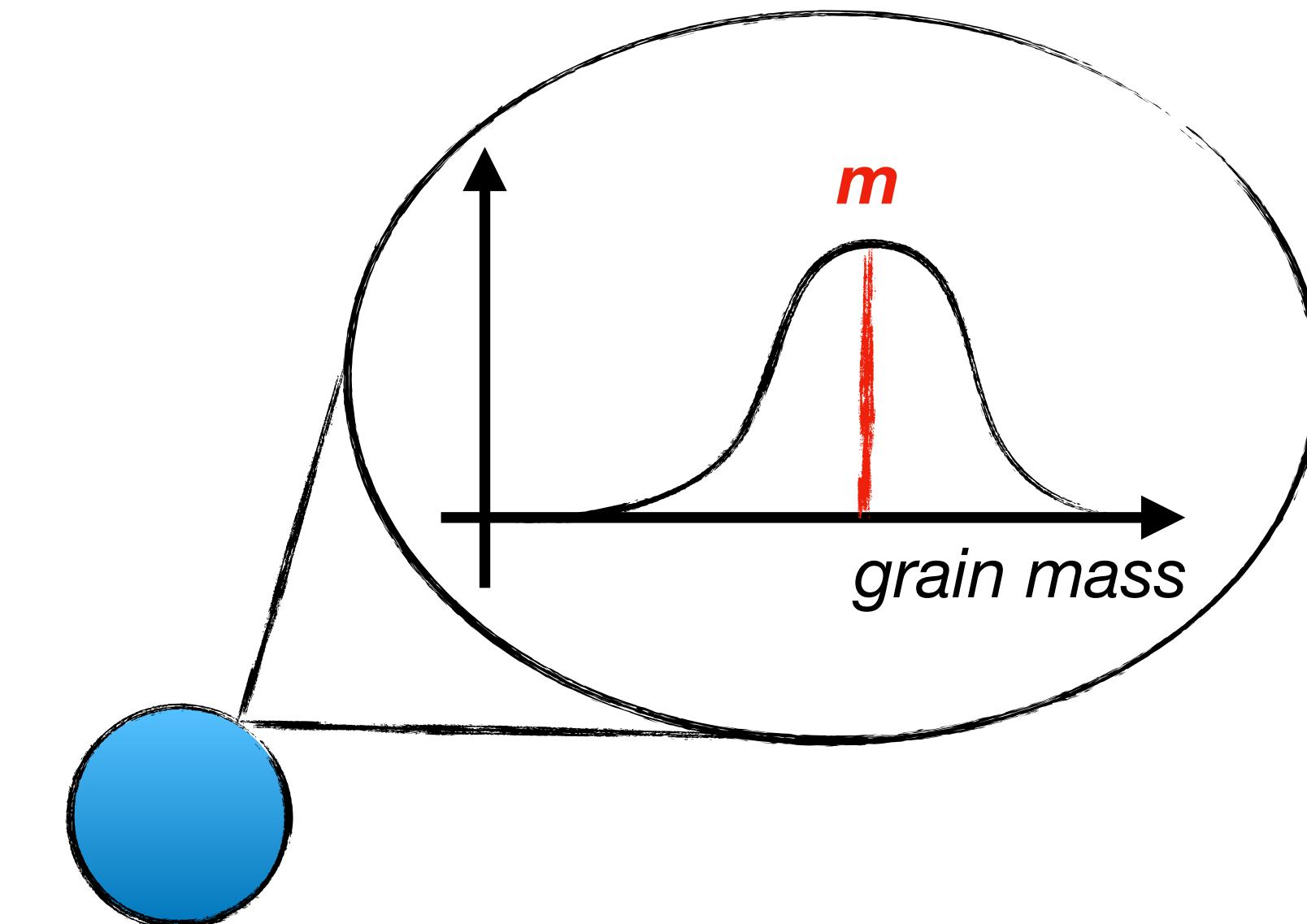
vs

$$V_{frag} = 15 \text{ m/s}$$

Stepinski&Valageas1997

Michoulier+2024

$$\dot{m} = \pm 4\pi s^2 V_{rel} \rho_d \delta$$



SPH particle

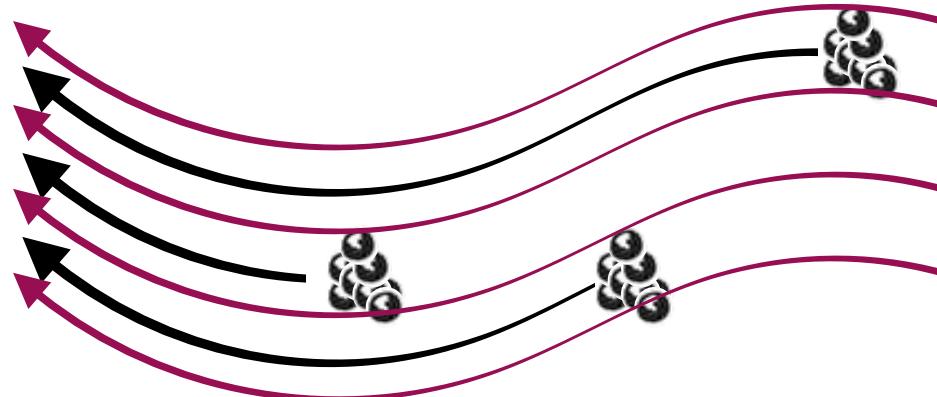
Gas turbulence  
drives collisions

Equal-size collisions

No particle-particle  
collisions

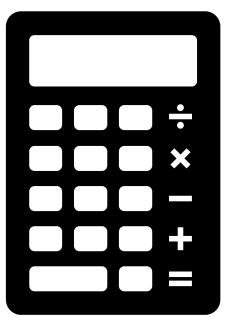
# Numerical setup

Price+2018  
Vericel+2021  
Michoulier+2024 + 1 500 000 GAS-DUST PARTICLES  
+ DUST GROWTH



$$St < 1$$

Small grains  
 $< mm\text{-}cm$



1 population of particles  
(coupled density, 1-fluid)

- + Fast for small particles
- Wrong for the large ones

$$St = \Omega t_s$$

Dust growth equations

$$V_{rel} = f(v_t, St)$$

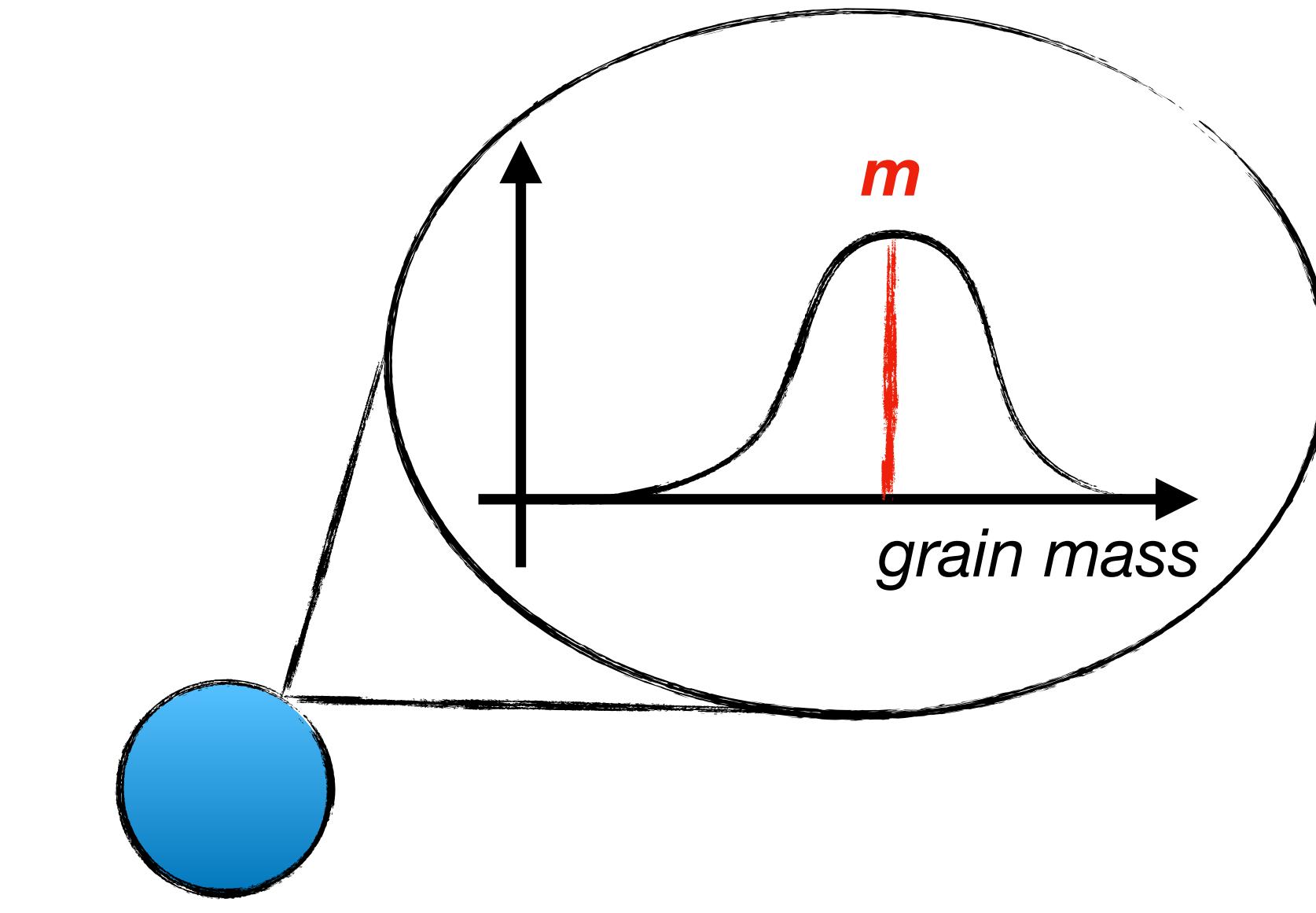
vs

$$V_{frag} = 15 \text{ m/s}$$

Stepinski&Valageas1997

Michoulier+2024

$$\dot{m} = \pm 4\pi s^2 V_{rel} \rho_d \delta$$



SPH particle

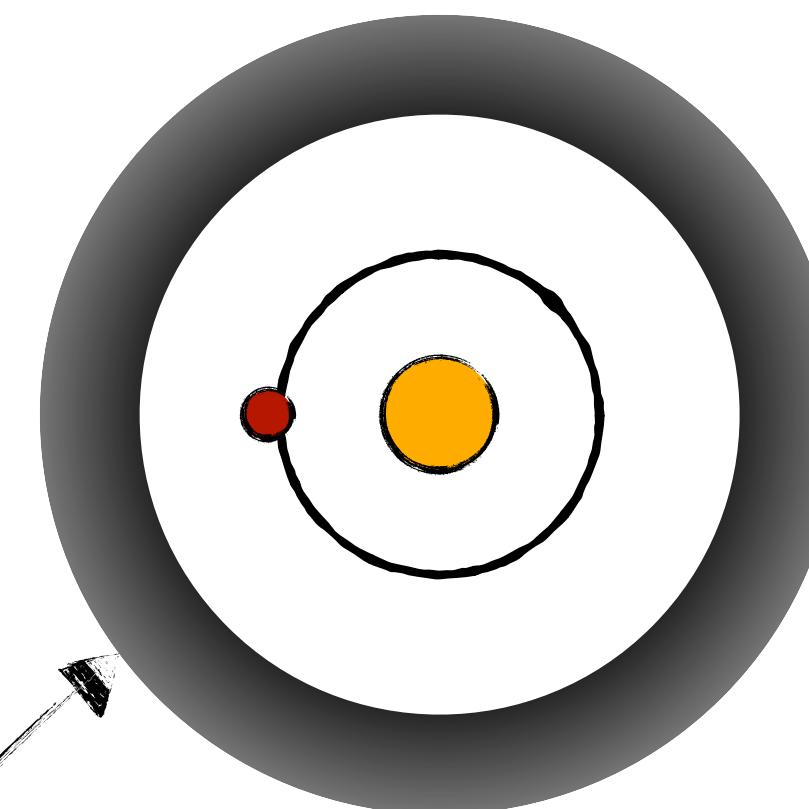
- Gas turbulence drives collisions
- Equal-size collisions
- No particle-particle collisions

# Orbital setup



## Circumbinary discs

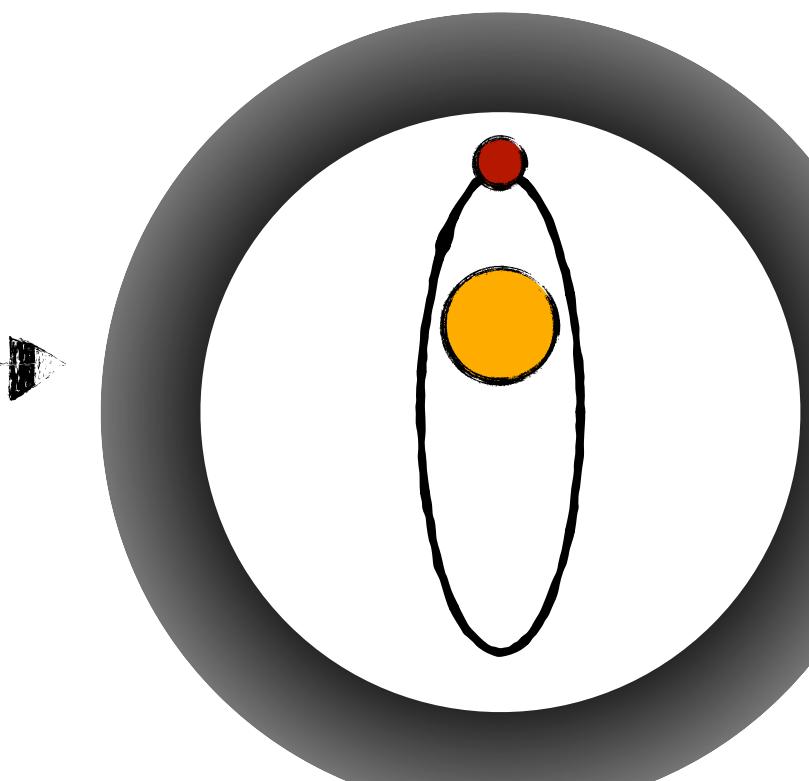
=  $0.75 M_{\odot}$



**IB0**

$a = 5 \text{ au}$   
 $e = 0$

=  $0.25 M_{\odot}$



**IB5**

$a = 5 \text{ au}$   
 $e = 0.5$

## Disc parameters

$M_d = 0.001 M_{\odot}$

$\epsilon = \rho_d/\rho_g = 0.01$

$\Sigma \propto r^{-1}$

$\alpha = 0.005$

=  $1.0 M_{\odot}$

=  $0.1 M_{\odot}$

## Circumstellar discs

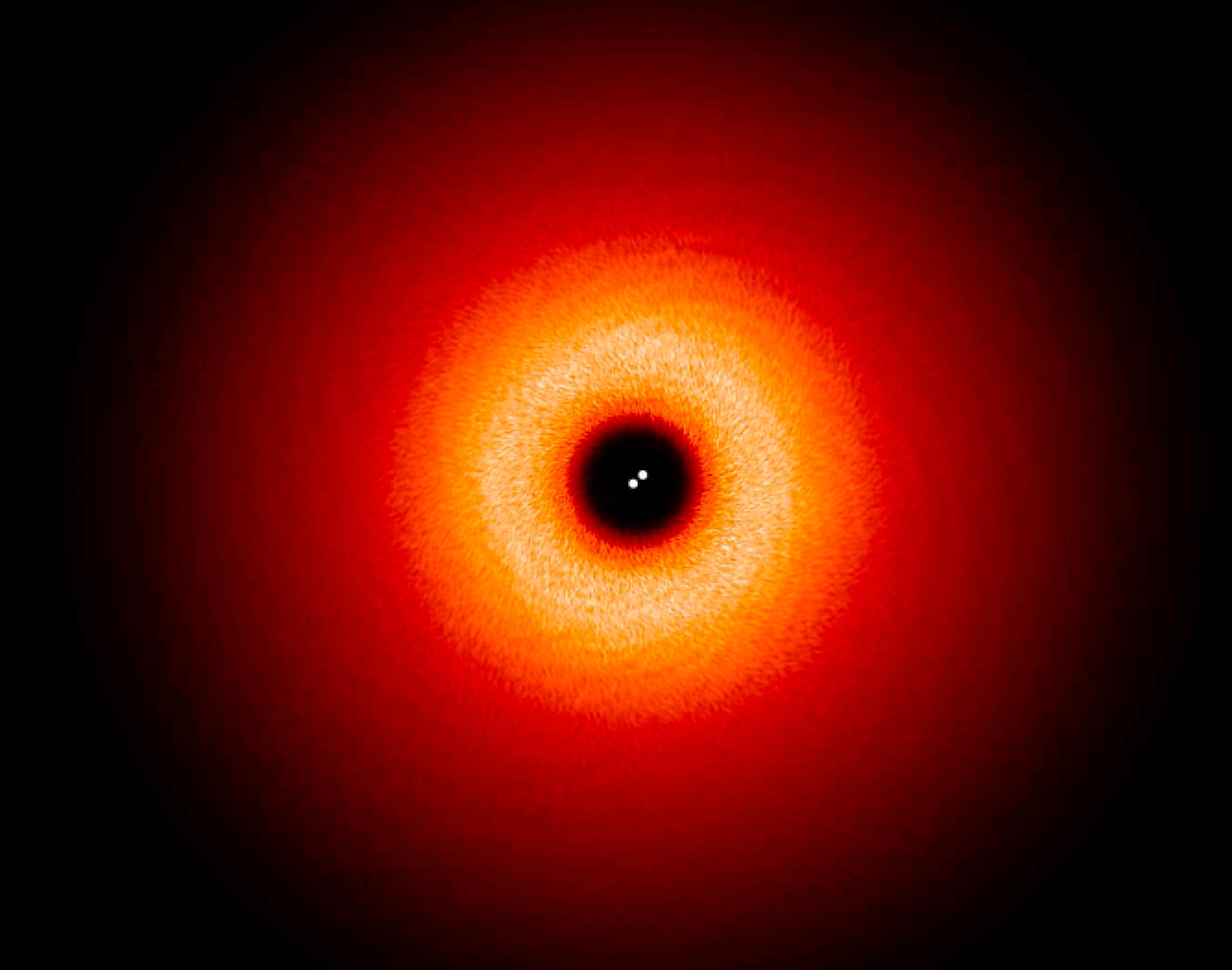
in a binary

**OB0**

$a = 100 \text{ au}$   
 $e = 0$

**OB5**

$a = 100 \text{ au}$   
 $e = 0.5$



# Circumbinary discs

$P_{\text{bin}} = 11 \text{ yr}$ 

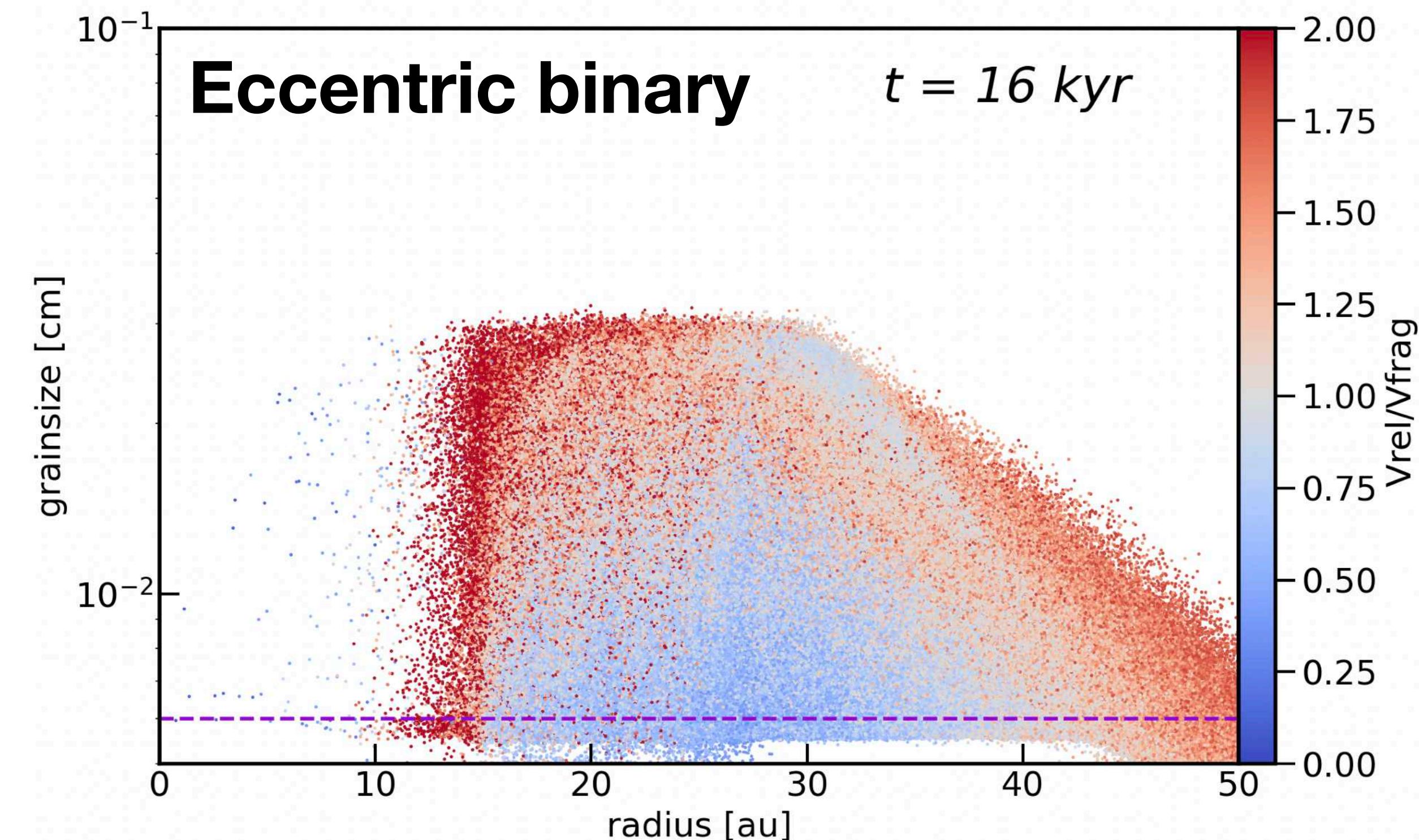
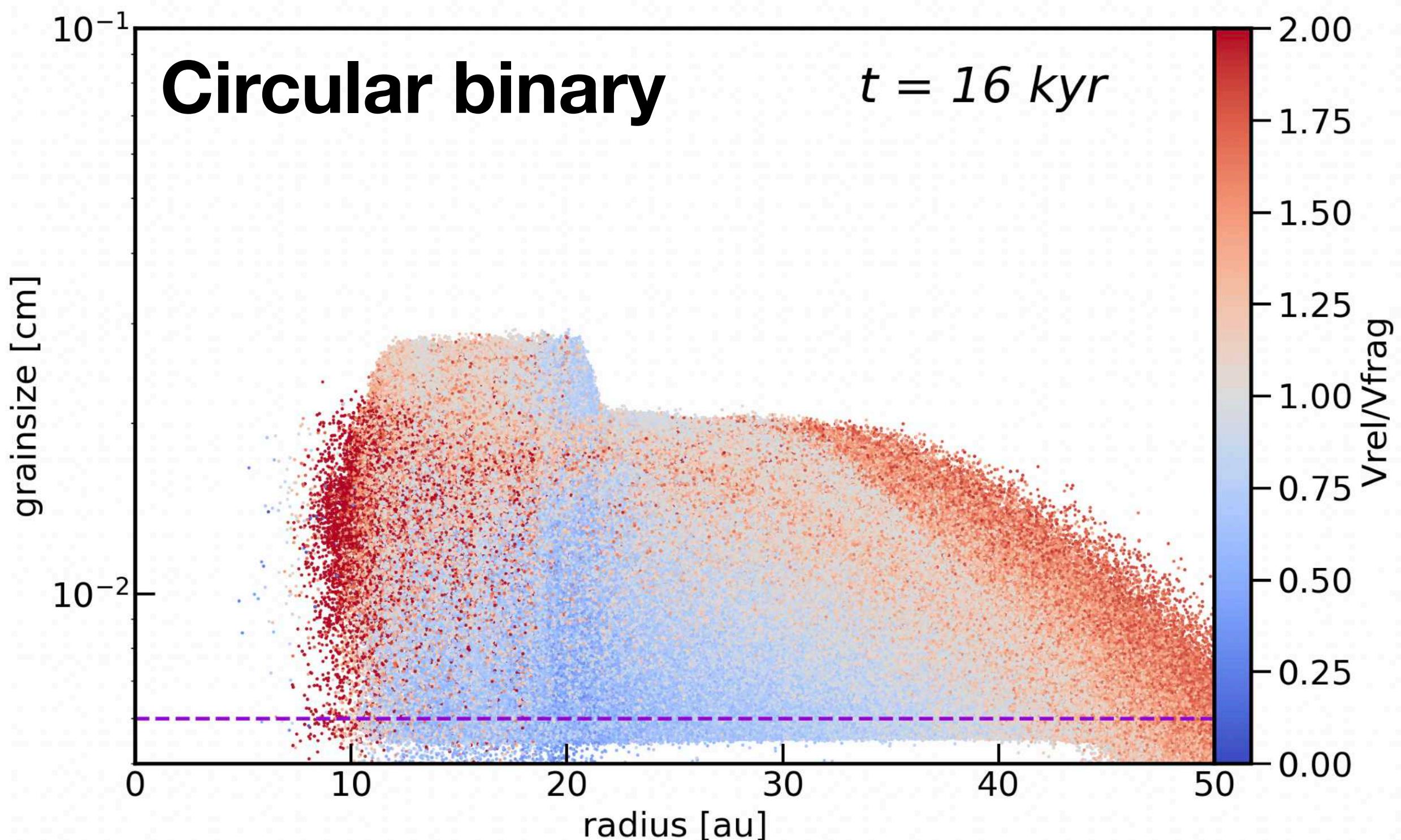
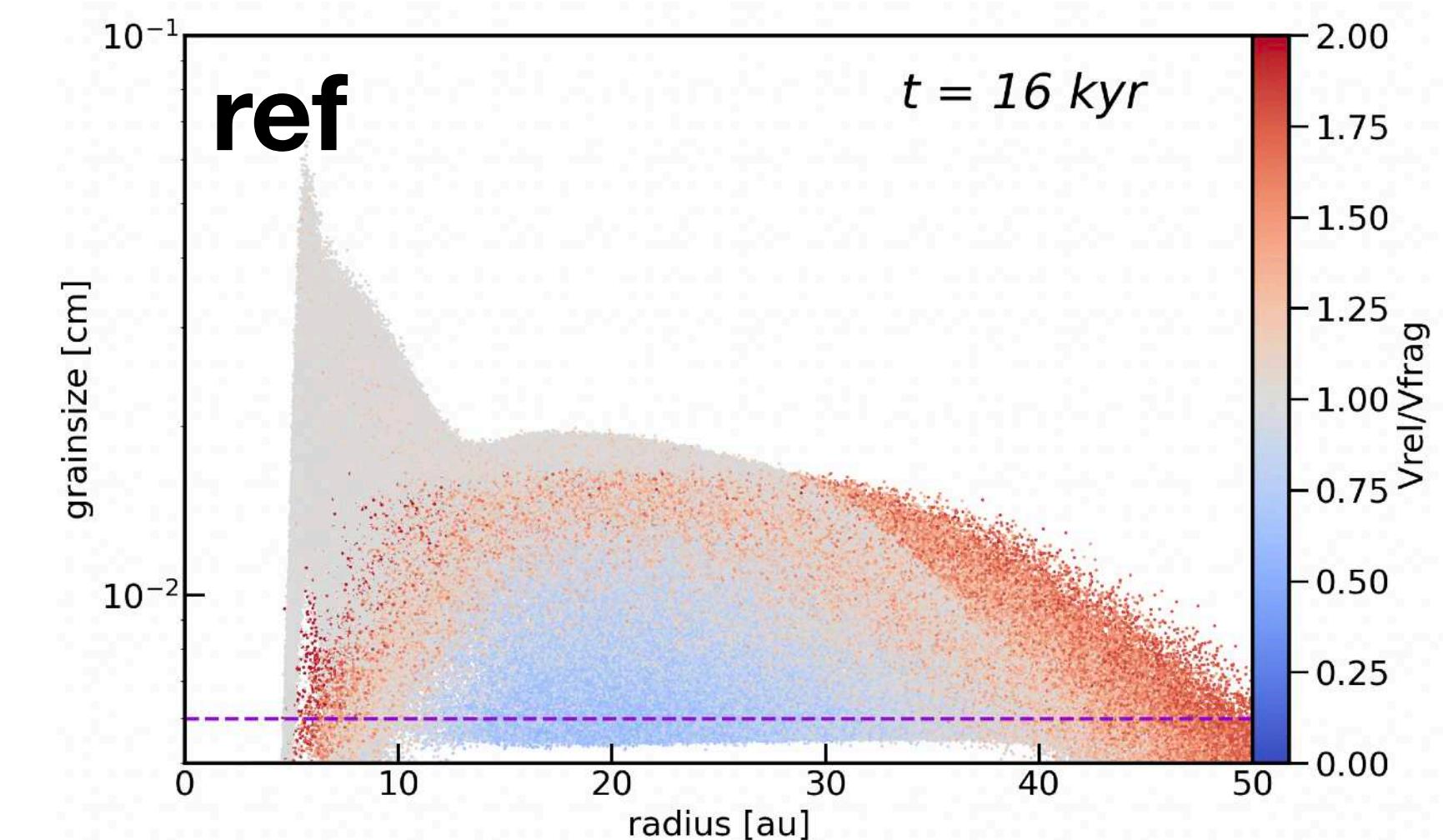
# Circumbinary discs

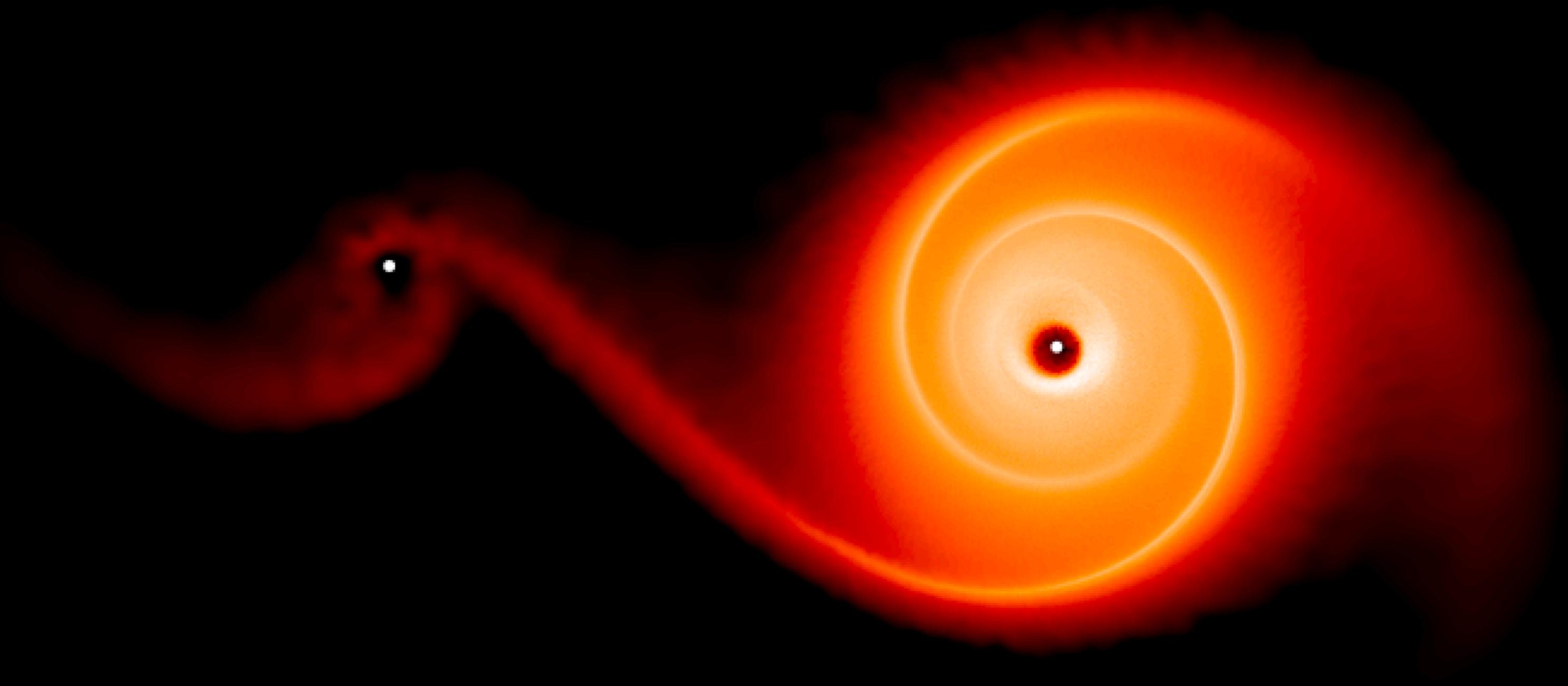
## Dust grain size

at  $t = 16 \text{ kyr} = 500 P_{\text{disc}}$ 

★ Pile-up at the cavity edge

★ Fragmentation limited if  $e > 0$





# Circumstellar discs in binaries

$P_{\text{bin}} = 997 \text{ yr}$ 

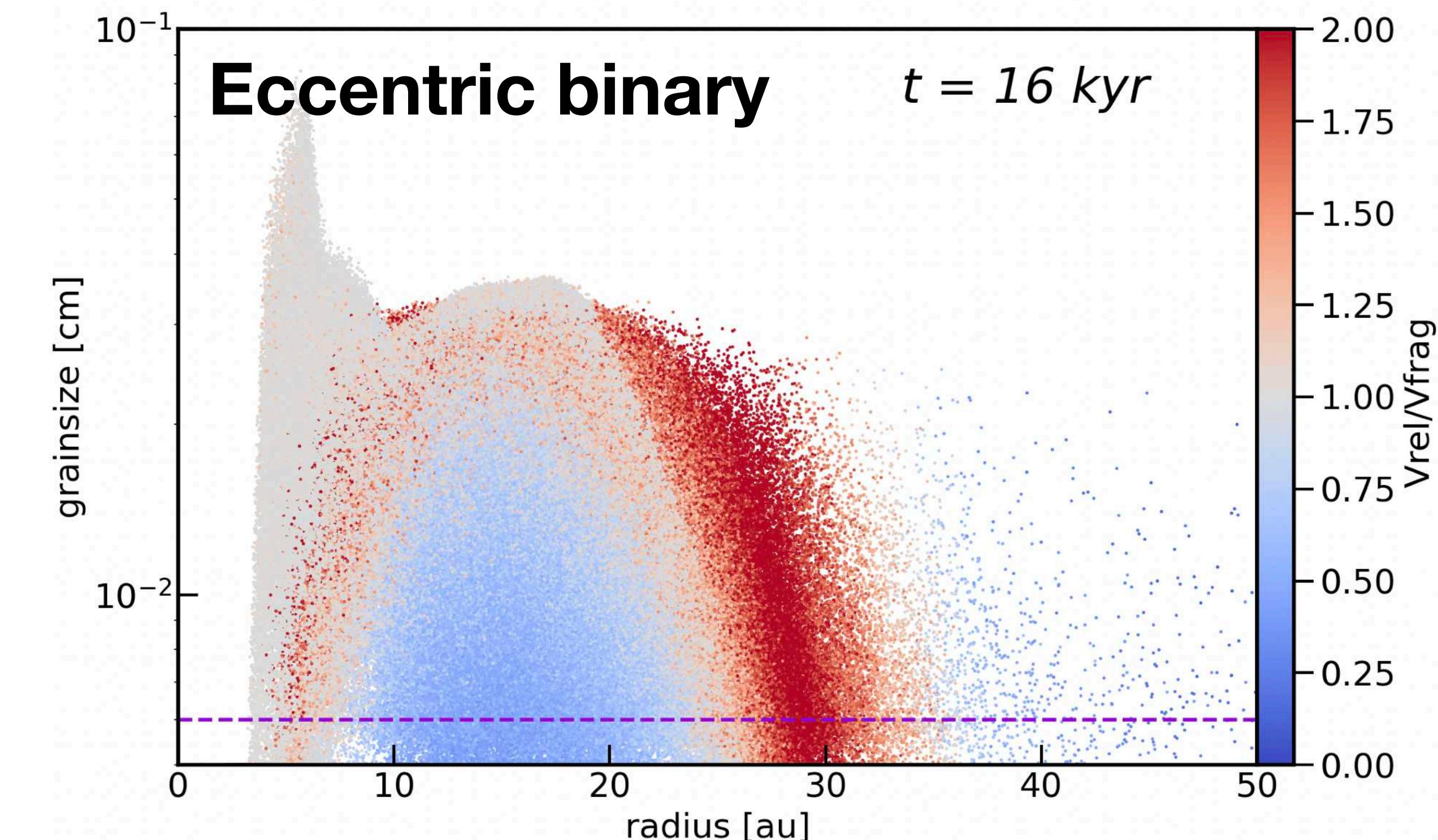
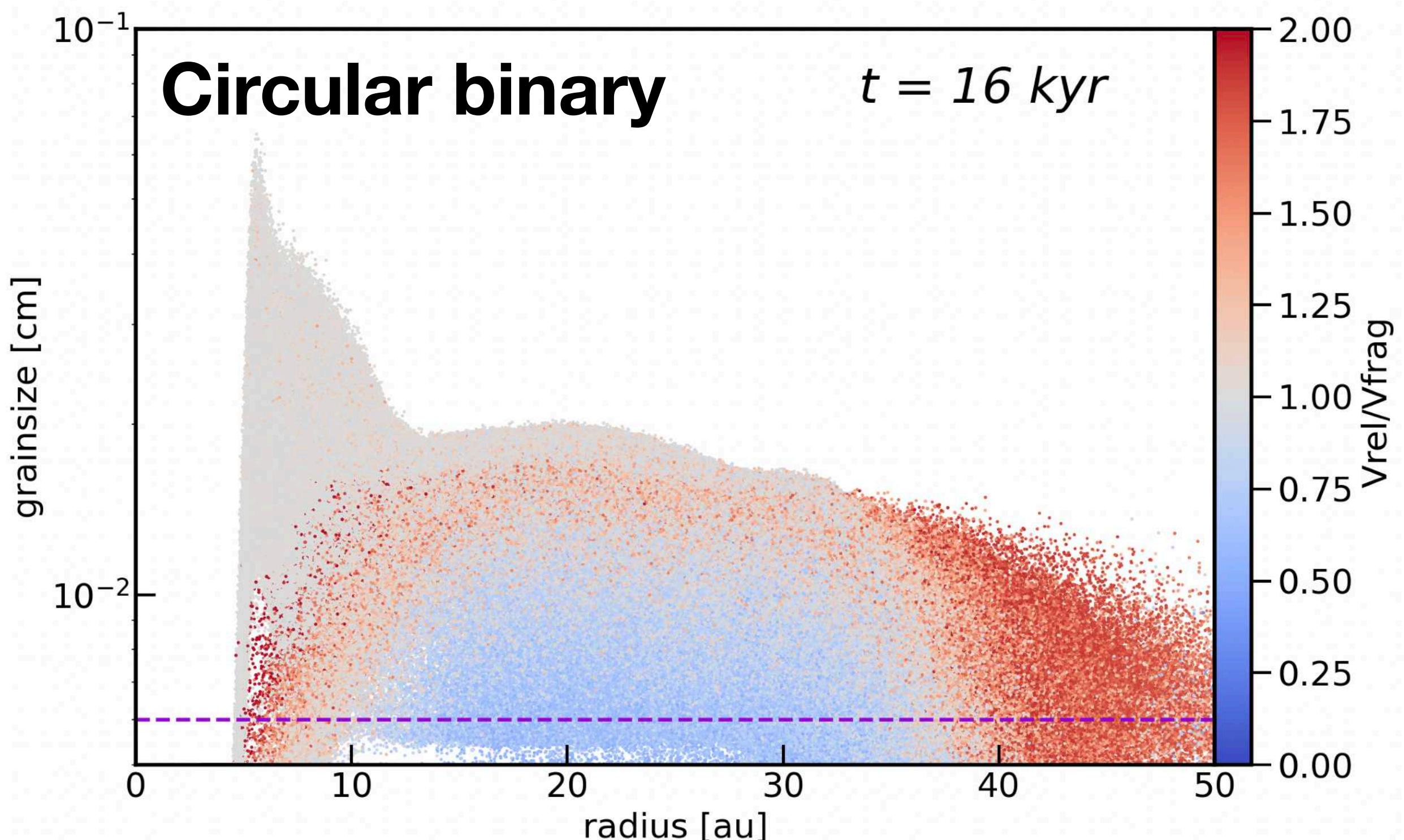
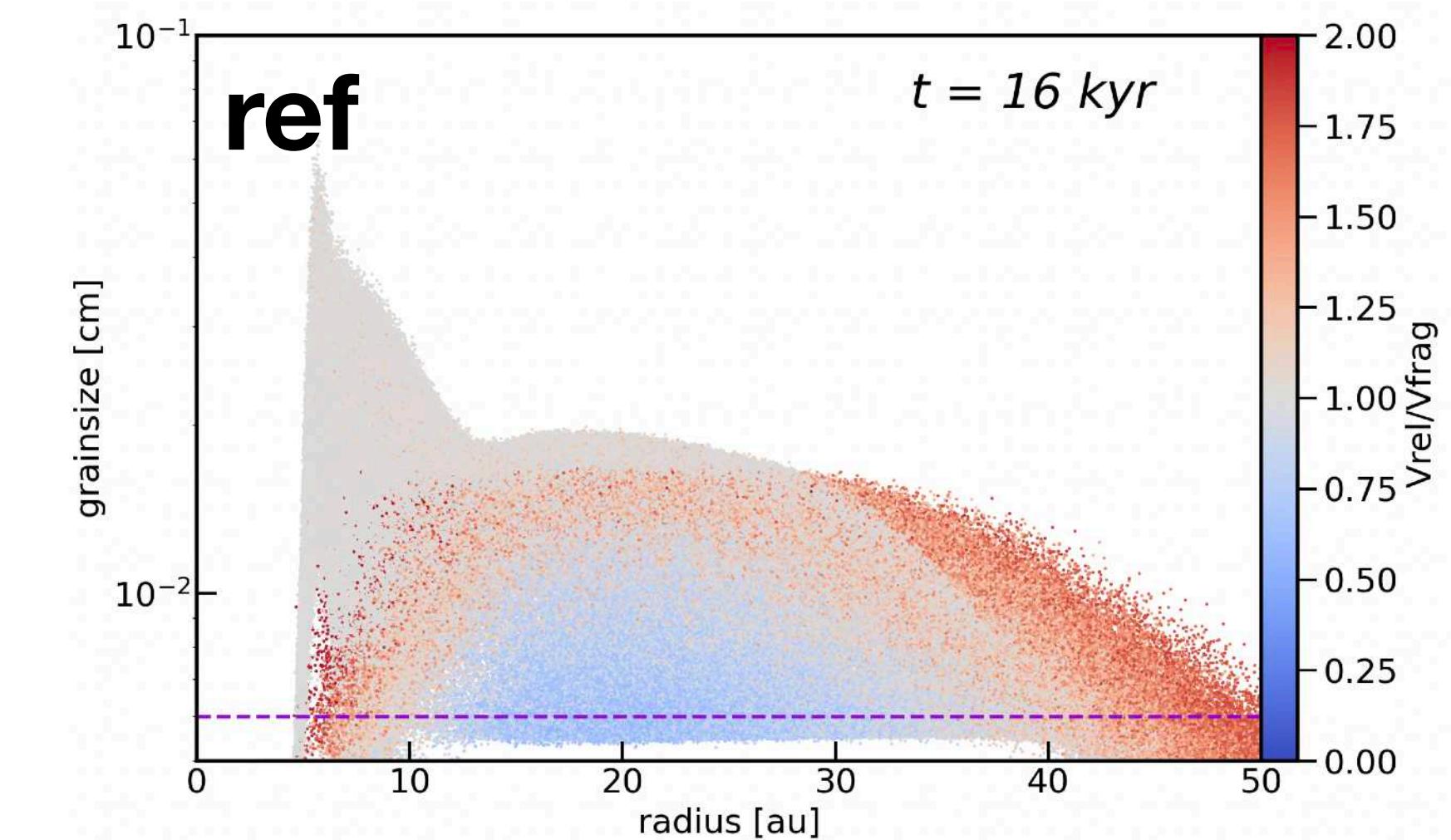
# Circumstellar discs

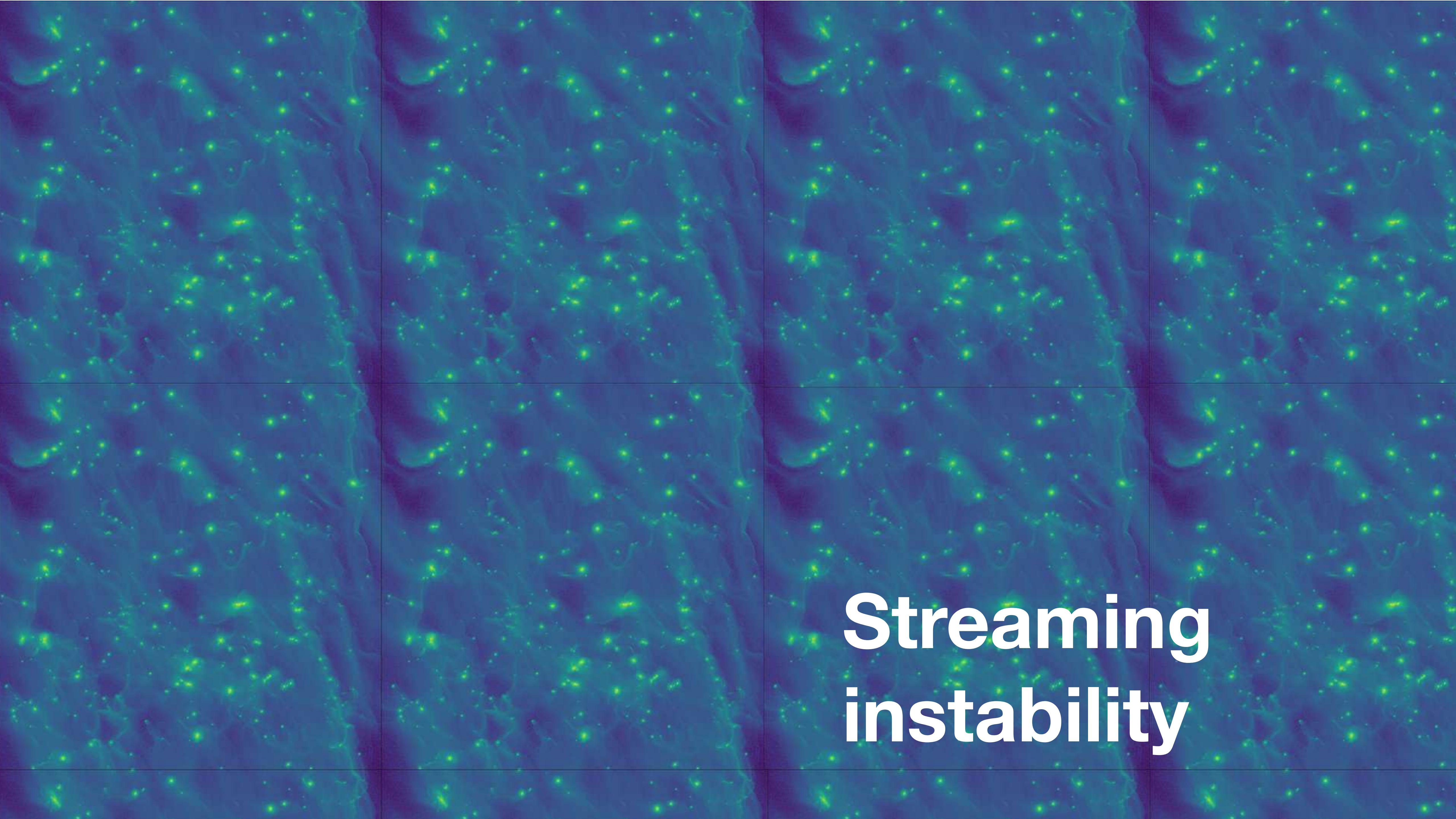
## Dust grain size

at  $t = 16 \text{ kyr} = 500 P_{\text{disc}}$ 

★ Pile-up at the cavity edge

★ Fragmentation at the outer edge if  $e > 0$





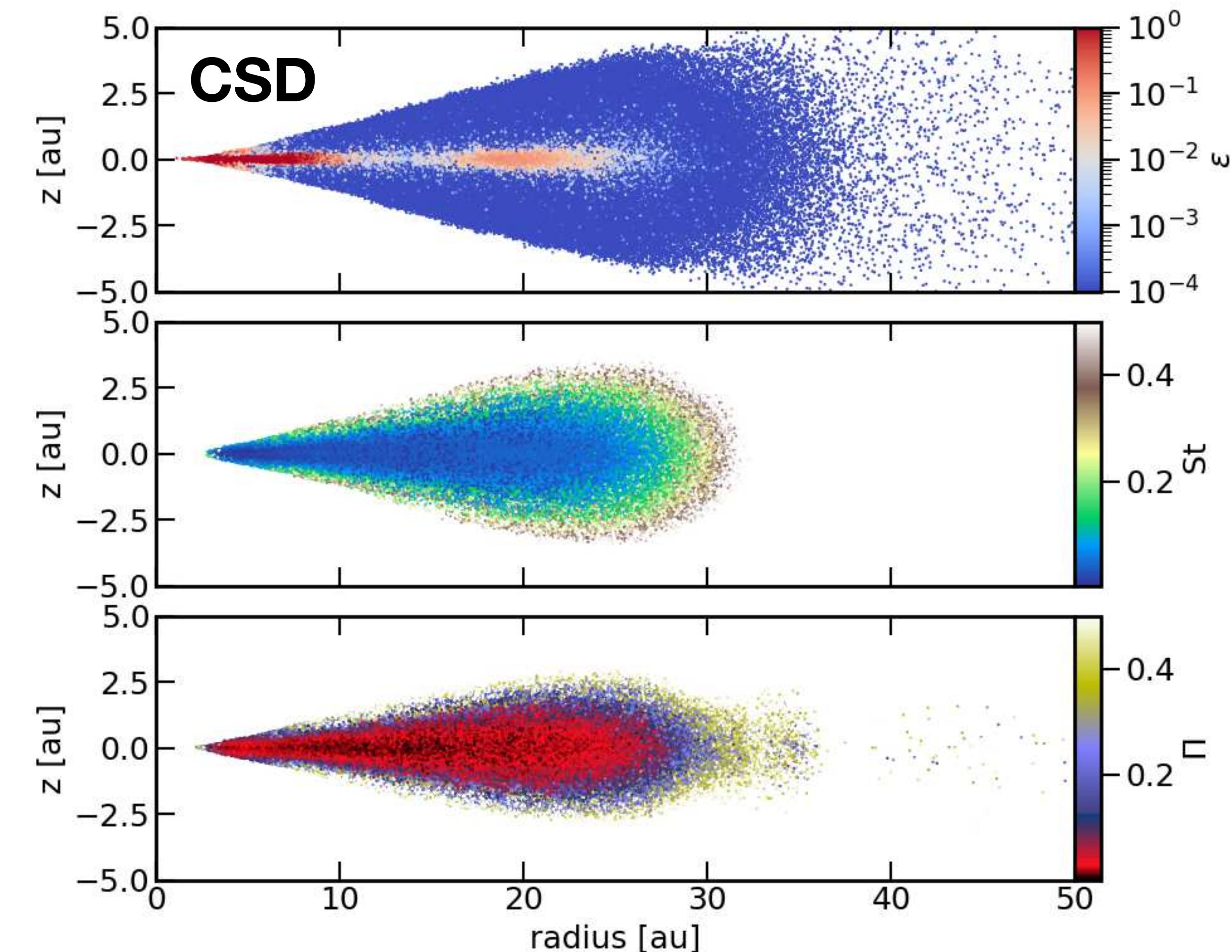
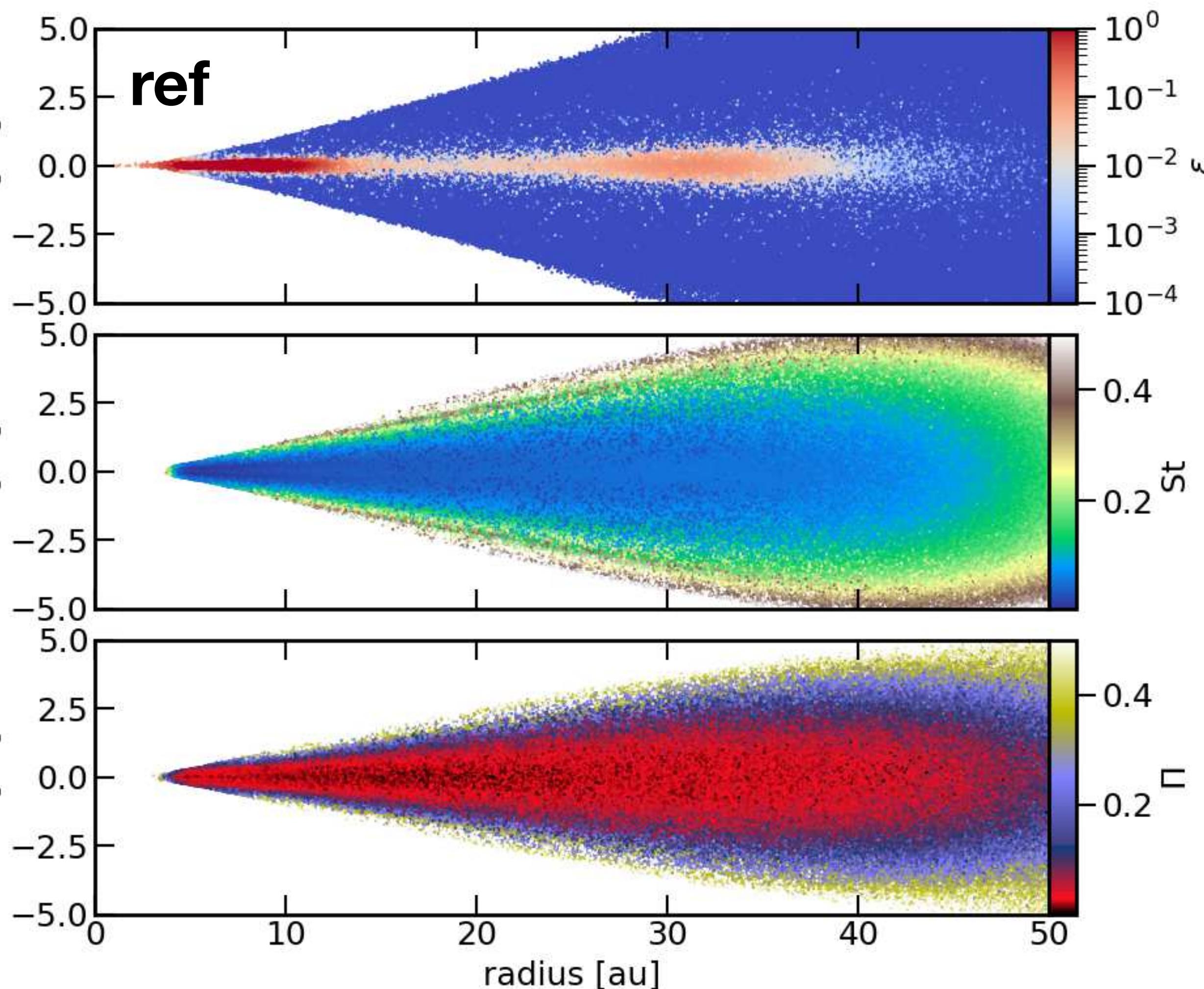
Streaming  
instability

# Streaming instability in eccentric binaries

$$\varepsilon = \rho_d / \rho_g \gtrsim 0.5$$

$$St \sim 0.01 - 1$$

$$\Pi = \Delta v / c_s > 0.01$$

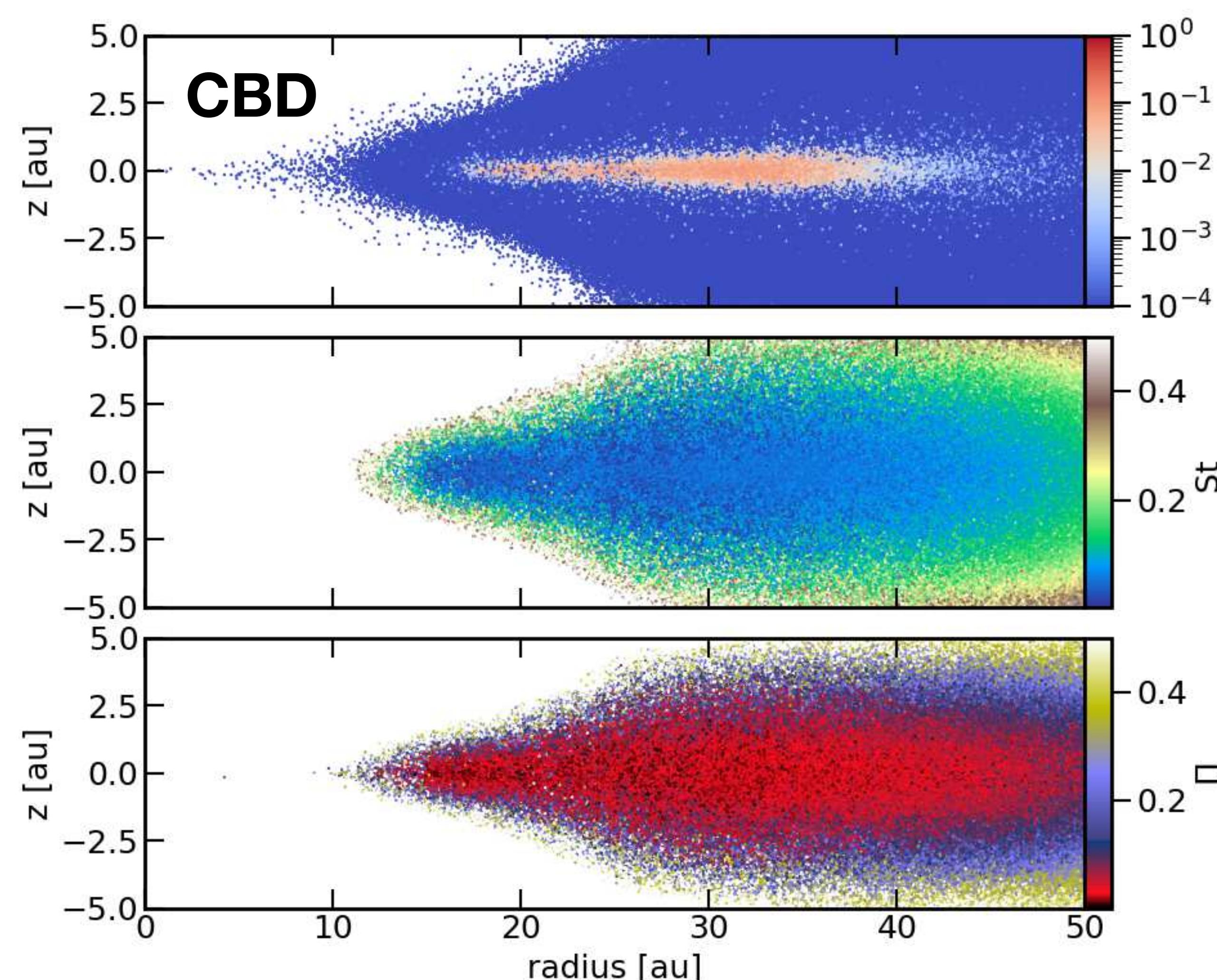
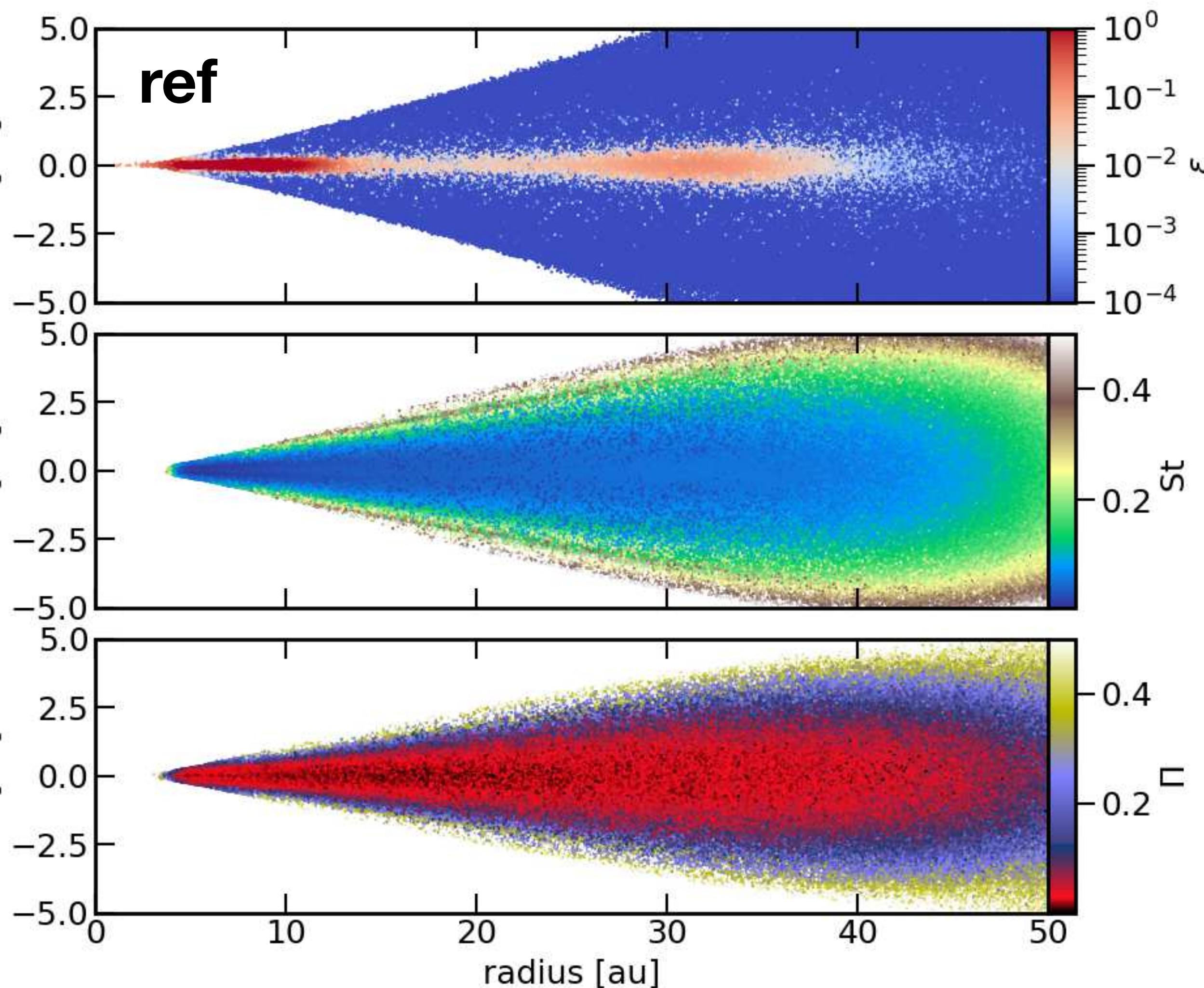


# Streaming instability in eccentric binaries

$$\varepsilon = \rho_d / \rho_g \gtrsim 0.5$$

$$St \sim 0.01 - 1$$

$$\Pi = \Delta v / c_s > 0.01$$



# Limits

In the spiral arm :

$\rho_g$  is higher

$V_{rel}$  is higher

Eriksson+2024

At the cavity edge :

$\rho_g$  is higher

$V_{rel}$  is higher /  $e \nearrow$

Ragusa+2024



Does treat  $V_{rel}$  correctly in these systems ?



Is gas turbulence dominating  $V_{rel}$  ?



Thank you for your attention !

## Conclusion

### ☆☆ Dust growth simulations in binary systems

☆ Grain growth cannot happen in the outer regions of discs

☆ The inner edge of discs is promising, even in CBDs

☆ The mid plane should trigger SI in CSD

### ☆☆ Some perspectives :

*What is the actual relative velocity of grains in multiple systems ?*

*How does porosity+bouncing change the game ?*

*What about triple systems and misaligned discs ?*

Structures > velocity gradients



## ★ Appendix ★★

# Dust growth equations

$$St = \Omega t_s$$

$$Sc = (1 + St) \sqrt{1 + \left( \frac{dv}{v_t} \right)^2}$$

$$V_{rel} = \sqrt{2} v_t \sqrt{1 - \frac{1}{Sc}}$$

$$\dot{m} = \pm 4\pi s^2 \rho_d V_{rel} \delta$$

$$\text{with } \delta = \frac{(V_{rel}/V_{frag})^2}{1 + (V_{rel}/V_{frag})^2}$$

$$dv = t_s \frac{\nabla P}{\rho_g}$$

# Fragmentation of planetesimals

